



streamline
Var: Speed
0.817

0.613

0.408

0.204

1.01e-07

Pseudocolor
Var: Density

1.22

0.00524

2.25e-05

9.70e-08

4.17e-10

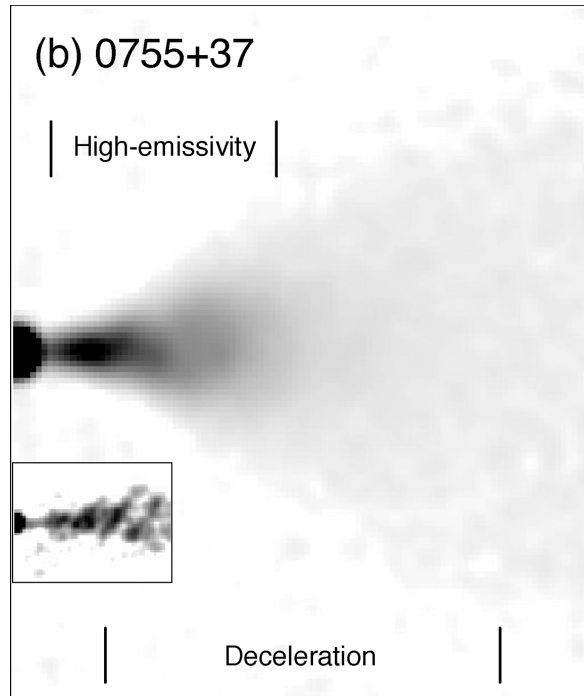
The role of stars on FRI jet deceleration

Manel Perucho
DAA/OAUV

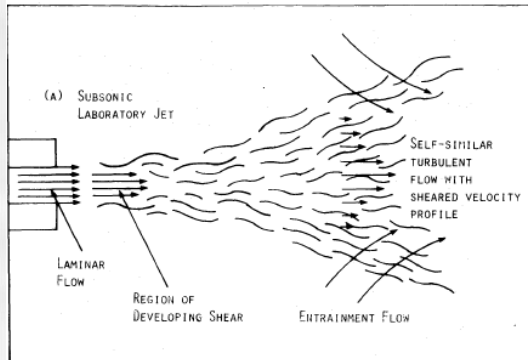
Universitat de València

Jets 2021 - Heidelberg

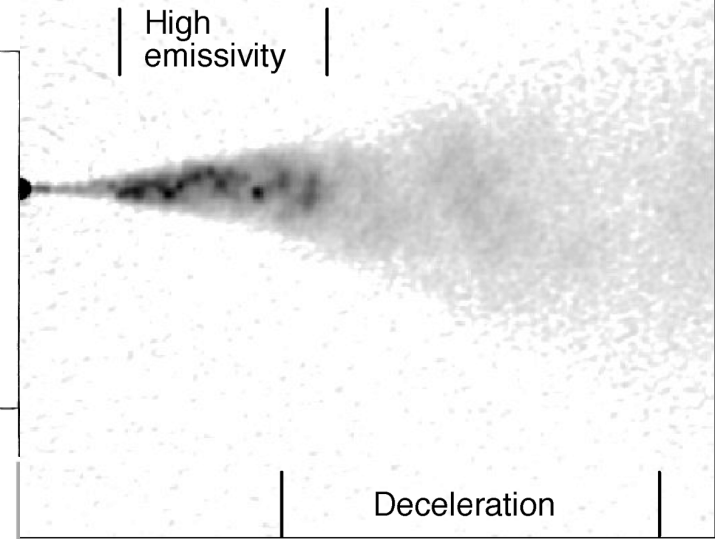
Deceleration of FRI jets



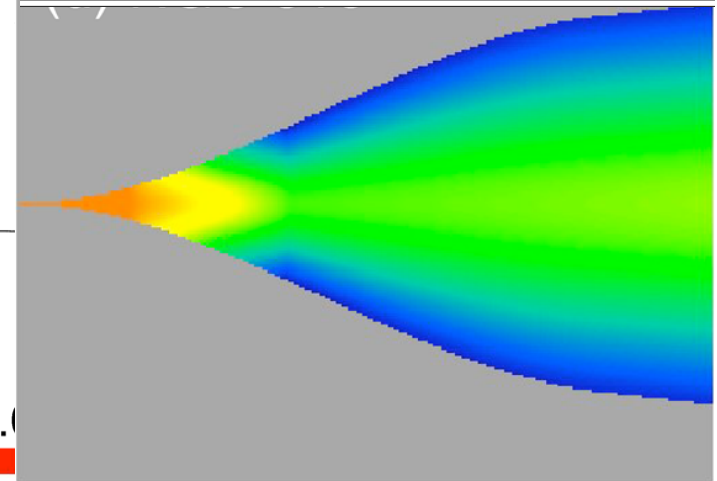
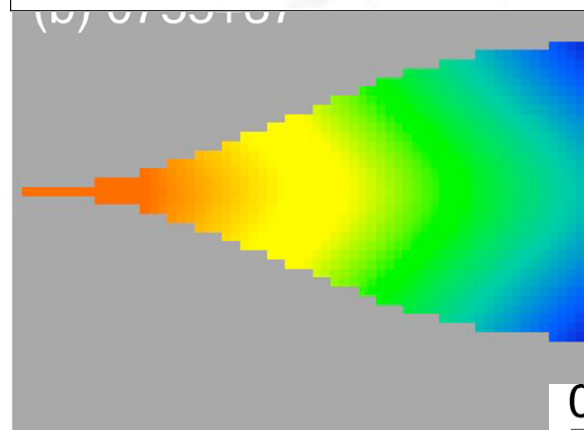
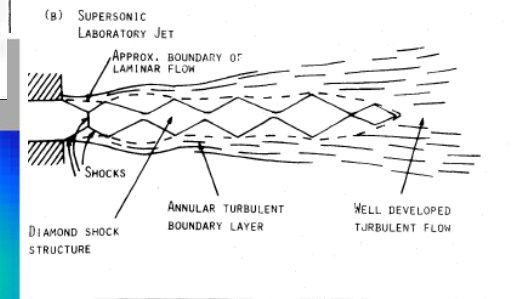
Laing & Bridle 2014



(d) NGC 315



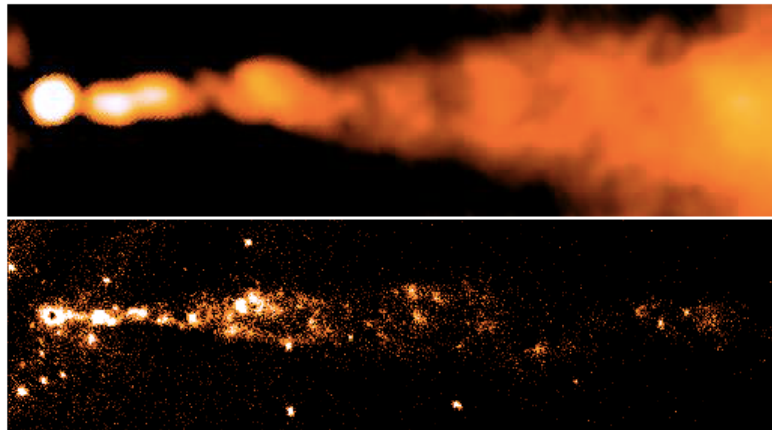
Bicknell 1984



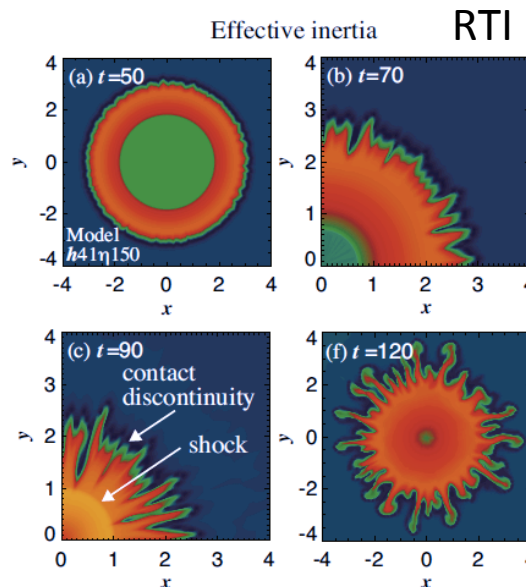
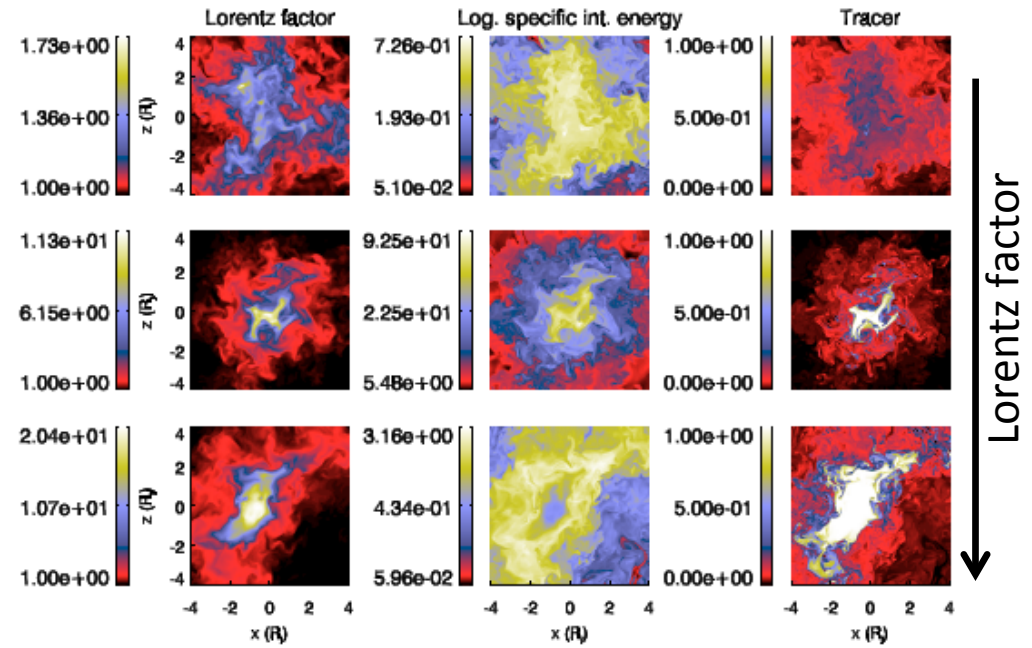
Kharb et al. (2012) also found X-ray emission from these regions in 15/21 FRI's.

Instabilities

Perucho et al. 2005, 2010. KHI



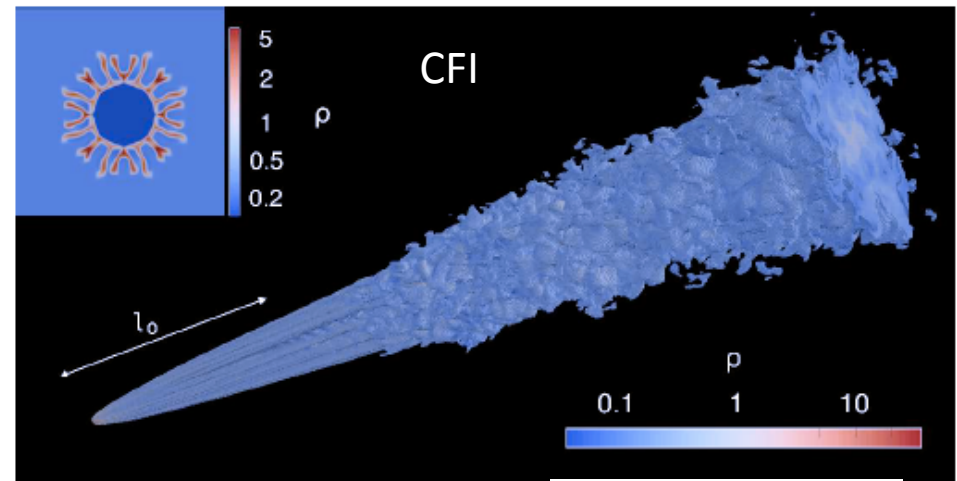
Komissarov 1994, Bowman et al. 1996, Worrall et al. 2008, Goodger et al. 2010, Wykes et al. 2013, 2015. Stellar winds?



$$\frac{\rho_1 h'_1 \gamma_1^2}{\rho_2 h'_2 \gamma_2^2} > 1,$$

$$h' := 1 + \frac{\Gamma^2 p}{\Gamma - 1 \rho'}$$

Matsumoto & Masada 2013
Matsumoto, Aloy, Perucho 2017



$\Psi_2 - \Psi_1 < 0,$ $\Psi = \rho h \gamma^2 (\Omega R^2)^2,$
Gourgouliatos & Komissarov 2018 a,b

Deceleration: mass load by stellar winds

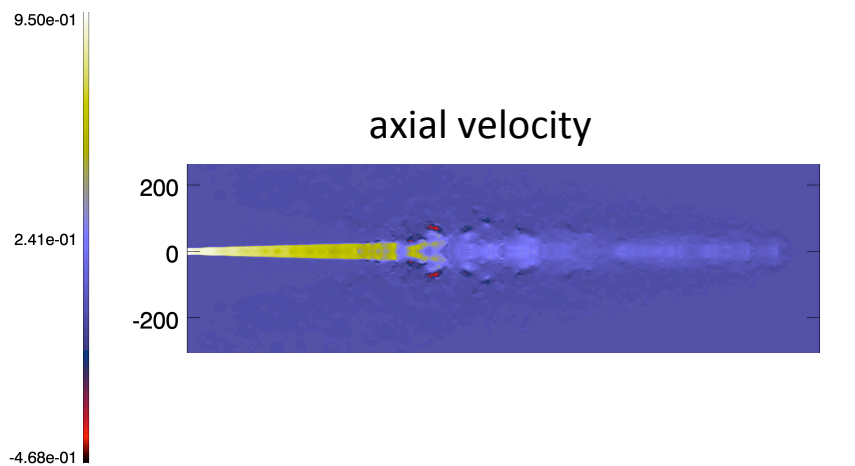
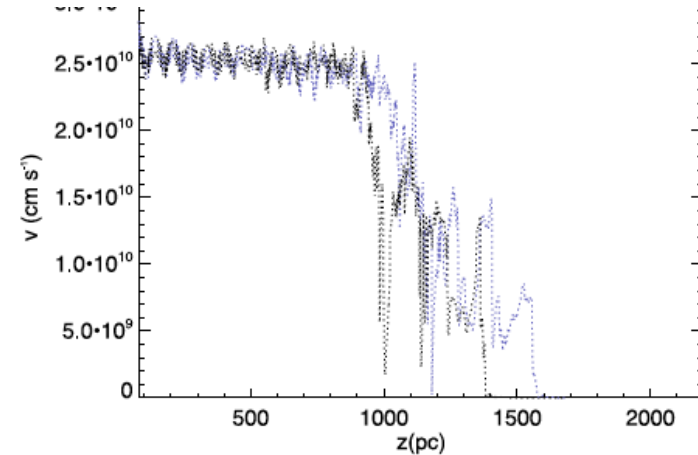
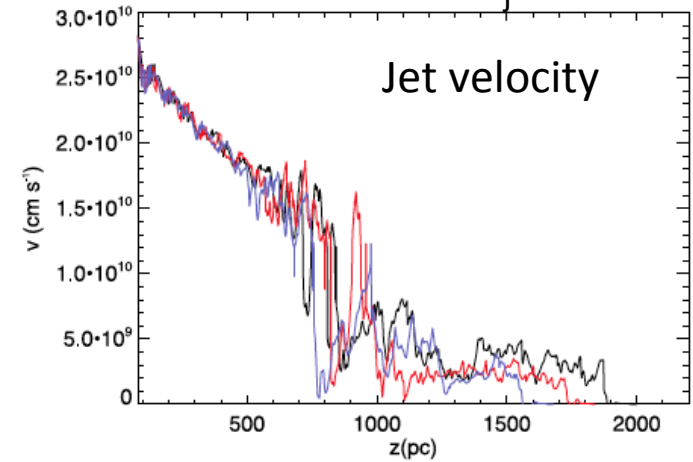
$L_j \sim 10^{42}$ erg/s

Following Komissarov (1994), Bowman et al. (1996), we performed simulations of FRI jets with a source term in mass accounting for mass-load from stellar wind.

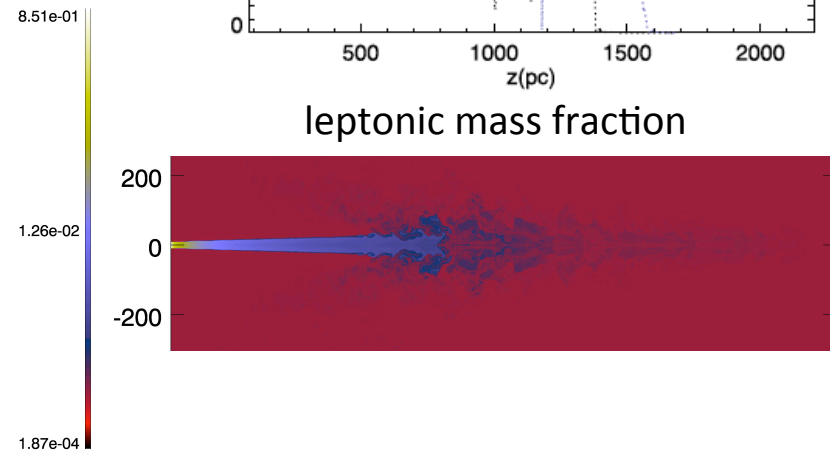
King density profile.
$$n_{ext} = n_c \left(1 + \frac{r^2}{r_c^2} \right)^{-3\beta_{atm,c}/2}$$

Deprojected Nuker profile
(Lauer et al. 2007).
$$S_\rho = q_0 \left(\frac{r_b}{r} \right)^\gamma \left(1 + \left(\frac{r}{r_b} \right)^\alpha \right)^{(\gamma-\beta)/\alpha}$$

The stars are assumed to be all the same, with stellar mass losses 10^{-11} - $10^{-12} M_\odot \text{yr}^{-1}$.



injection point at 80 pc – initial jet radius 10 pc



Perucho, Martí, Laing, Hardee 2014

RMHD simulations: 1D code – mass-load

The approximation is valid as long as:

$$\begin{aligned} r &\ll z \\ v^r, v^\phi &\ll v^z \sim c \\ B^r &\ll B^\phi, B^z \end{aligned}$$

Komissarov, Porth, Lyutikov (2015)

Under these conditions, the steady-state equations of RMHD can be accurately approximated by the 1D time-dependent equations, with the axial coordinate acting as *temporal* coordinate

SIMULATION SETUP

Jet power: $L_j = (\rho_j h_j W_j + \overline{B^\phi_j}) v^j A_j c^2,$

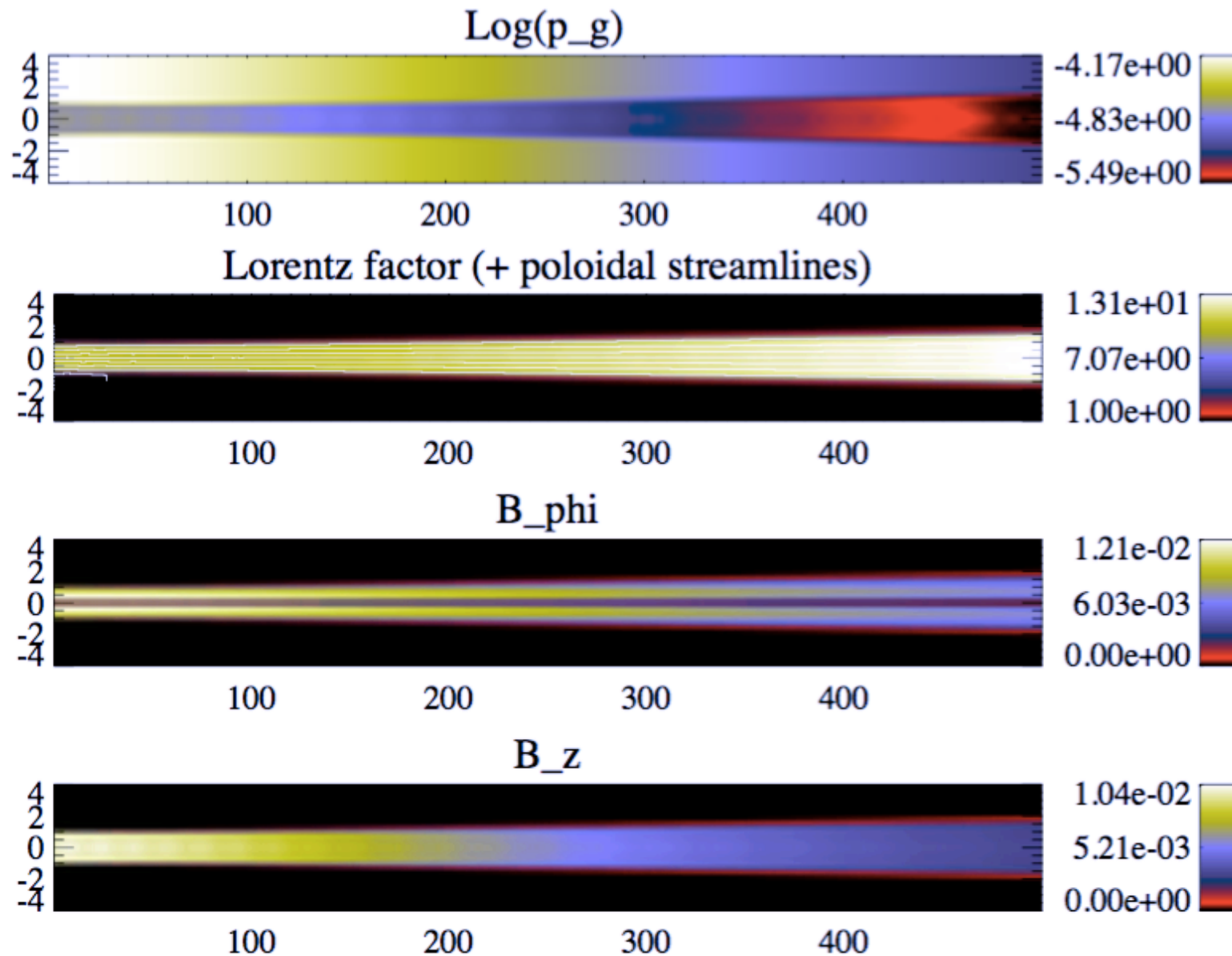
Ambient pressure: $p_a(z) = p_{a,0} \left(1 + \left(\frac{z}{r_c} \right)^2 \right)^{-1.095},$

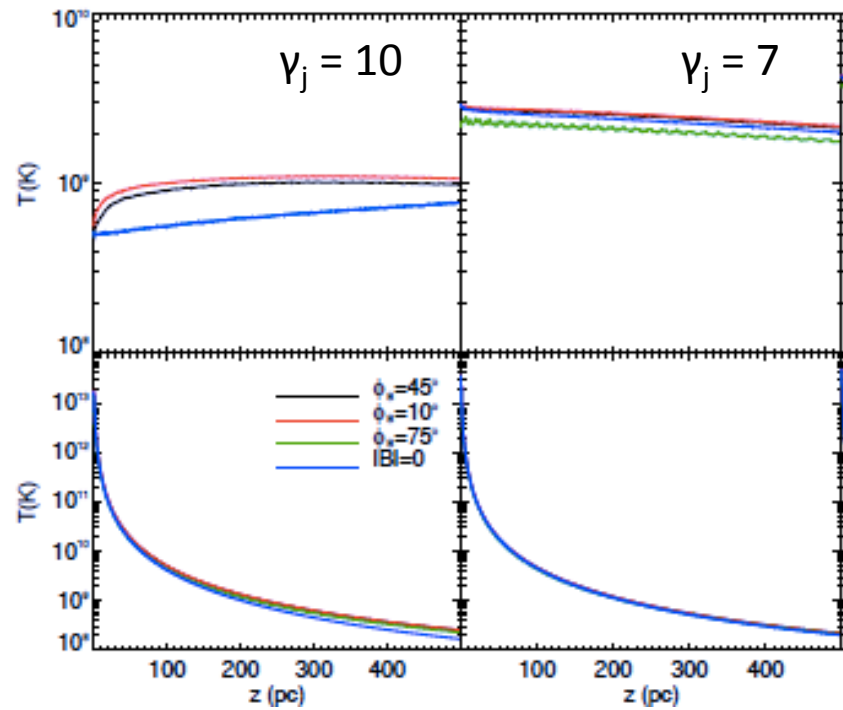
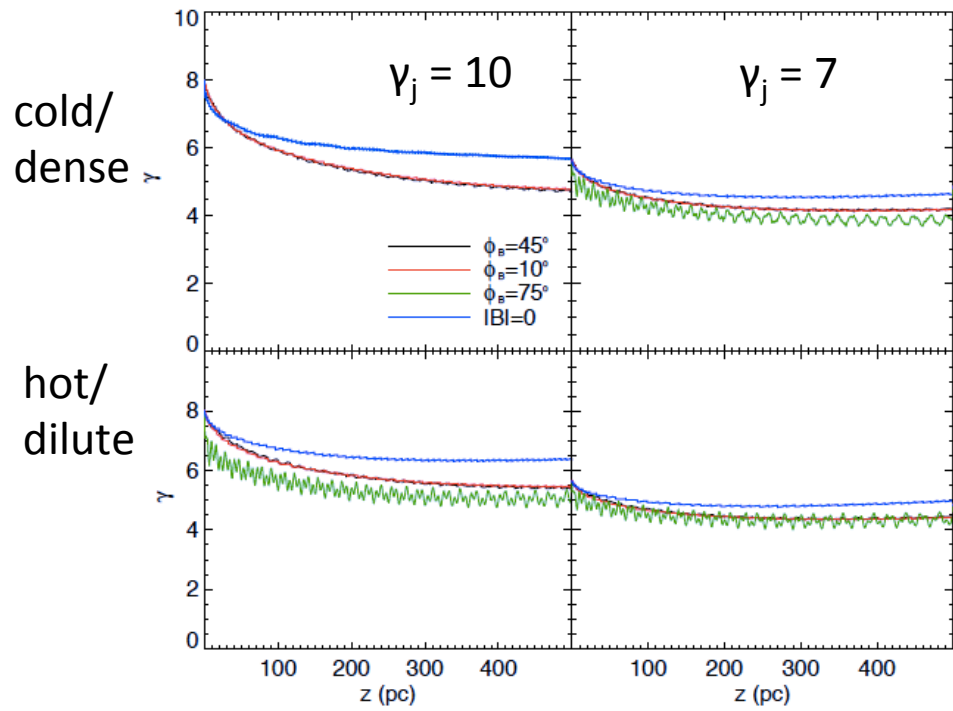
Stellar wind mass-load: $Q(z) = Q_0 \left(1 + \left(\frac{z + z_0}{r_{c,s}} \right)^2 \right)^{-1.095},$

Jet composition: Leptonic. $R_{j,0} = 1 \text{ pc}$ $Q_0 = 10^{-11} \text{ M}_\odot \text{ yr}^{-1}$ $r_c = 200 / 500 \text{ pc}$
 Stellar wind: electron-proton. $L_j = 1.e43 \text{ erg/s}$ $Q_0 = 10^{-9} \text{ M}_\odot \text{ yr}^{-1}$ $r_{c,s} = 500 \text{ pc}$

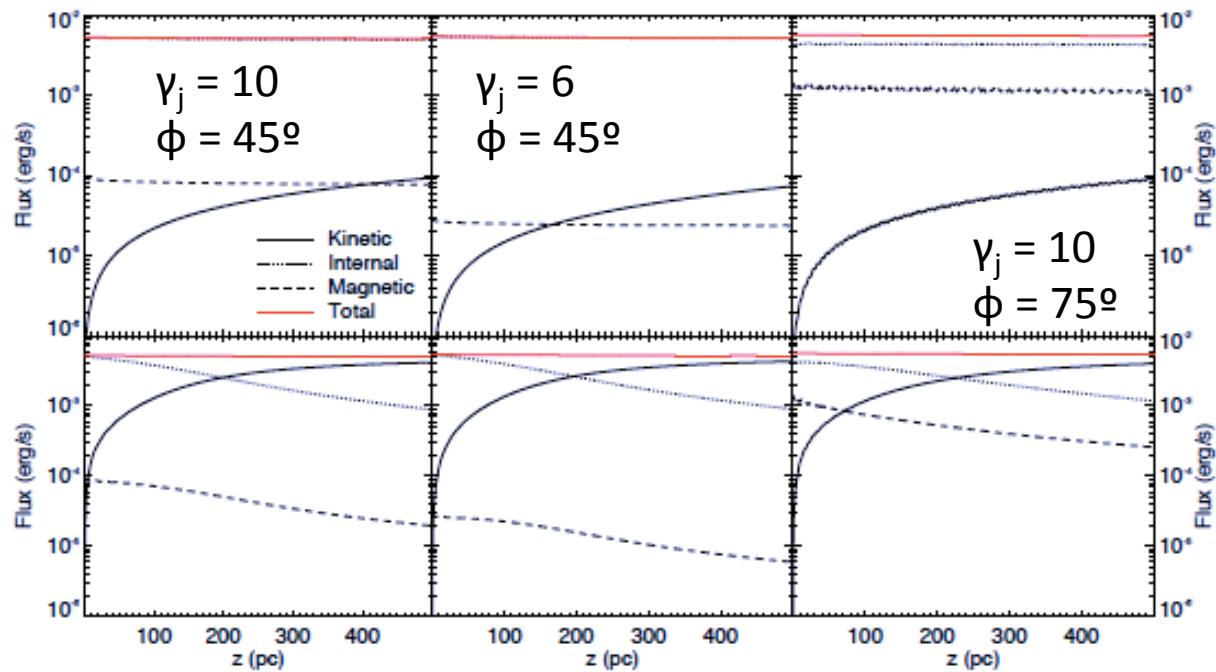
Anglés, Perucho, Martí, Laing, MNRAS, 2021

Results



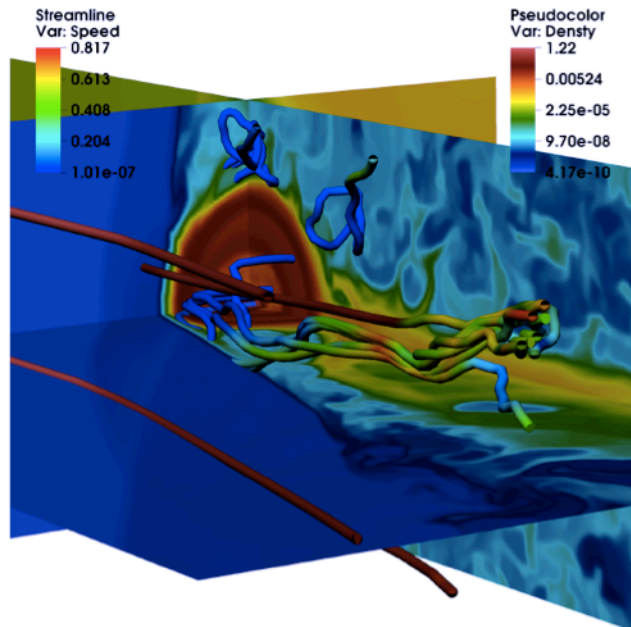


hot/
dilute
weak load



heavy load

Stars as triggers of mixing and deceleration

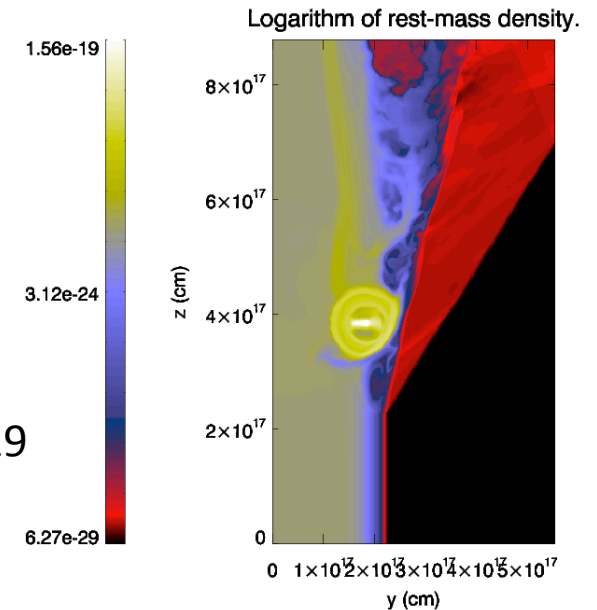


Perucho, Bosch-Ramon, Barkov
A&A 2017

see Araudo et al. 2013

Vieyro et al. 2017

Torres-Albà & Bosch-Ramon 2019
for detailed studies on jet-star
interactions



number of interactions per unit time

$$\mathcal{N}_p \sim n_s(z) v_s(z) \frac{S_j(z)}{z}, \quad S_j(z) \sim \pi R_j(z) z$$

$$\mathcal{N}_p \sim 3 \times 10^{-4} \left(\frac{n_s(z)}{1 \text{ pc}^{-3}} \right) \left(\frac{v_s(z)}{10^7 \text{ cm s}^{-1}} \right) \left(\frac{R_j(z)}{1 \text{ pc}} \right) \text{ pc}^{-1} \text{ yr}^{-1}.$$

One interaction every $3 \times 10^2 - 10^3$ yr if $R_j \approx 10$ pc and $n_s \approx 0.1 - 1 \text{ pc}^{-3}$

Perucho, 2020,
MNRAS Lett.

Interaction scales

$$R_{\text{int}} = 2.14 \times 10^{12} \left(\frac{\dot{M}_w}{10^{-11} M_{\odot} \text{ yr}^{-1}} \right)^{1/2} \left(\frac{v_w}{10 \text{ km s}^{-1}} \right)^{1/2} \times$$

$$\left(\frac{L_j}{10^{43} \text{ erg s}^{-1}} \right)^{-1/2} \left(\frac{v_j}{c} \right)^{-1/2} \left(\frac{h_j}{c^2} \right)^{1/2} \left(\frac{R_j}{1 \text{ pc}} \right) \text{ cm},$$

If $t_p = R_{\text{int}}/v_s$, with $v_s = 100 \text{ km/s}$

Shear layer of 1-10% of the jet radius: $10^{17-18} \text{ cm} / 10^7 \text{ cm/s} \sim 10^{3-4} \text{ yr}$

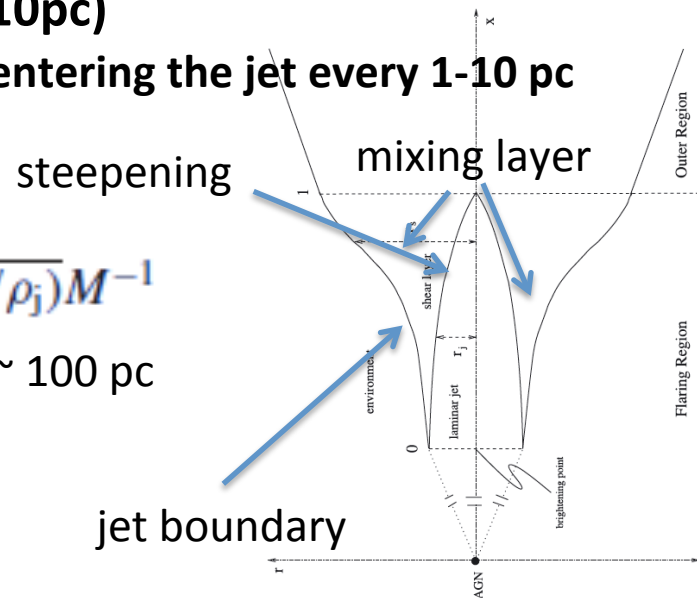
$10^{3-4} \text{ yr} > 3 \times 10^2 - 10^3 \text{ yr} ! (R_j = 10 \text{ pc})$

The process could thus be continuous with one star entering the jet every 1-10 pc

mixing layer expansion (De Young 1993) $\propto \sqrt{(\rho_{\text{ISM}}/\rho_j)M^{-1}}$

In FRI sources, the mixing layer expands across the jet $\sim 100 \text{ pc}$ along $\sim 3 \text{ kpc}$ (Wang 2009, Laing & Bridle 2014):

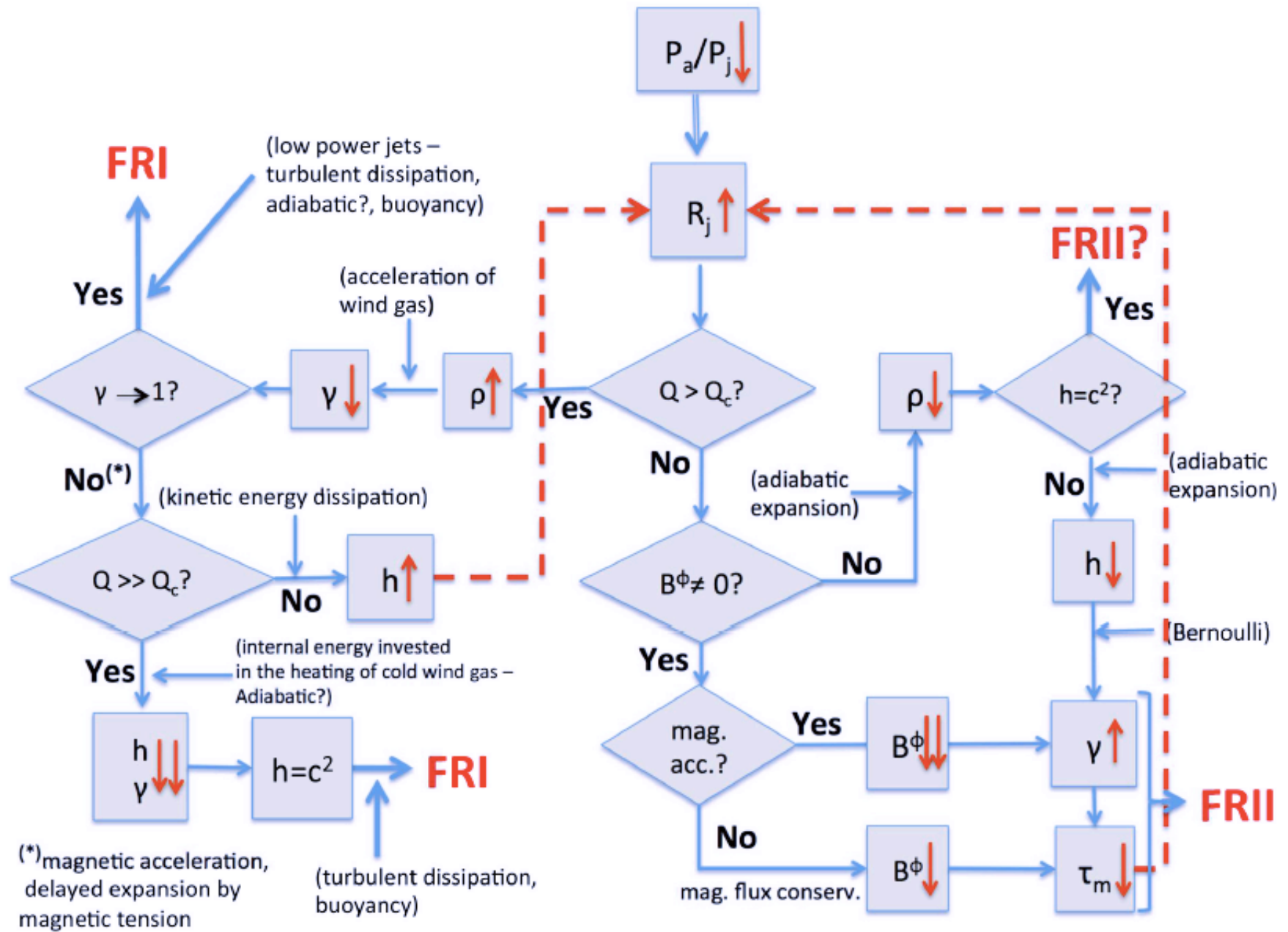
$0.03 c \longrightarrow 10^4 \text{ yr}$



Summary

- Mass load by stellar winds seems to be insufficient to decelerate classical FRIs with the stellar populations in elliptical galaxies.
- They can, however, strongly affect jet composition and the distribution of energy fluxes (particle dominated).
- The process can dissipate a significant amount of kinetic energy.

- Deceleration can be caused by the continuous disturbance of the jet surface by entering/exiting stars and clouds.



Observability

The value of R_{int} would represent, for M87, 10^{-2} μas – 0.1 mas (for the largest bubbles).

The latter is below the resolution achieved at 15-43 GHz (Kovalev et al. 2007, Walker et al. 2018) and around that at 86 GHz (Kim et al. 2018).

However, the regions observed at those frequencies are compact and the expected number of large bubbles is therefore strongly reduced if compared to larger scales.

Flaring:

The number of simultaneous interactions is given by $N_{\text{int}} \propto n_s(z) V_j \propto n_s(z) R_j(z)^2$.

The jet expands with z^k , with $k > 1$ at the flaring region.

If the number of stars drops with an exponent smaller than $2k$, then the number of interactions and, thus, the global energy dissipation produced by jet-star interactions would grow with distance in this region, as a plausible cause for the observed flaring (e.g., Laing & Bridle 2014).