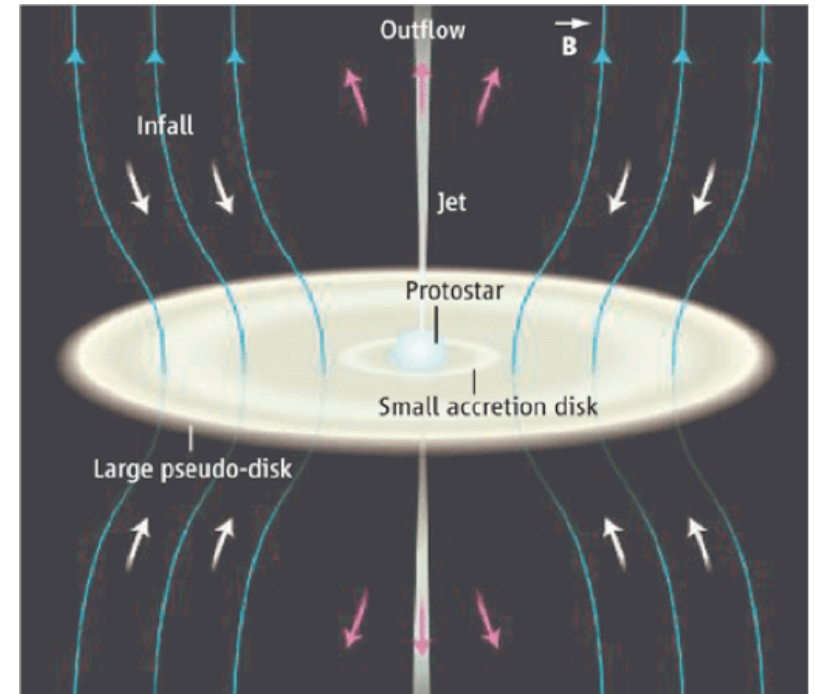


# EPOS

The Early Phase of Star Formation  
MPIA Conference Series at Ringberg Castle

## Role of Magnetic Fields in Star Formation: Observations

Dick Crutcher  
University of Illinois

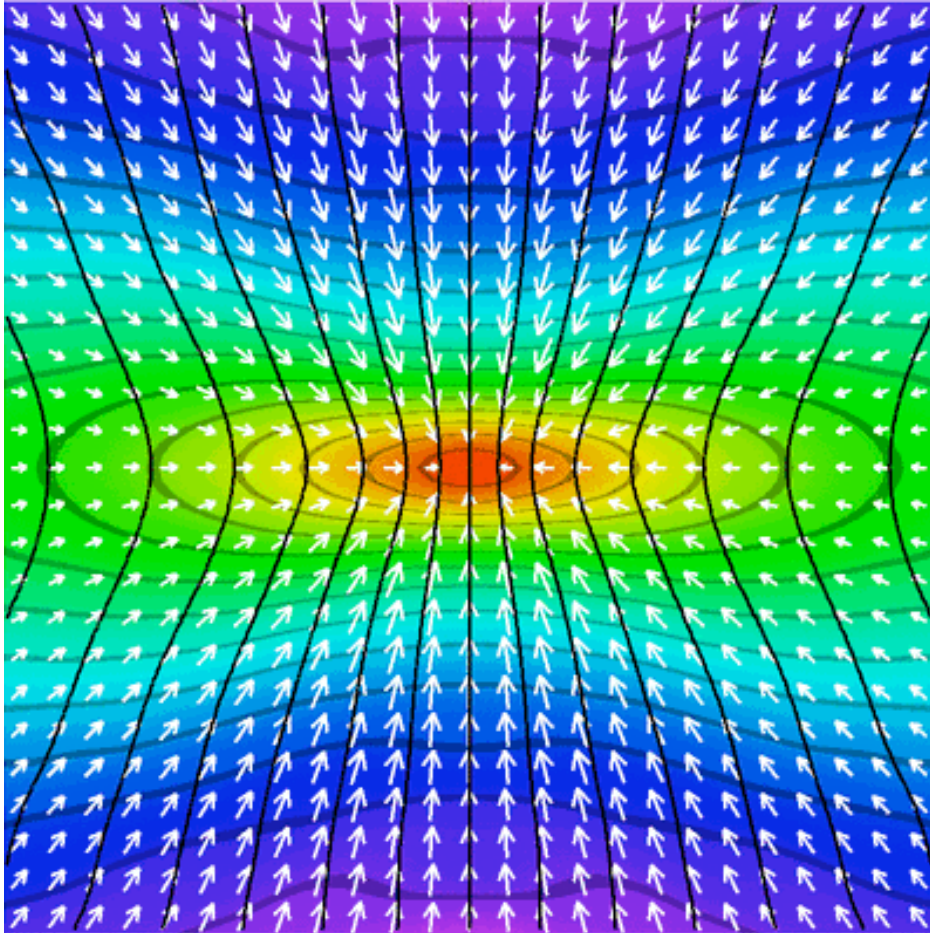


# What Drives (Triggers) Star Formation?

- Two (extreme case) paradigms:
  1. magnetic support (turbulence unimportant)
    - self-gravitating clouds are magnetically supported
    - magnetic field only frozen into ions, not neutrals
    - gravity leads to contraction of neutrals through ions and magnetic field: ambipolar diffusion
    - mass in core overwhelms core magnetic field, collapses
  2. compressible turbulence (magnetic fields unimportant)
    - turbulence forms structure in the interstellar medium
    - dense clumps form, and usually dissipate
    - some clumps are self-gravitating and collapse
- Observations of magnetic fields in molecular clouds can distinguish between these models
  1. magnetic field morphology
  2. ratio of gravity to magnetic support:  $M/\Phi$
  3. scaling of magnetic field strength with density

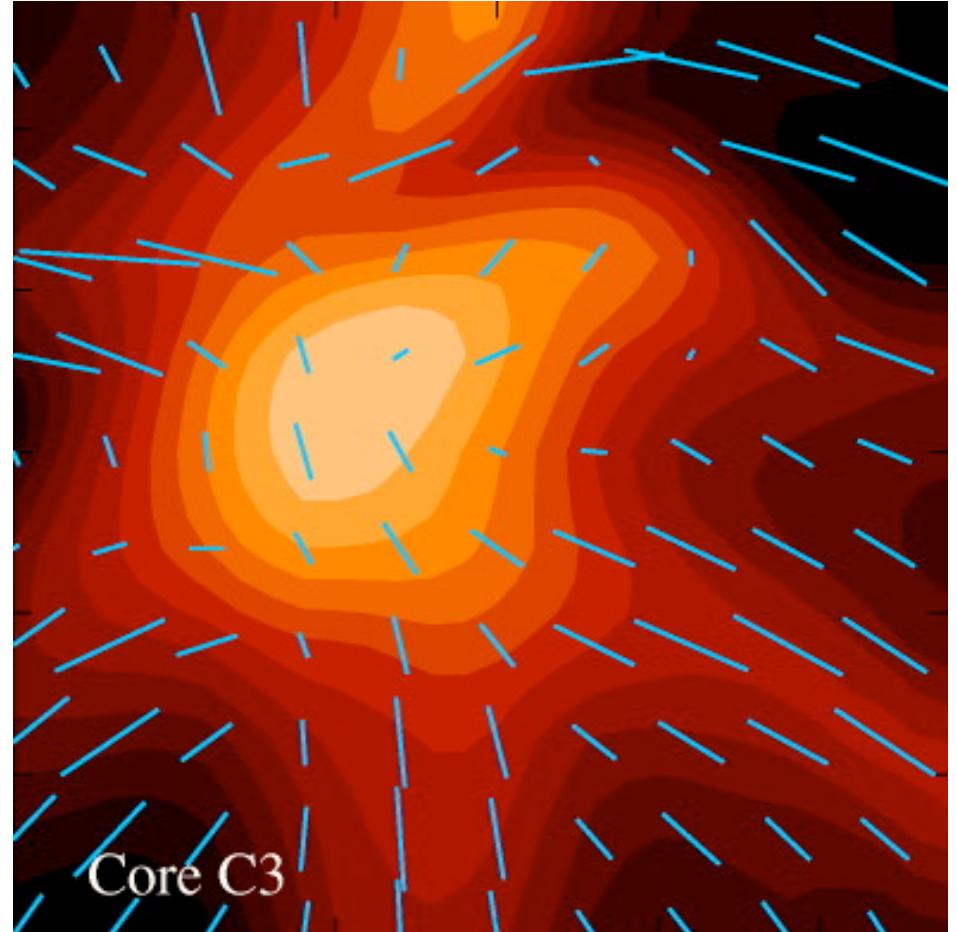
# Magnetic Field Morphology

ambipolar diffusion



Fiedler & Mouschovias 1993

turbulence



Padoan et al. 2001

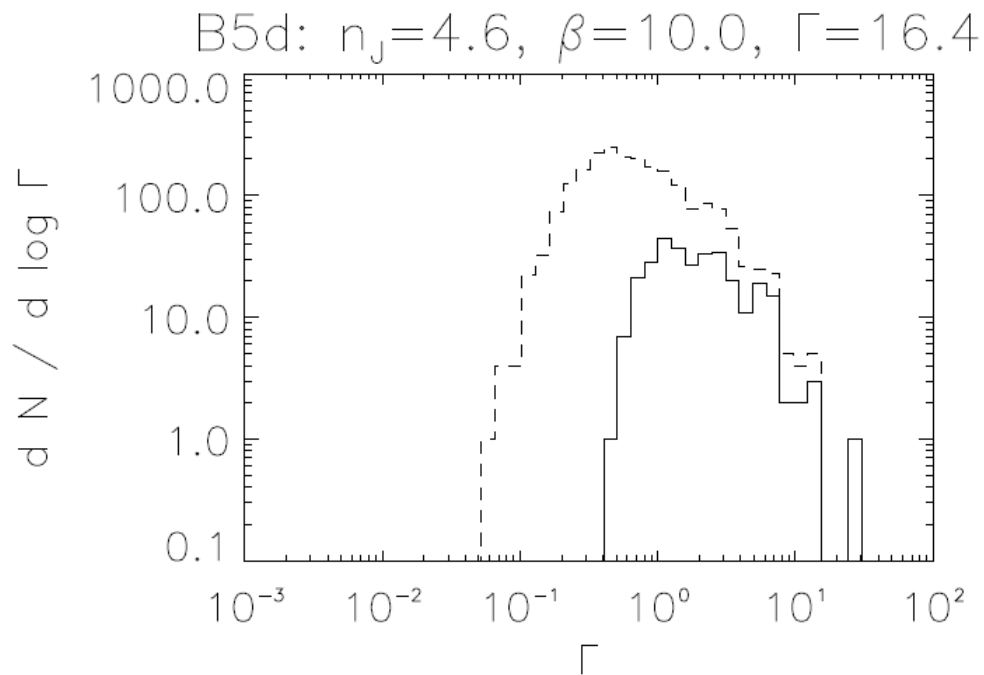
# Mass/Flux = $M/\Phi$ , ratio of gravity to magnetic support

$$\left(\frac{M}{\Phi}\right)_{critical} = 1/2\pi\sqrt{G}$$

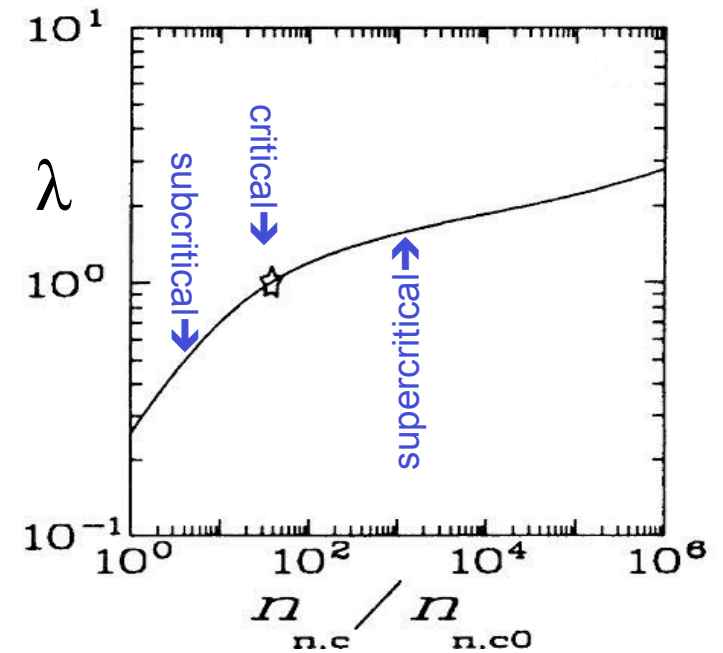
Nakano & Nakamura 1978

$$\frac{M_{observed}}{\Phi_{observed}} \propto \frac{N(H_2)}{B}$$

$$\lambda \equiv \frac{(M/\Phi)_{observed}}{(M/\Phi)_{critical}}$$



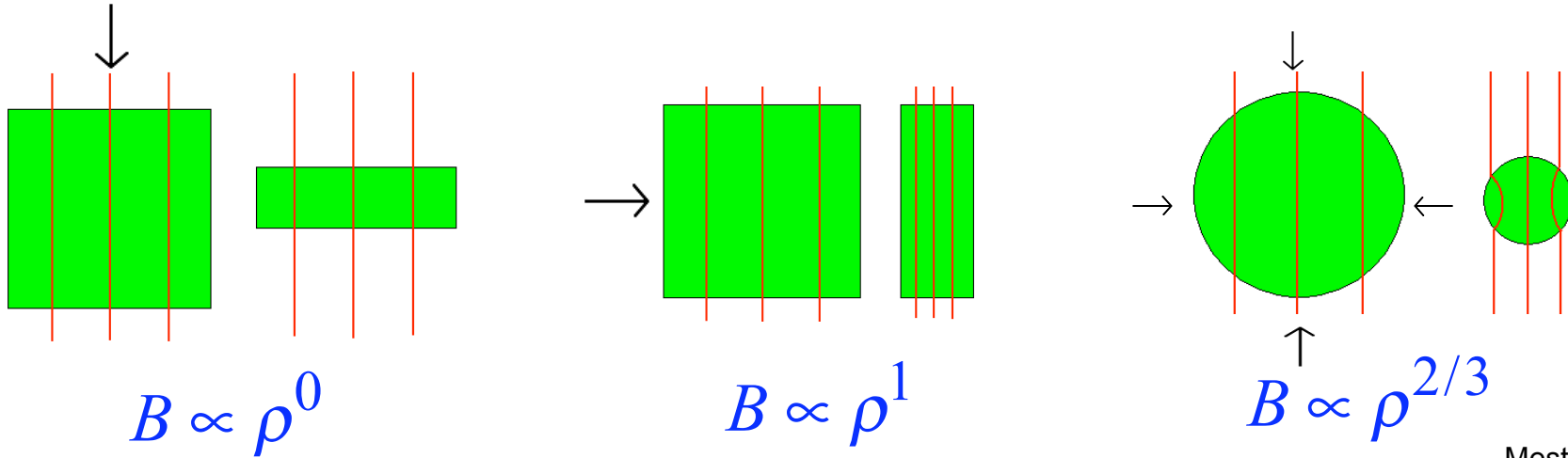
Tilley & Pudritz 2007



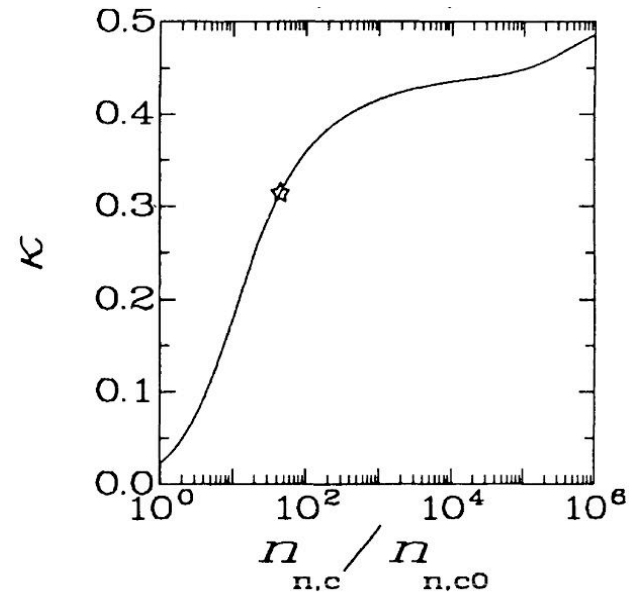
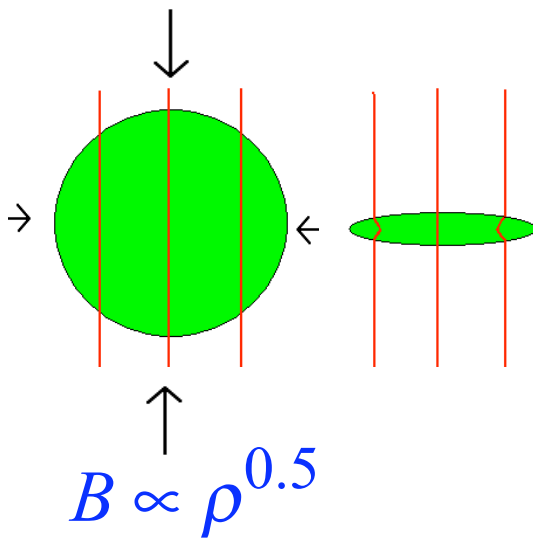
Ciolek & Mouschovias 1994



# Scaling of B with $\rho$



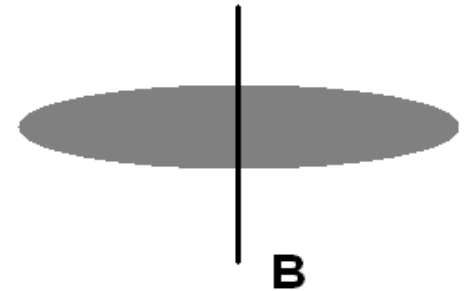
Mestel 1966



Ciolek & Mouschovias 1994

# Polarized emission from paramagnetic grains

- grain alignment with minor axis  $\parallel$  to  $B$
- linear polarization, hence morphology of  $B_{pos}$
- polarization percentage independent of the strength of the magnetic field, so no direct measurement of field strength

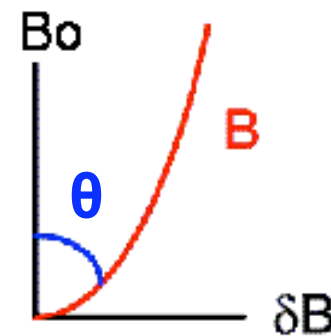


- indirectly (Chandrasekhar & Fermi):

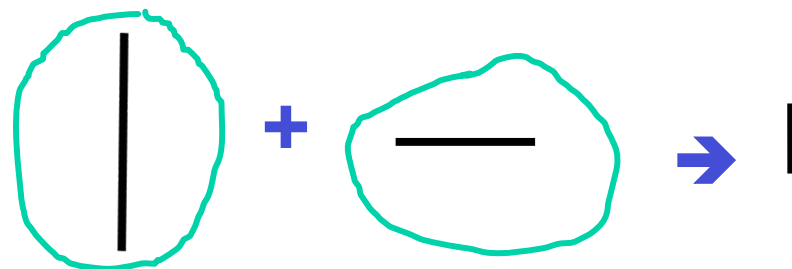
$$\delta V \approx \delta B / \sqrt{4\pi\rho}, \quad \delta\theta \approx \delta B / B_{pos}$$

$$\therefore B_{pos} \approx f \sqrt{4\pi\rho} \delta V_{los} / \delta\theta$$

$$f \approx 0.5$$

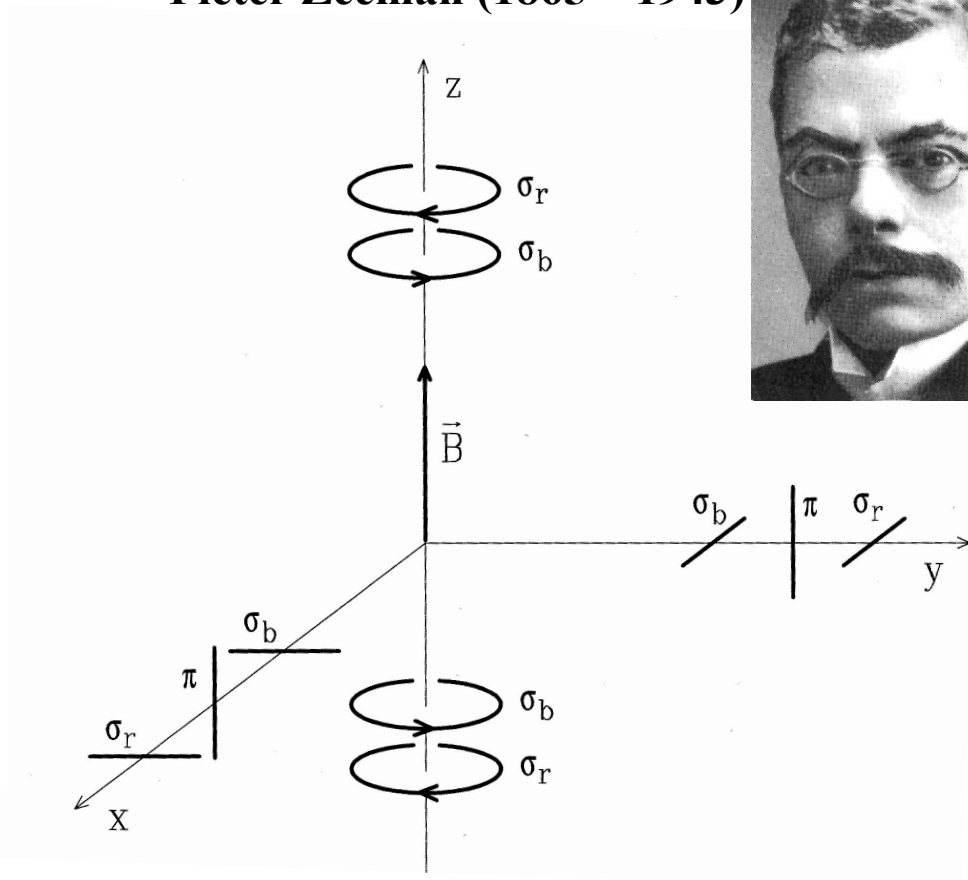
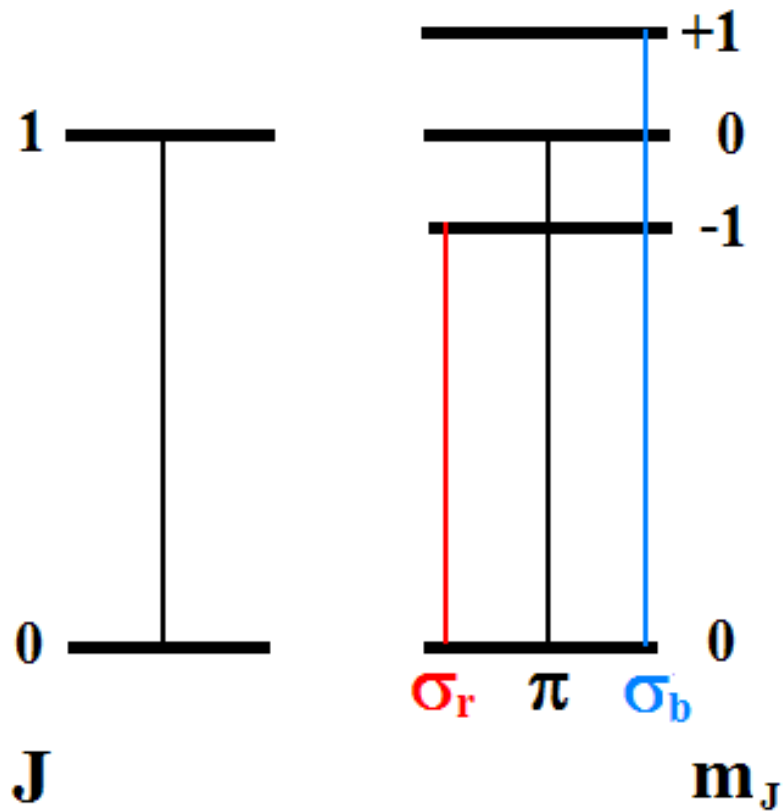
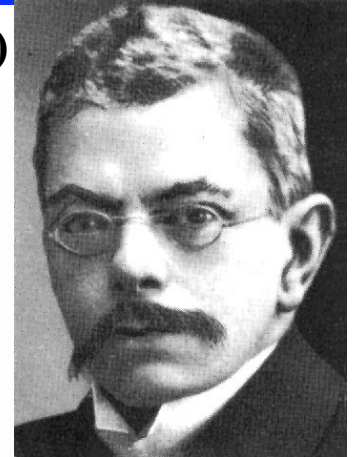


- gives field direction in strongest clump along line of sight



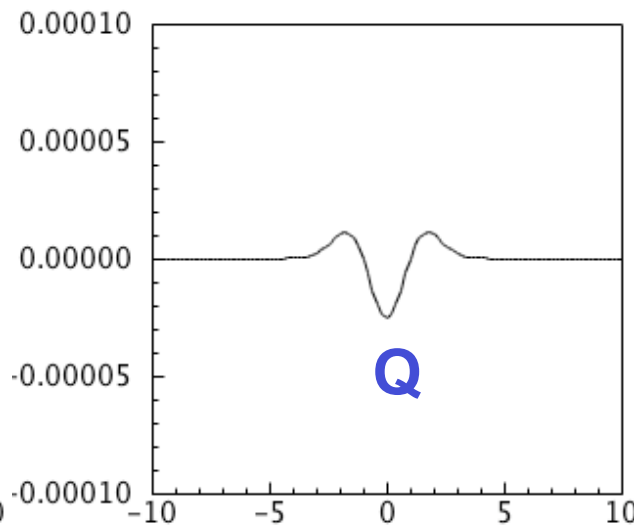
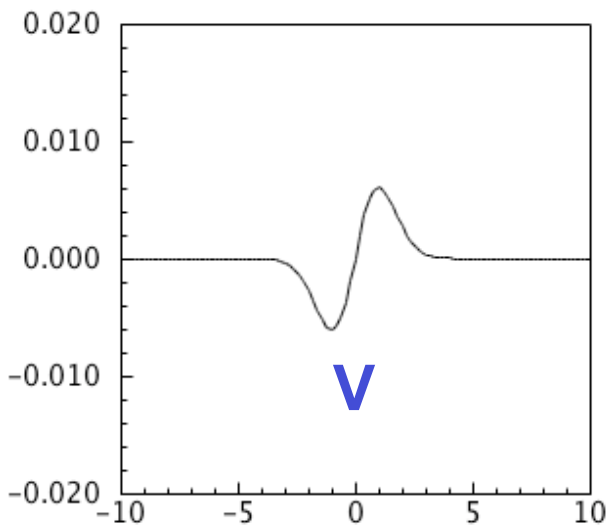
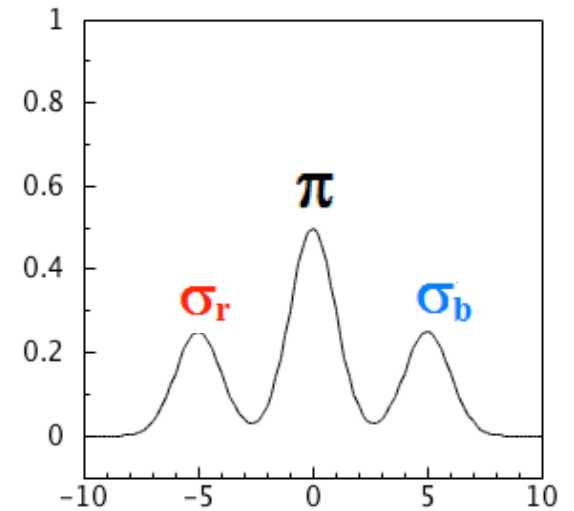
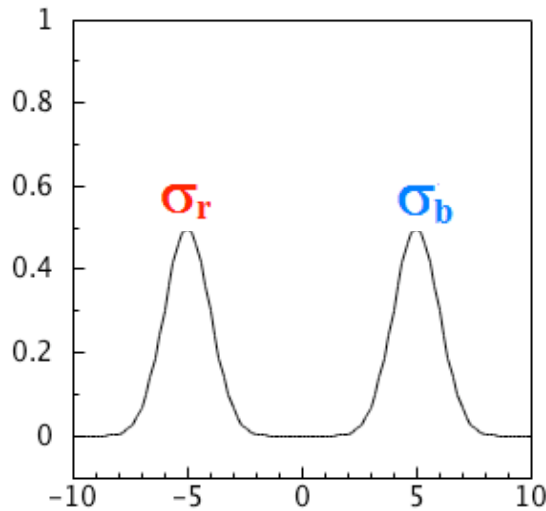
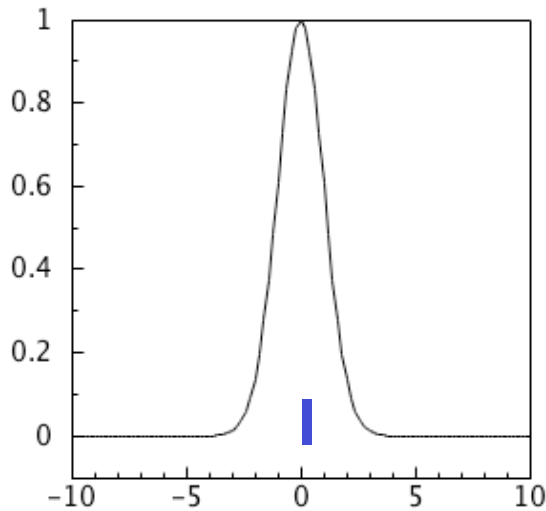
# Zeeman Effect

Pieter Zeeman (1865 – 1943)



Species	Wavelength	$n(H)$ traced
H I	21-cm	$10^1 - 10^2 \text{ cm}^{-3}$
OH	18-cm	$10^3 - 10^4 \text{ cm}^{-3}$
CN	3 mm	$10^5 - 10^6 \text{ cm}^{-3}$

# Zeeman Effect



$Q, U \propto (d^2 I / dv^2) (\Delta v_z \sin \theta)^2$   
 $\Rightarrow$  plane of sky  $B$  (not really)

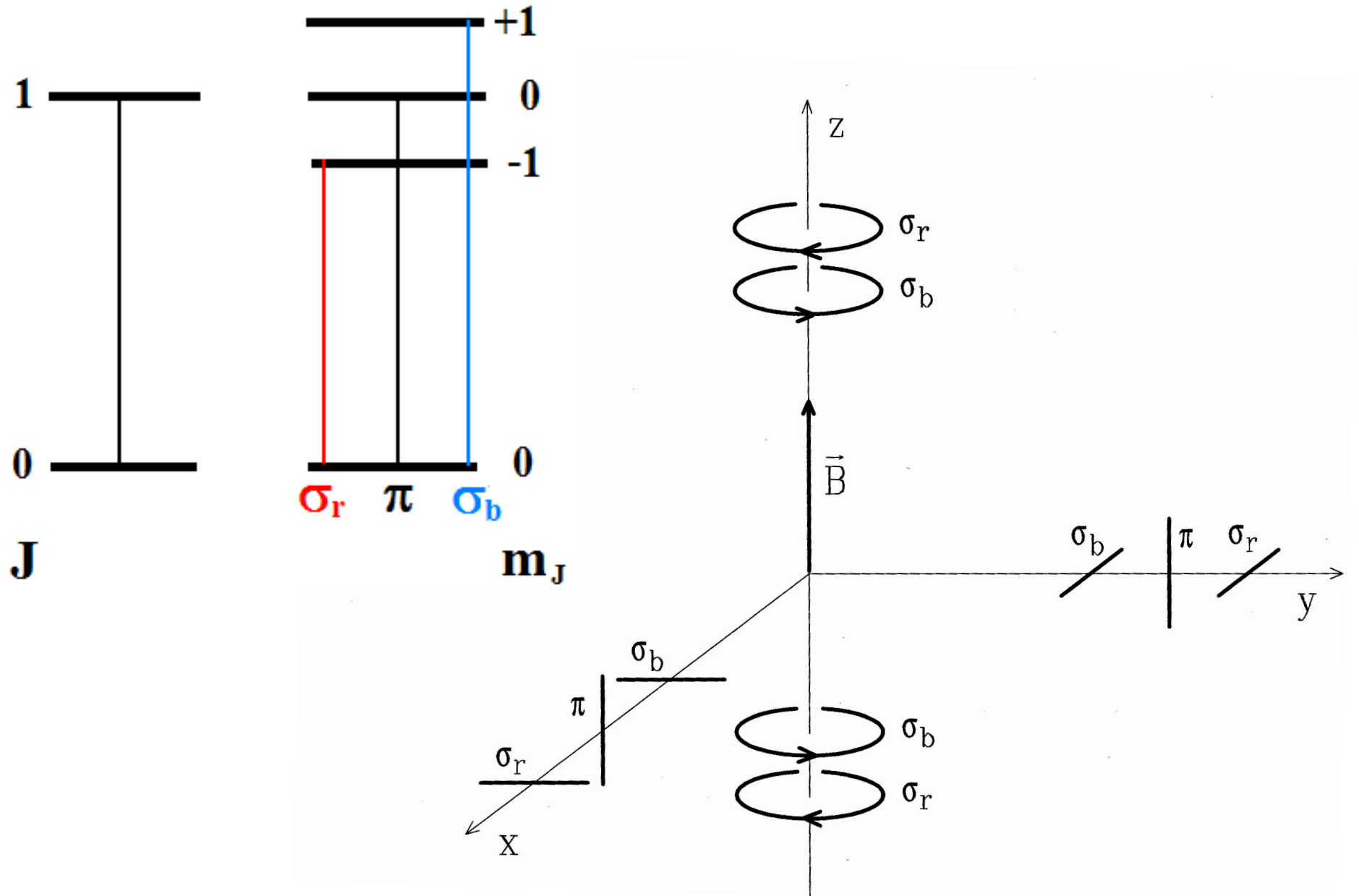
$Q, U \propto (\Delta v_z / \text{linewidth})^2$

$V = L - R \propto (dI / dv) (\Delta v_z \cos \theta)$   
 $\Rightarrow$  line of sight  $B$

$\Delta v_z \propto Z B$



# Goldreich-Kylafis Effect



# Goldreich-Kalafis Effect

## Requirements

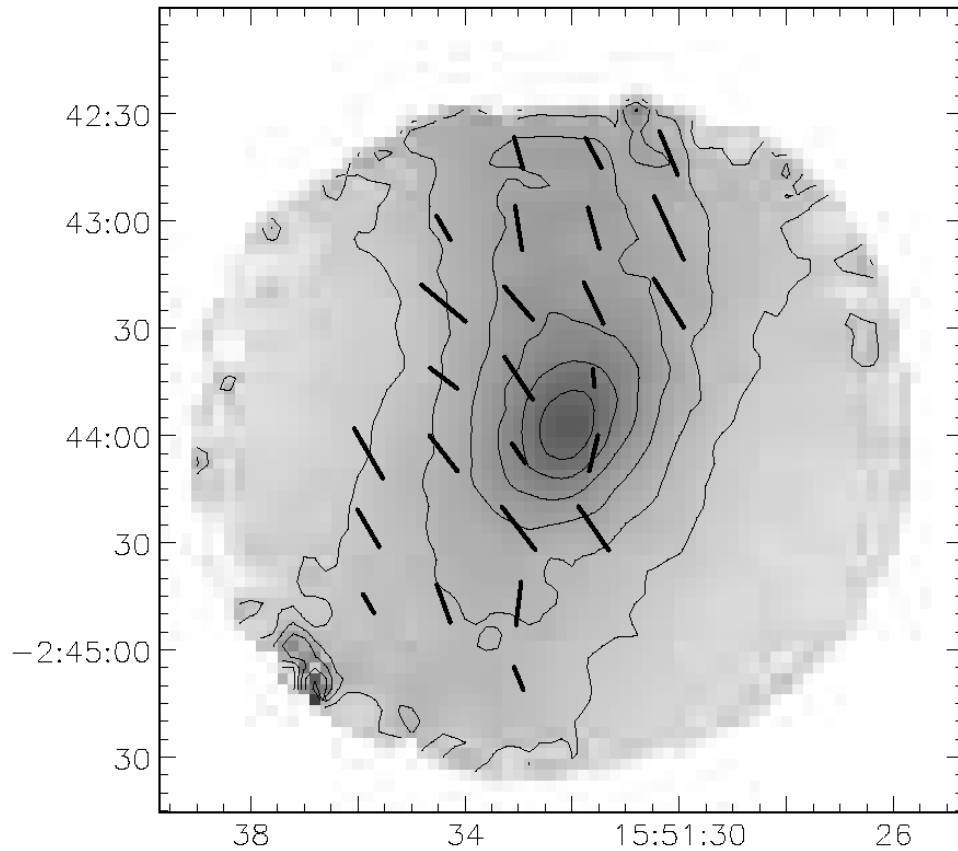
- 1) local anisotropy in line optical depths  
OR
- 2) anisotropy in radiation field

## Result

- 1) non-LTE population of magnetic sublevels
- 2) linearly polarized spectral lines
- 3) linear polarization is parallel or perpendicular to B
- 4) gives only direction of B in plane of sky

# L183 & L1498 Starless Cores

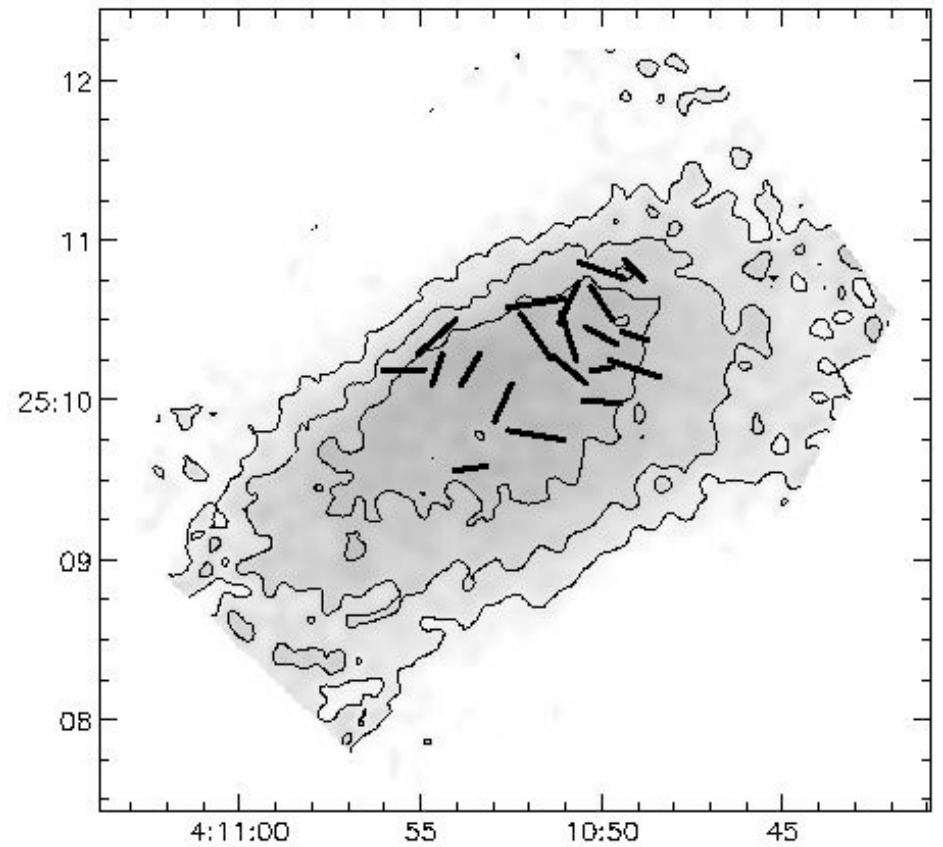
## L183



$n(\text{H}_2) \approx 3 \times 10^5$ ,  $N(\text{H}_2) \approx 3 \times 10^{22}$ ,  
 $B_{\text{pos}} \approx 80 \mu\text{G}$ ,  $\lambda \approx 2.7$

Crutcher et al. 2004

## L1498

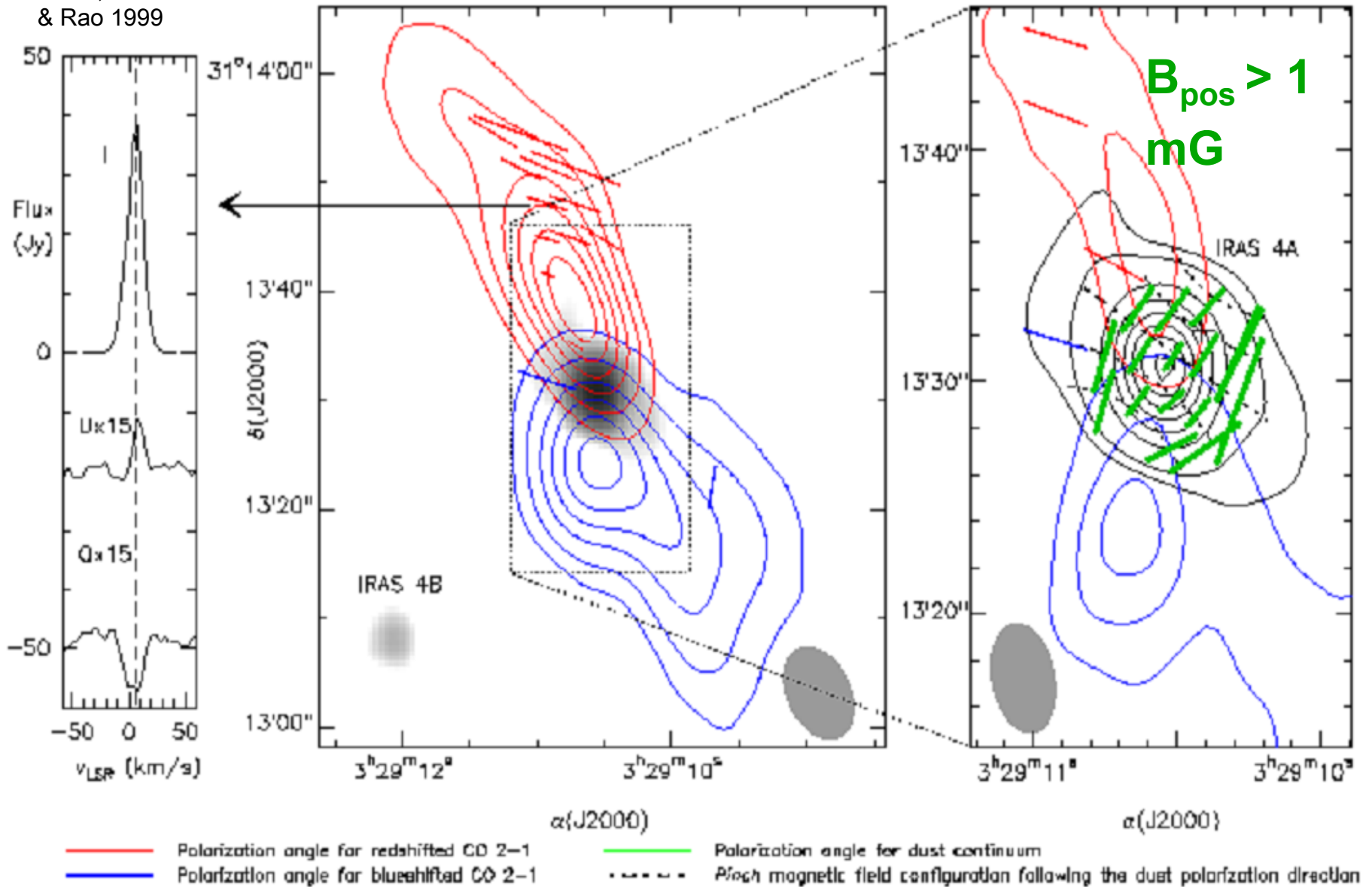


$\Delta\theta \approx 40^\circ$

Kirk, Ward-Thompson & Crutcher 2006

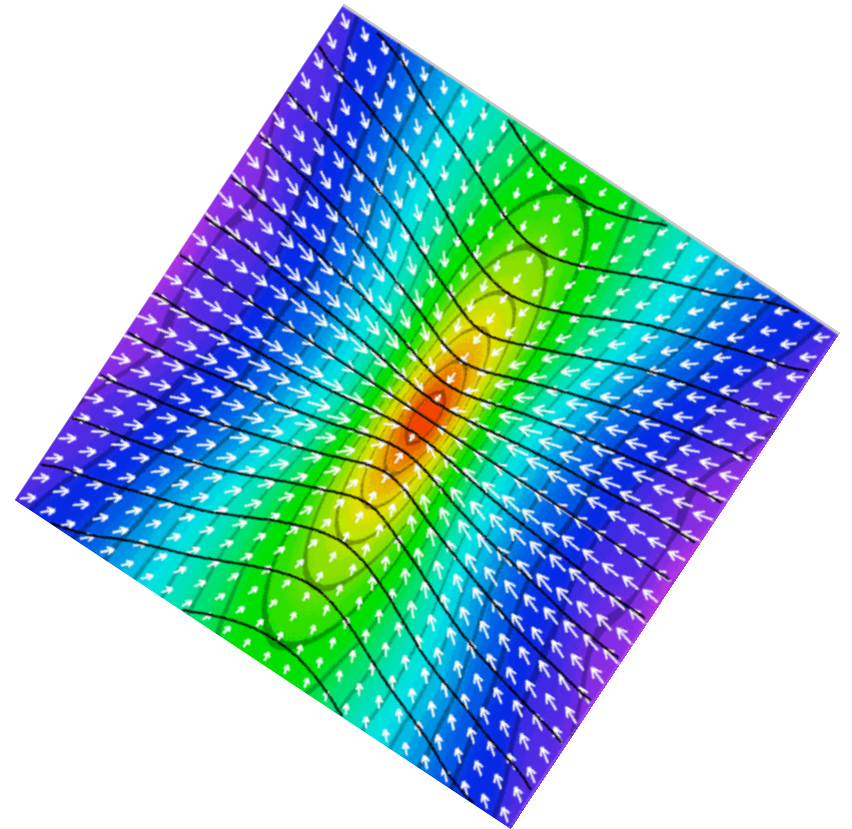
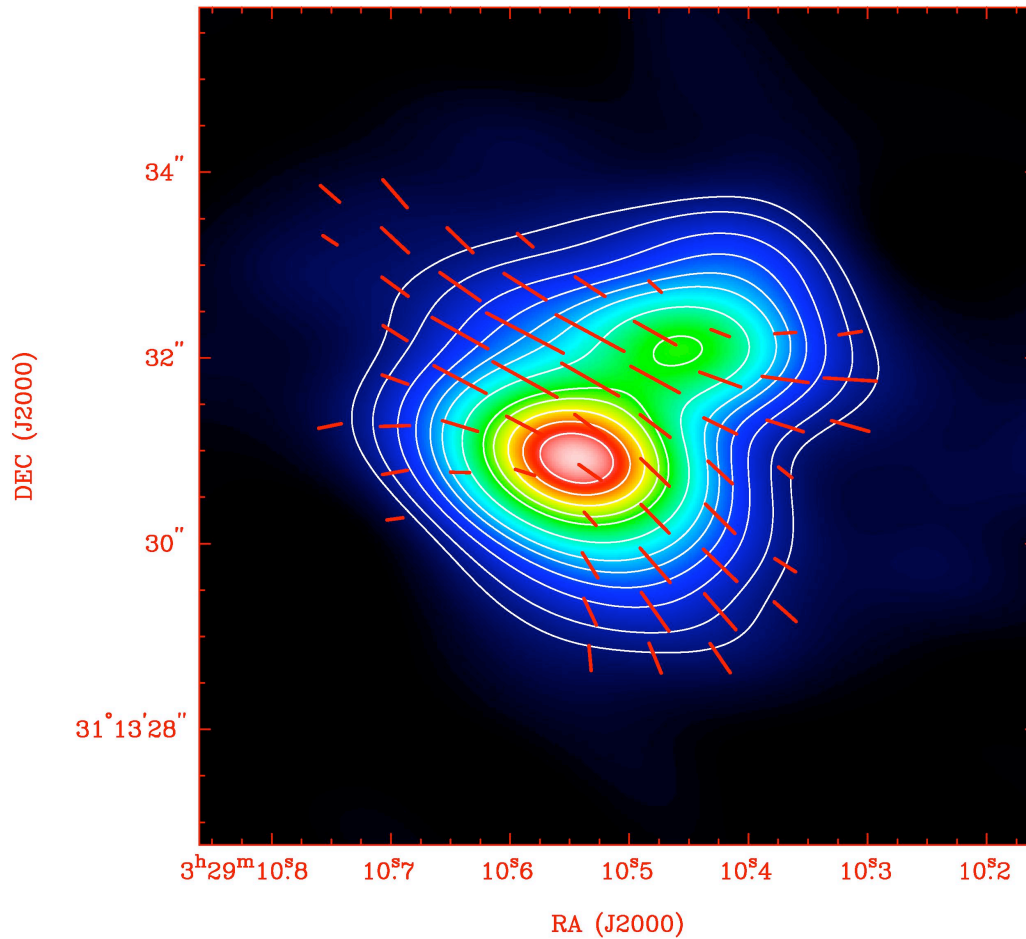
# NGC1333 IRAS4 (BIMA 230 GHz)

Girart, Crutcher  
& Rao 1999

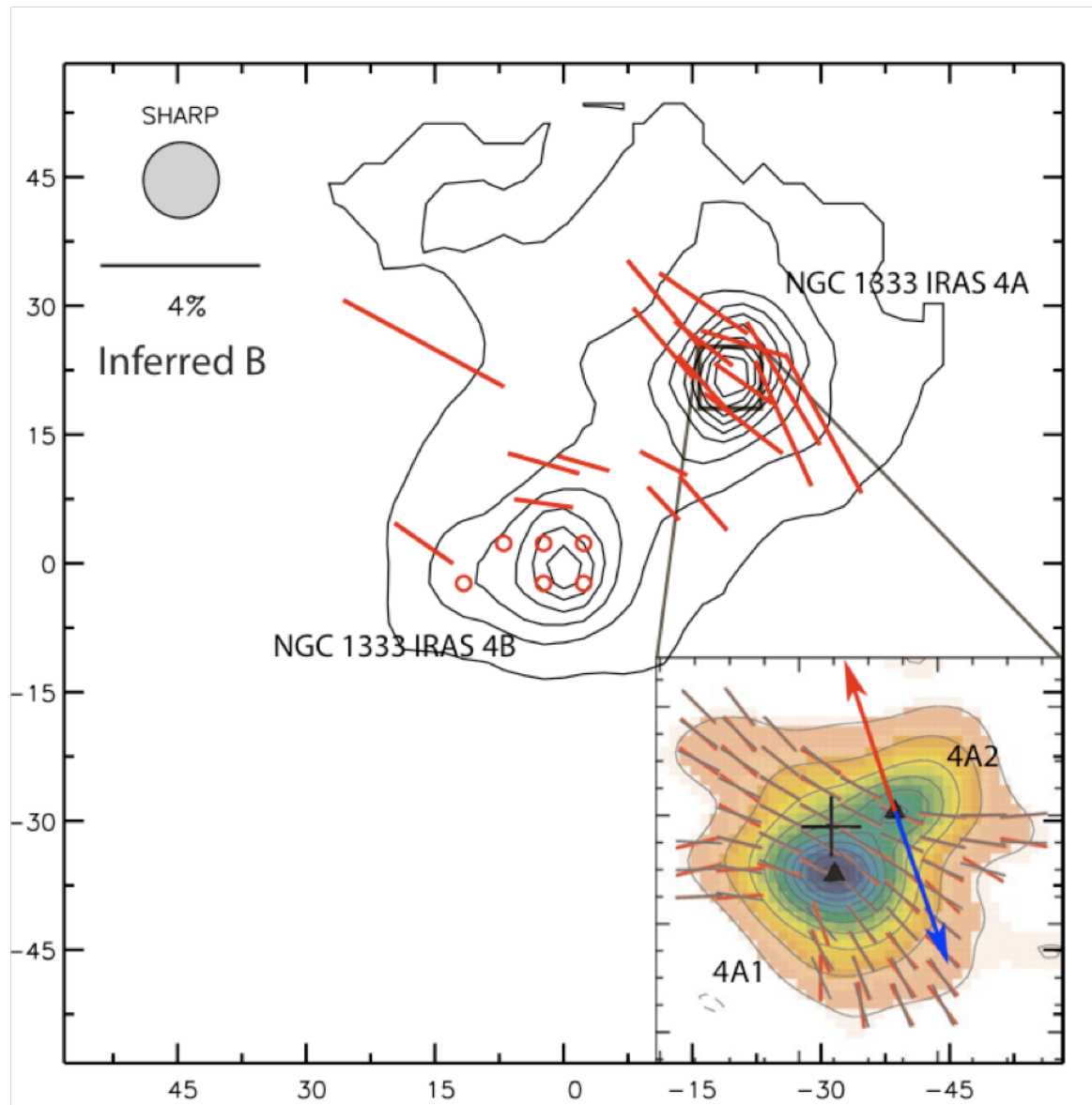




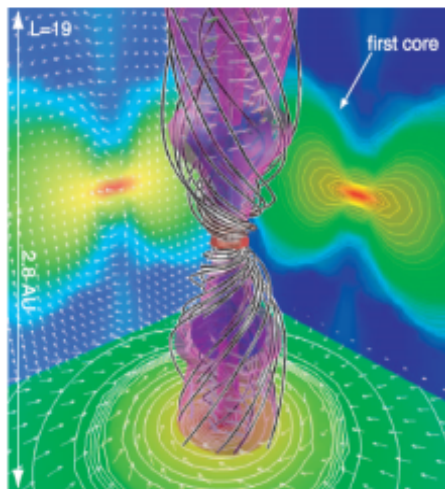
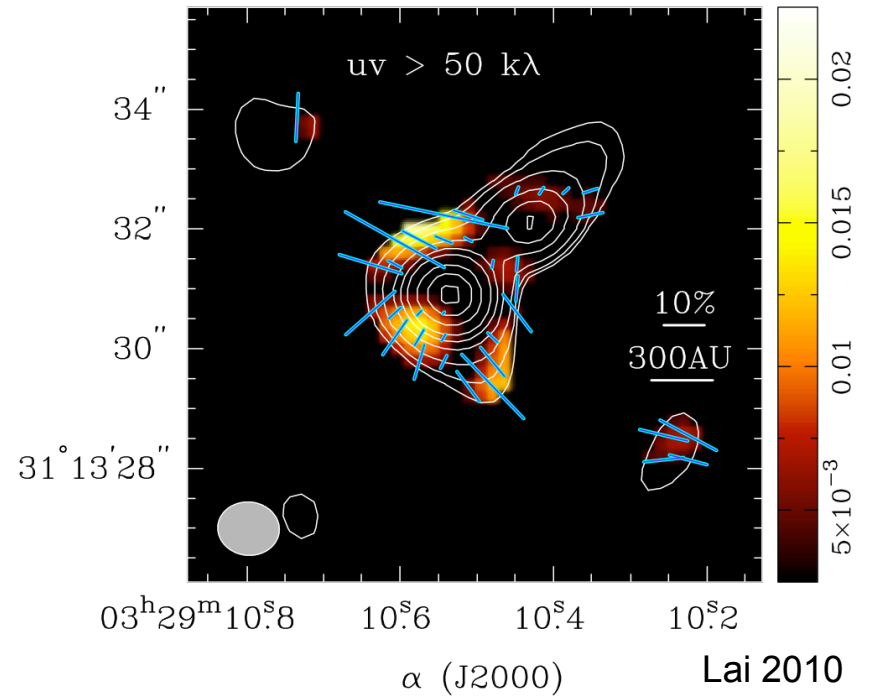
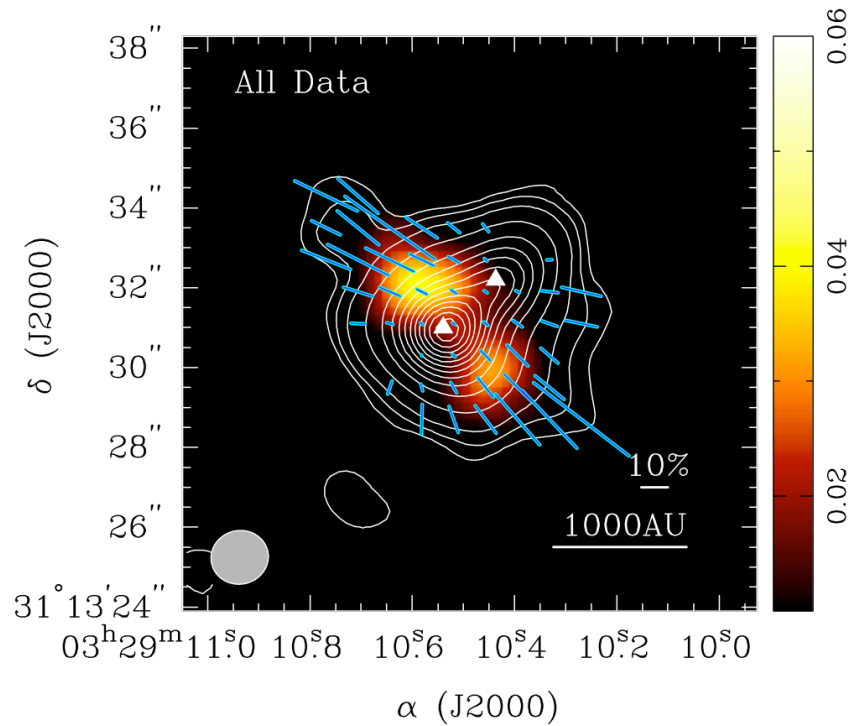
# NGC1333 IRAS4 (SMA 345 GHz)



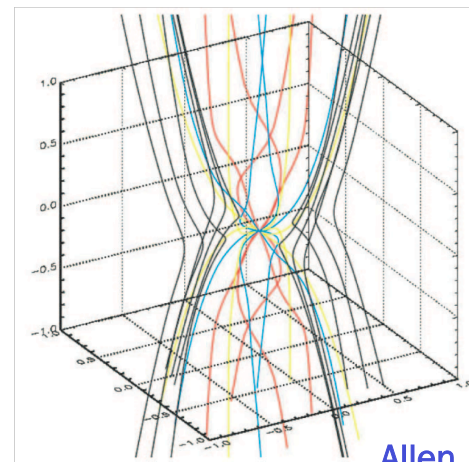
# NGC1333 IRAS4 (SHARP CSO)



# NGC1333 IRAS4 (SMA 345 GHz)



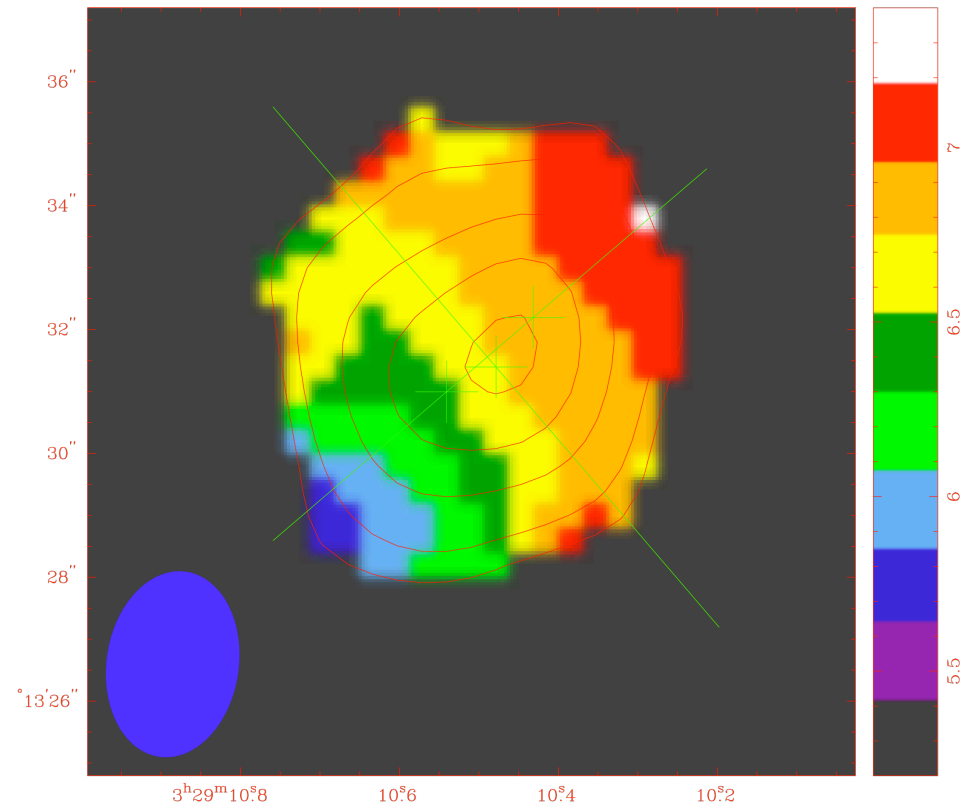
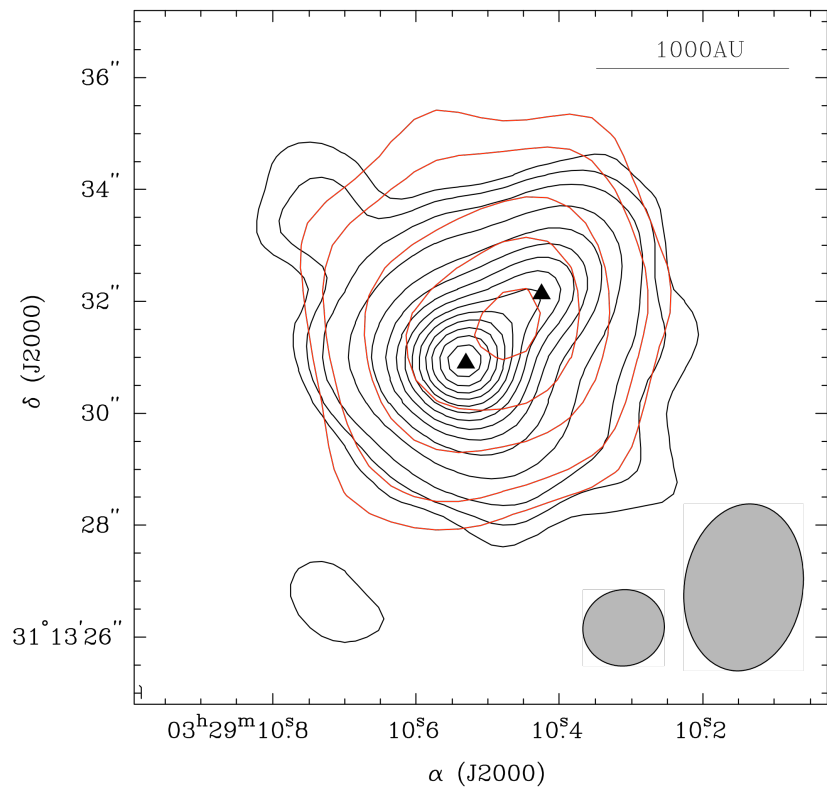
Machida et al. 2008



Allen, Li, Shu 2003

# NGC1333 IRAS4 (SMA 345 GHz)

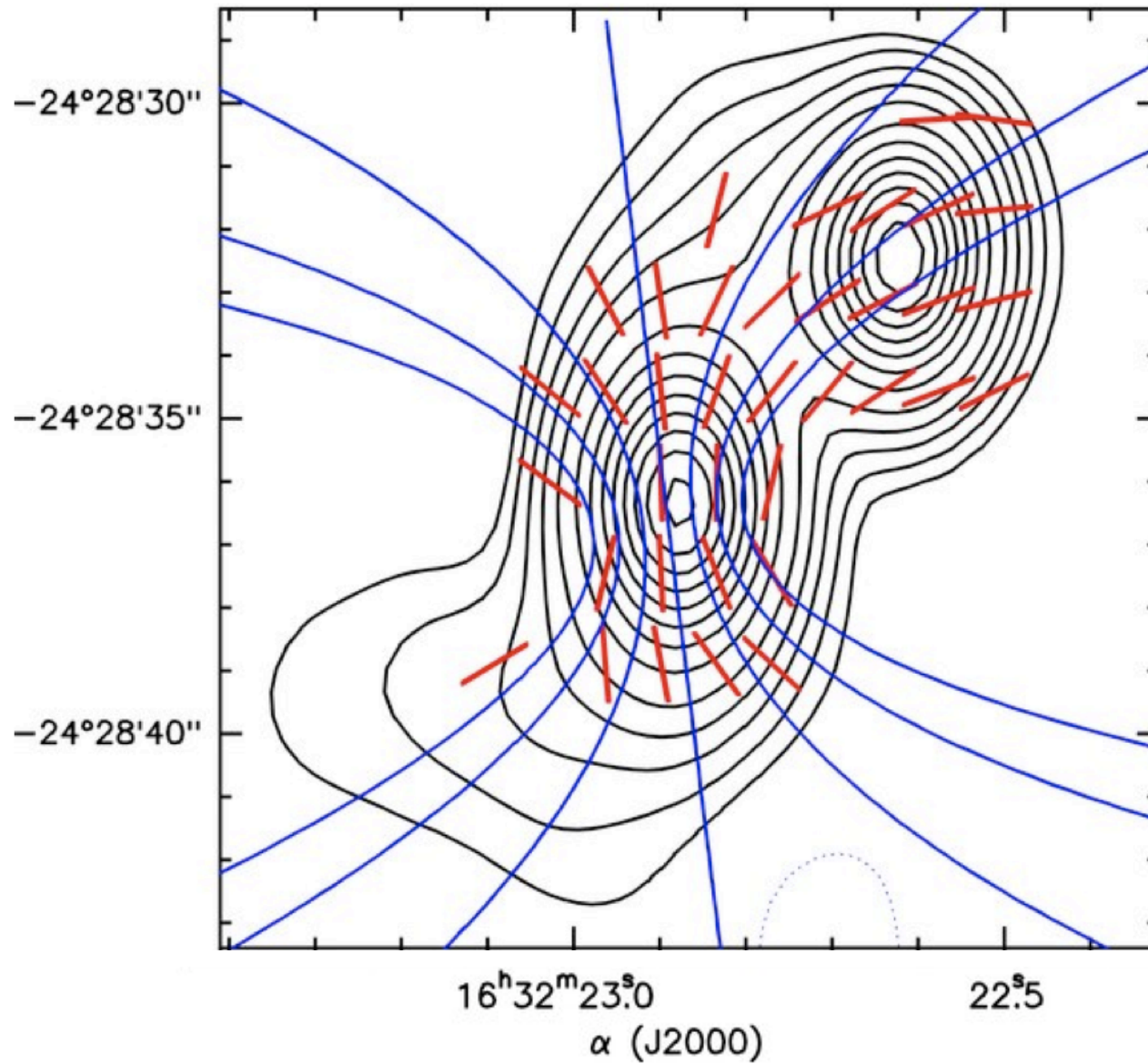
Dust  $C^{17}O$



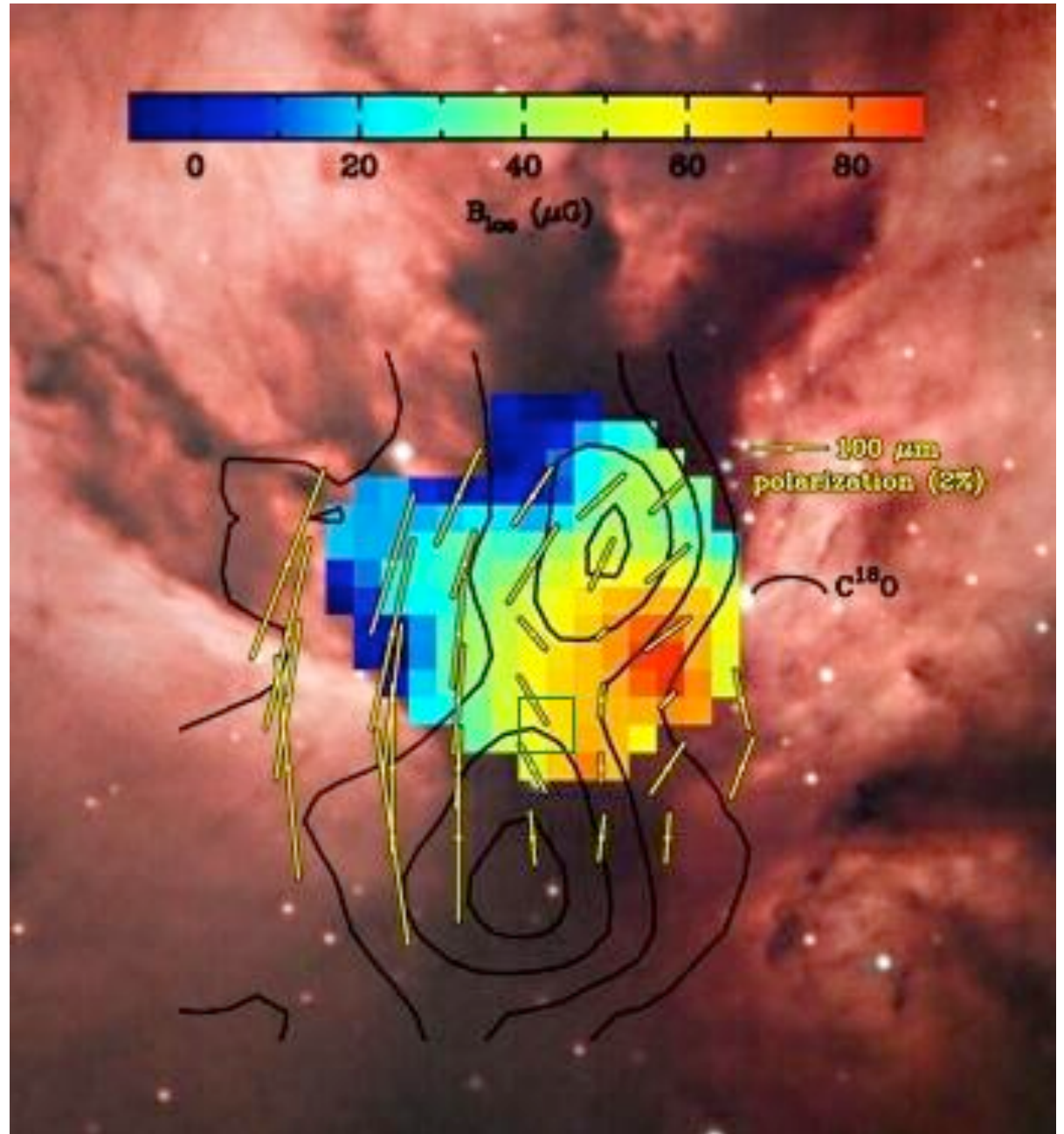
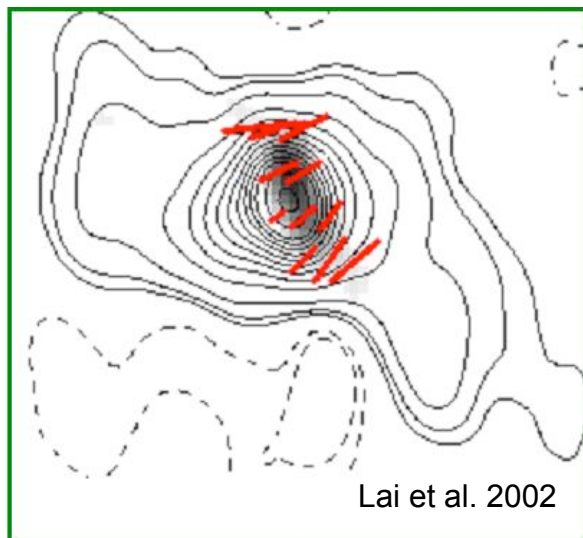
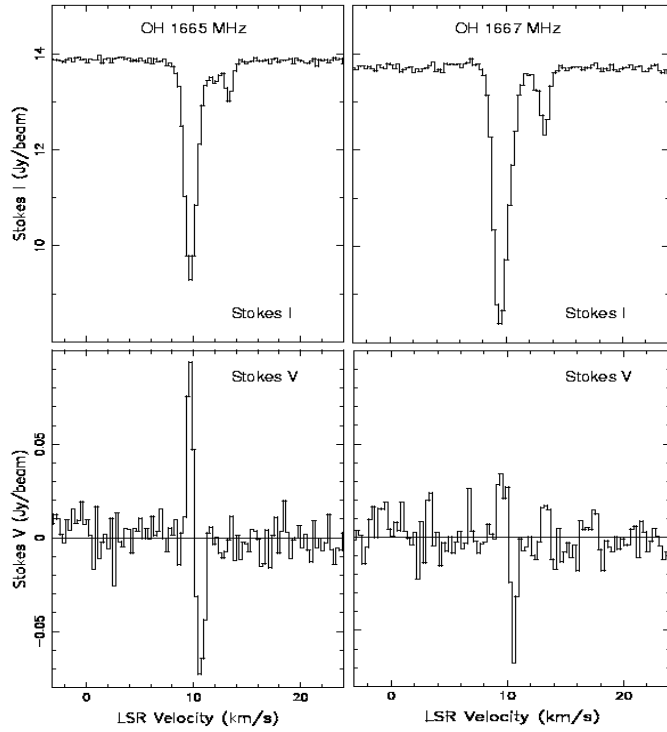
Lai 2010



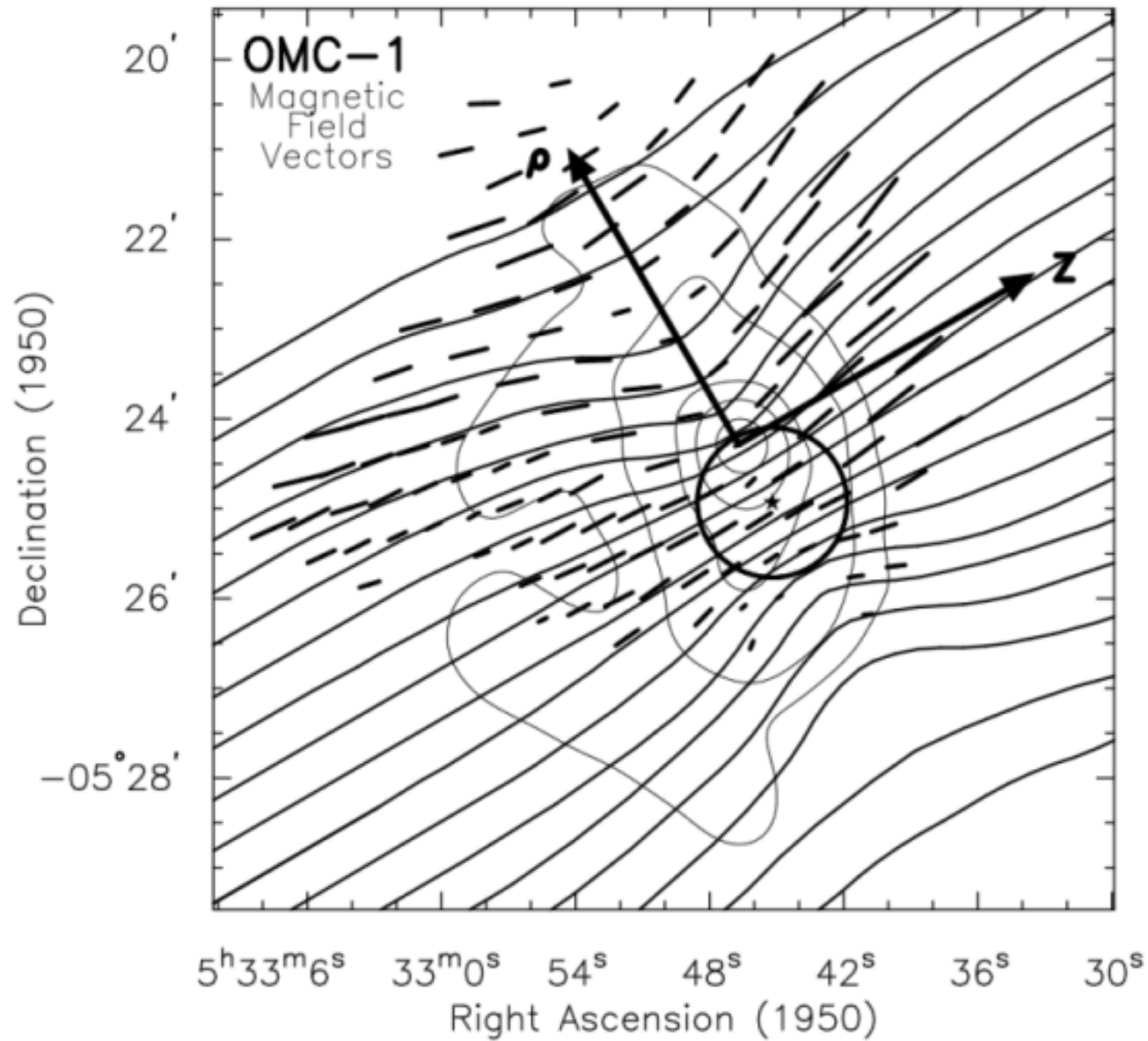
# IRAS 16293 (SMA 345 GHz)



# NGC 2024 (Orion B)



# Orion Molecular Cloud 1



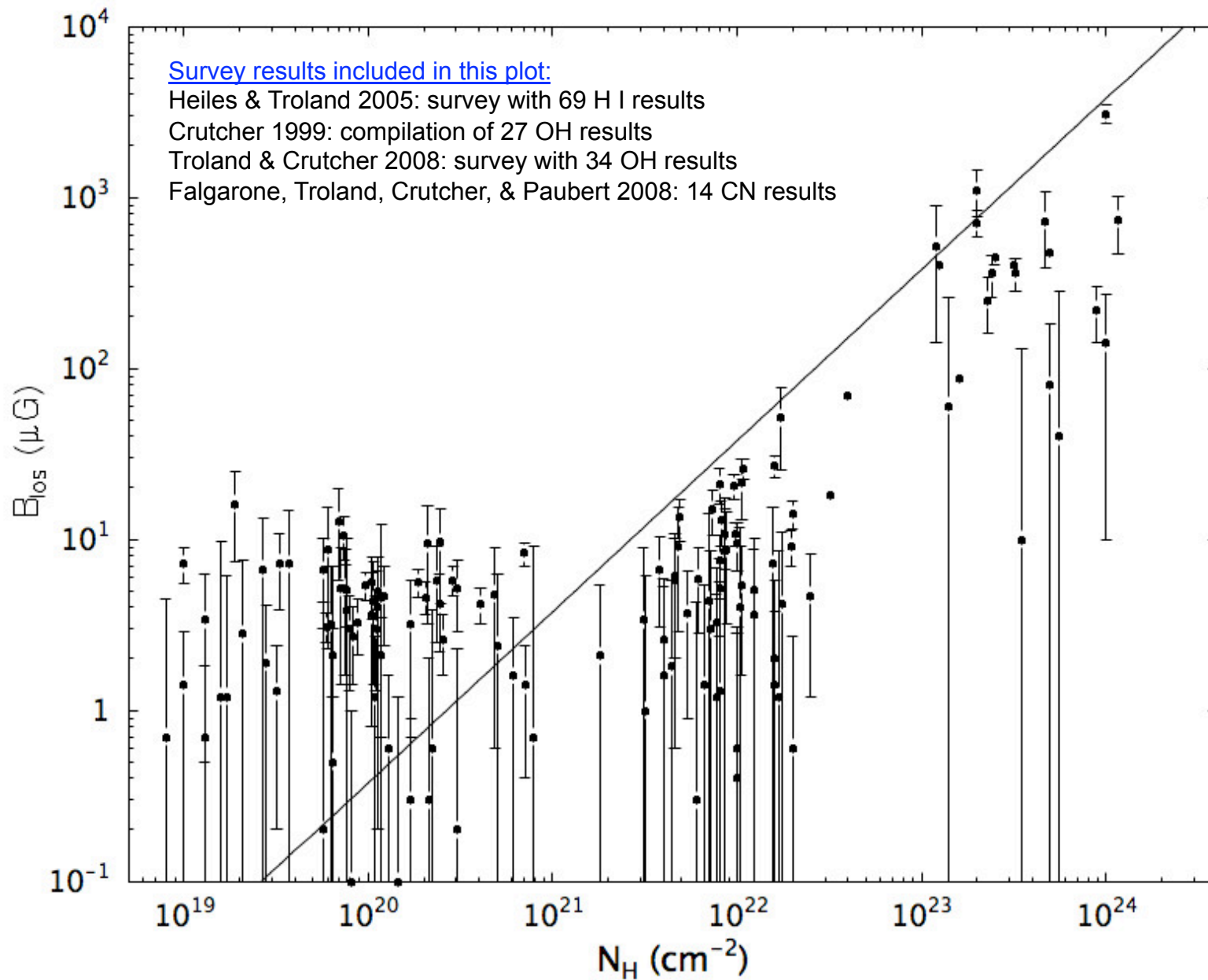




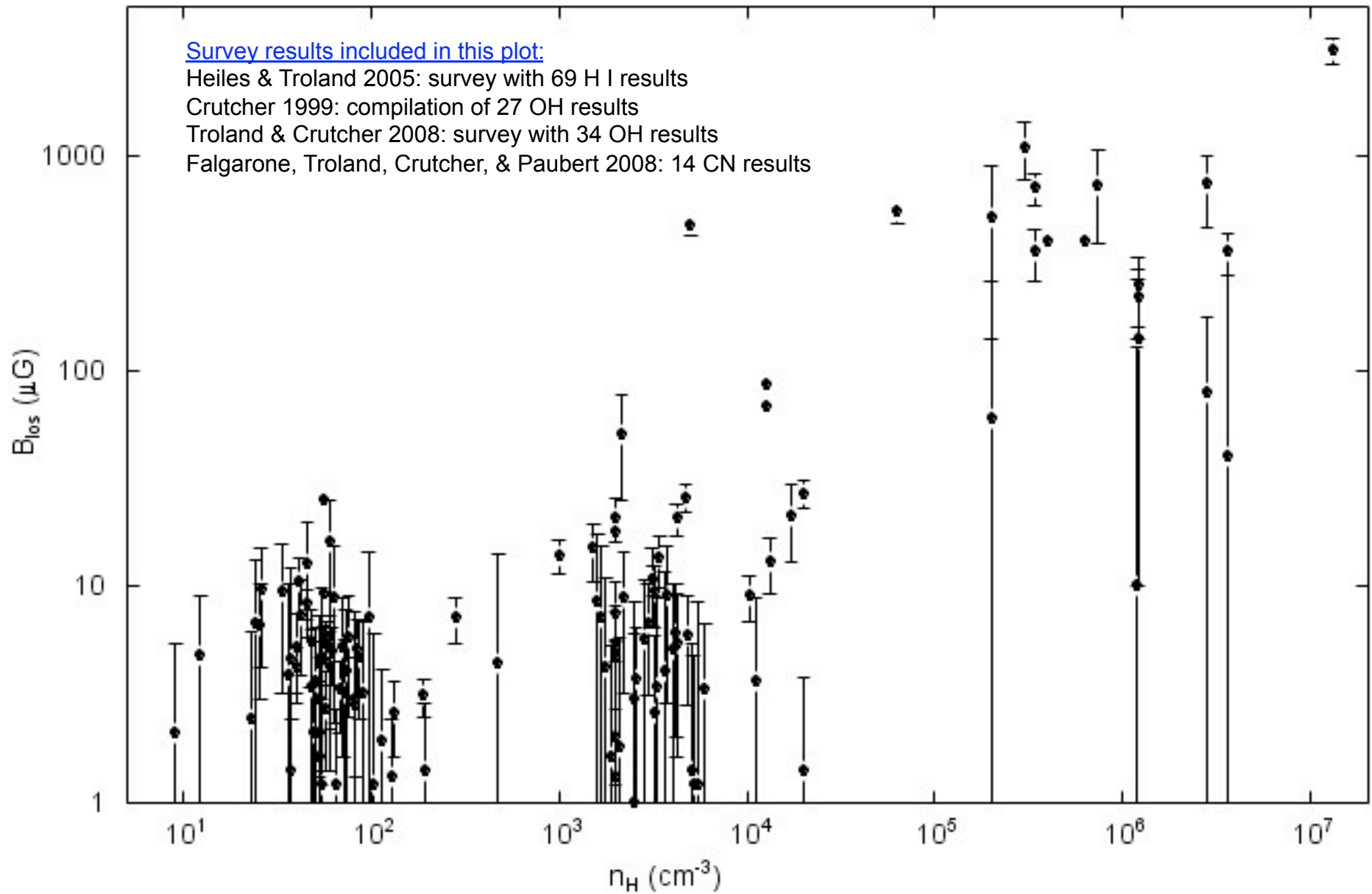
# Zeeman Surveys

Data Set	Measurements of $B_{los}$
1. Compilation Crutcher 1999, ApJ 520, 706	27
2. Arecibo H I Millinium survey Heiles & Troland 2005, ApJ 624, 773	69
3. Arecibo OH dark clouds Troland & Crutcher 2008, ApJ 680, 457	34
4. IRAM CN Falgarone, Troland, Crutcher & Paubert 2008, A&A 487, 247	11 (+3 incl. in #1)
<b>TOTAL</b>	<b>141</b>

# Results for Field Strength

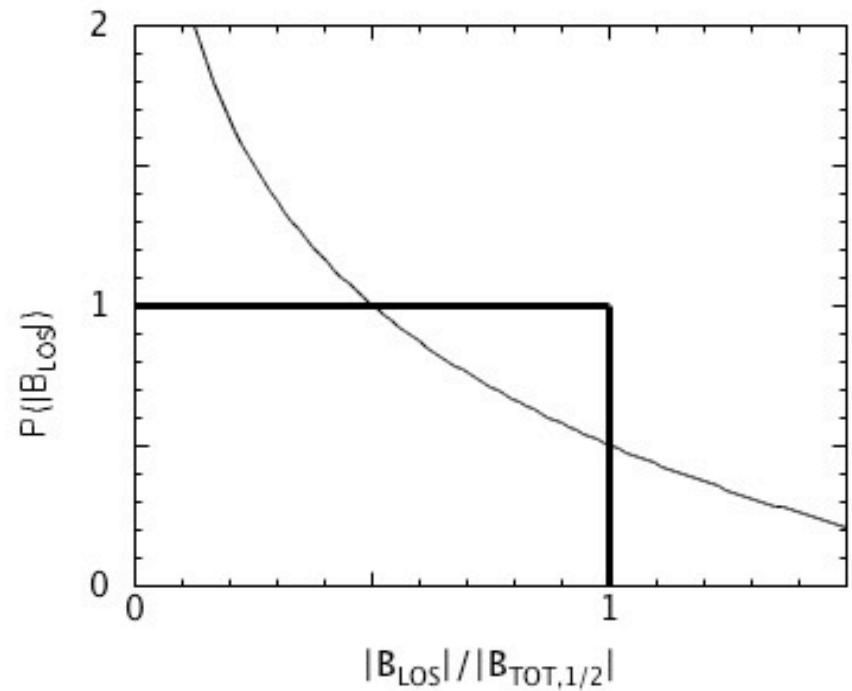
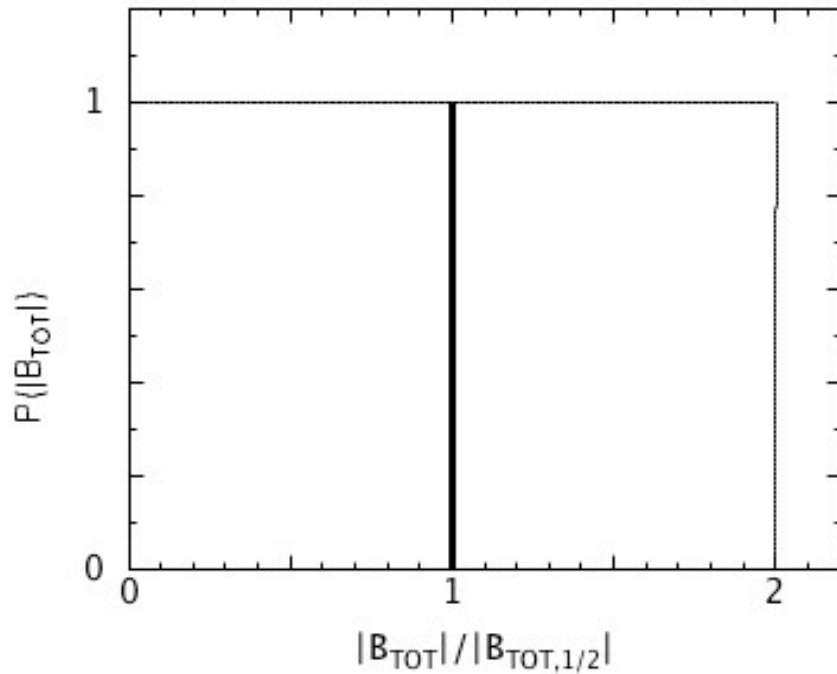


# Results for Field Strength



# What to do about measuring $B_{\text{los}}$ , not $B_{\text{tot}}$ ?

## PDFs of total B and corresponding los B



For reasonable pdf, mean or median of  $B_{\text{los}} \approx \frac{1}{2}$  mean or median of  $B_{\text{total}}$

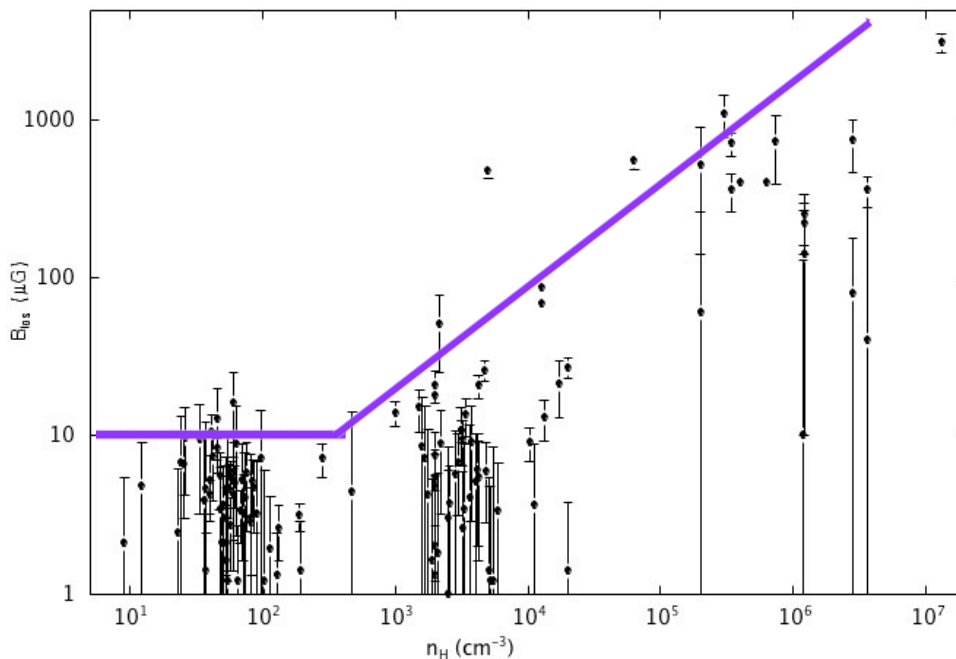
# Bayesian Analysis

Priors (data):  $B_{los} \pm \sigma_{B_{los}}$  &  $(n_H)^{+2n_H}_{-0.5n_H}$

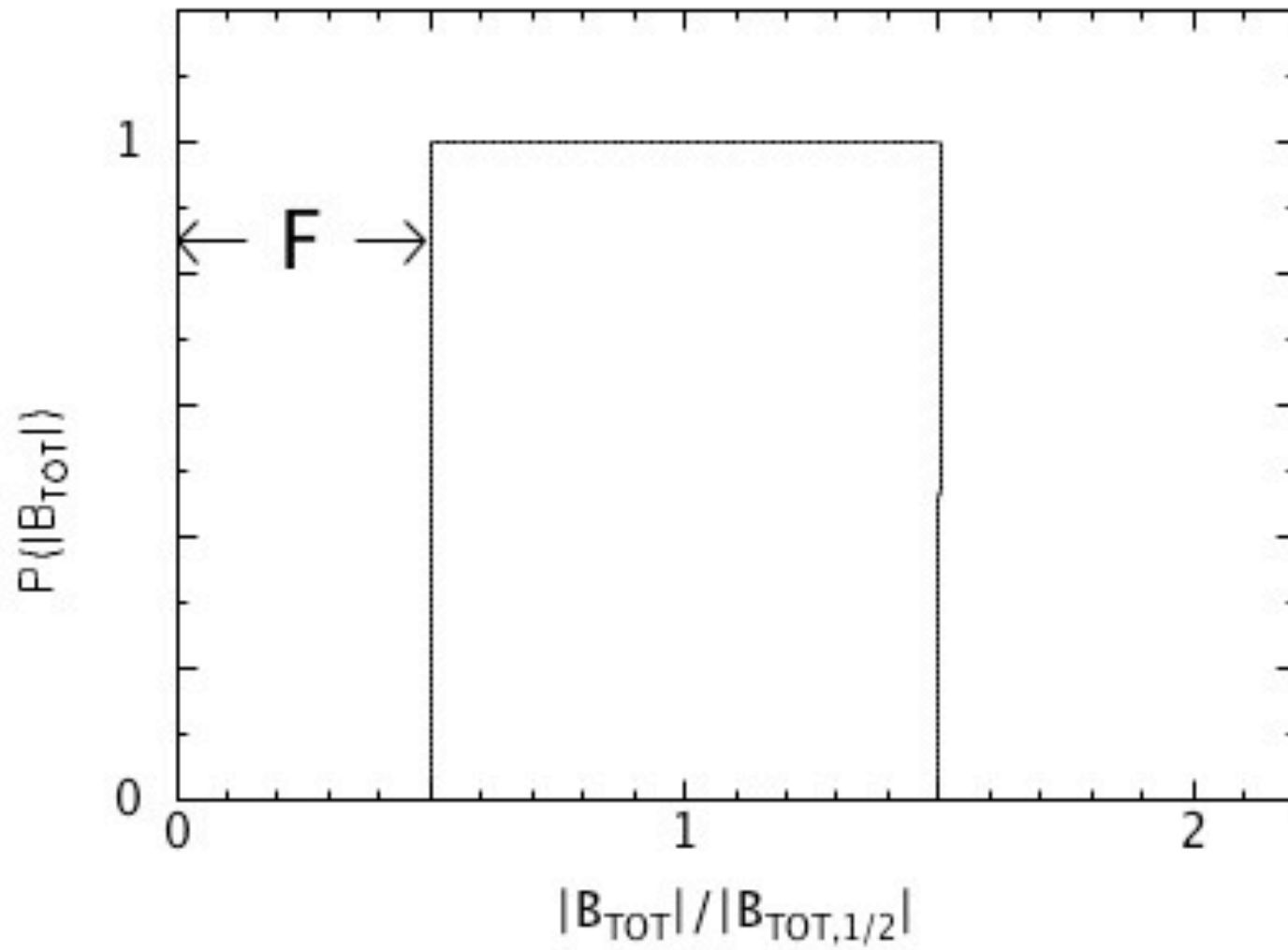
The model:  $B_{max} = B_0, \quad n < n_0$

$B_{max} = B_0 n^K, \quad n > n_0$

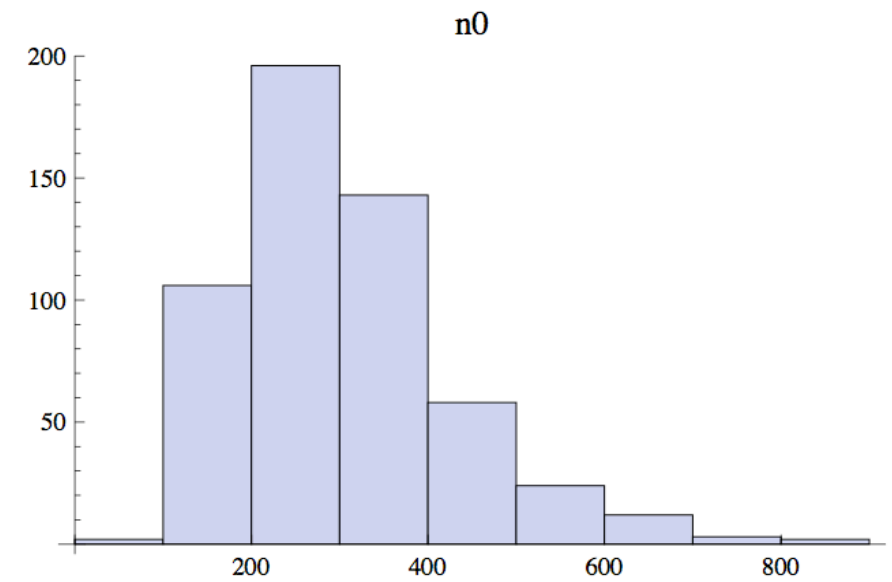
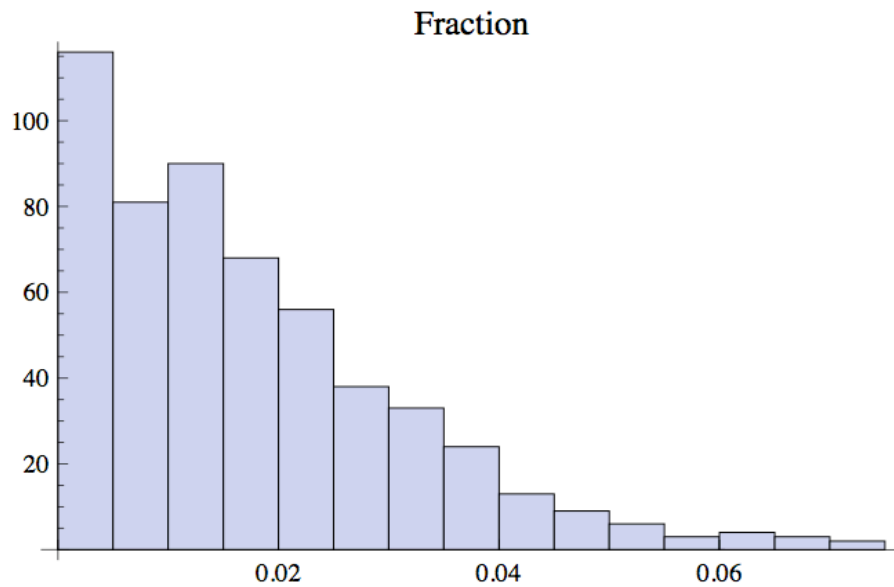
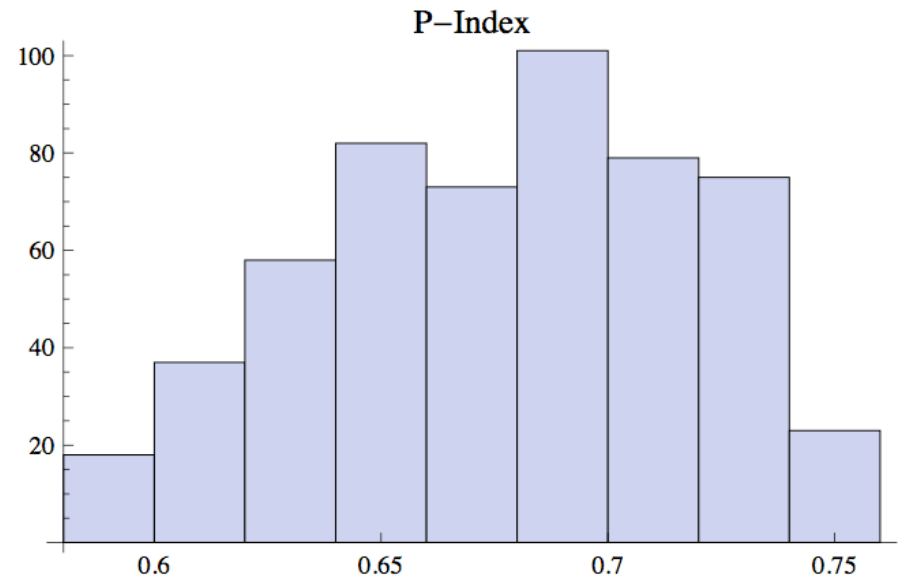
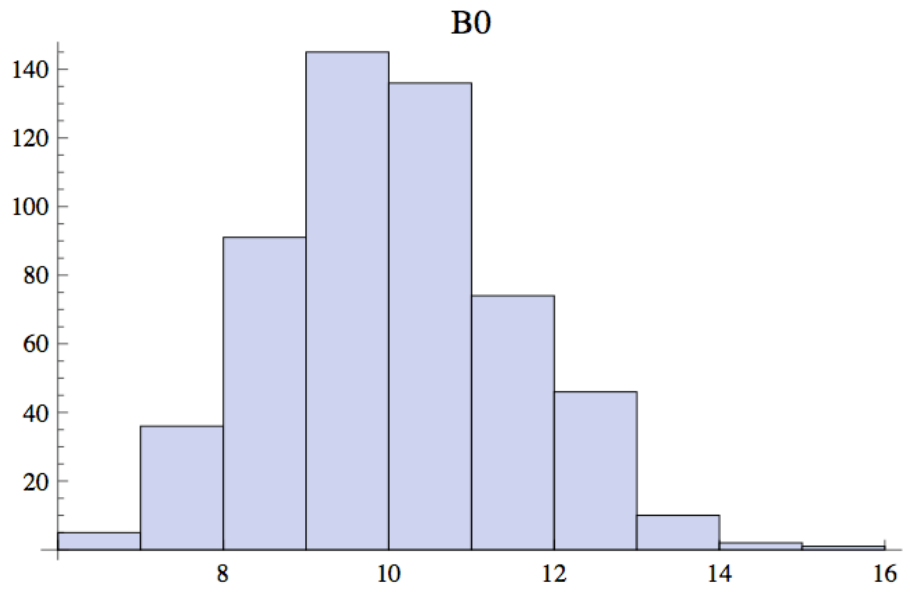
$F B_{max} < B_{tot} < B_{max}$



# Assumed Parameterization of PDF

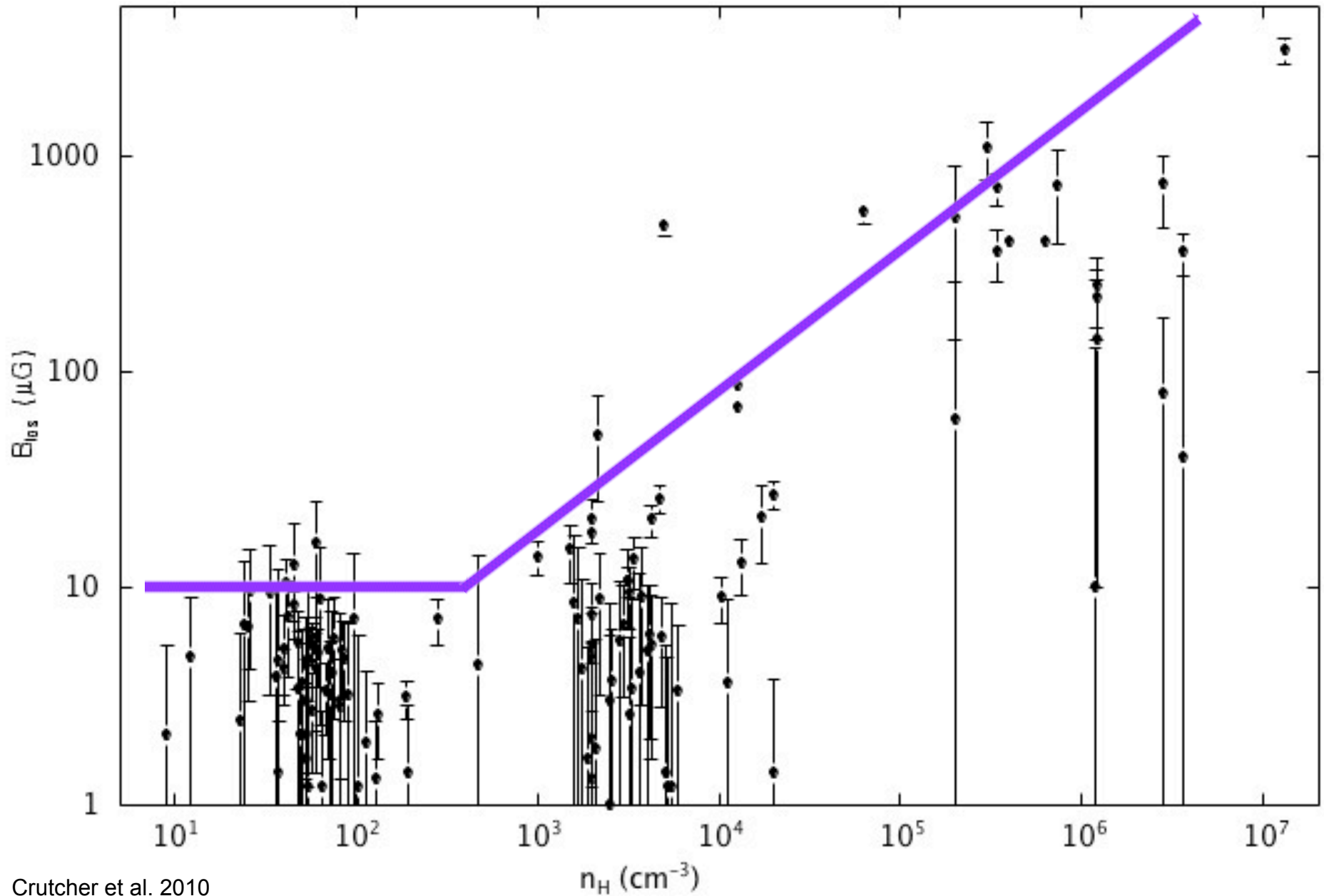


# Results of Bayesian Analysis

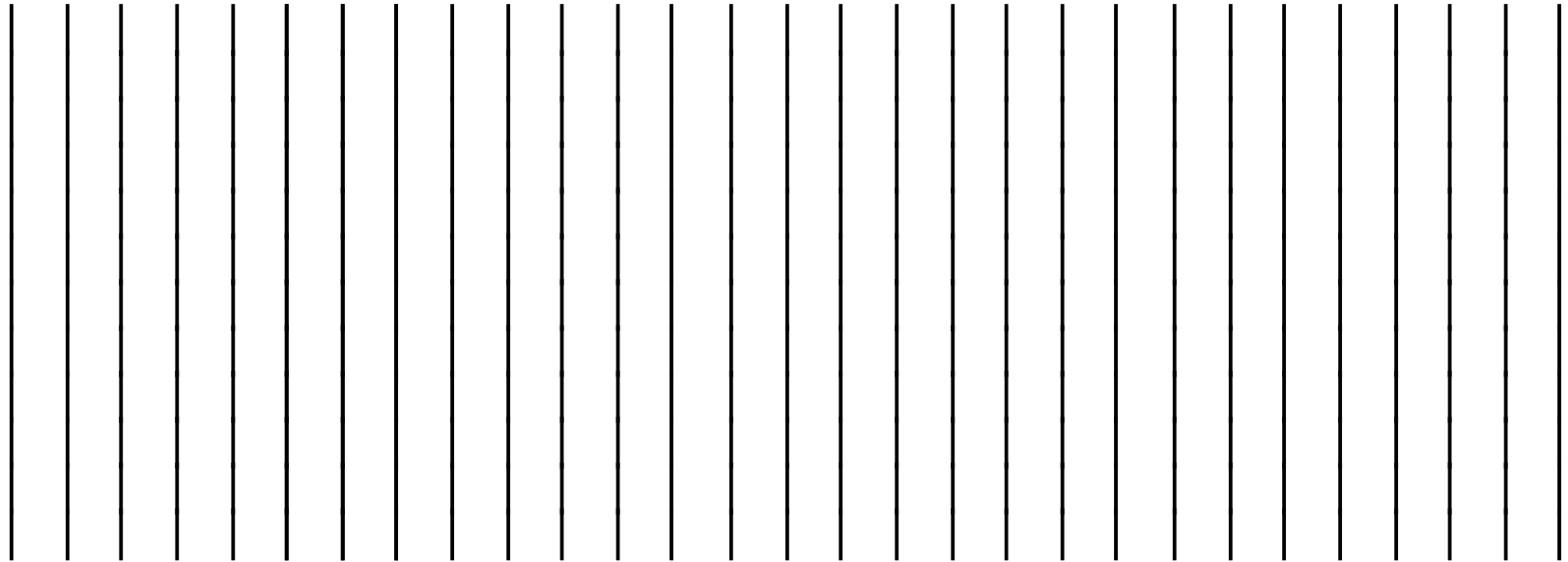




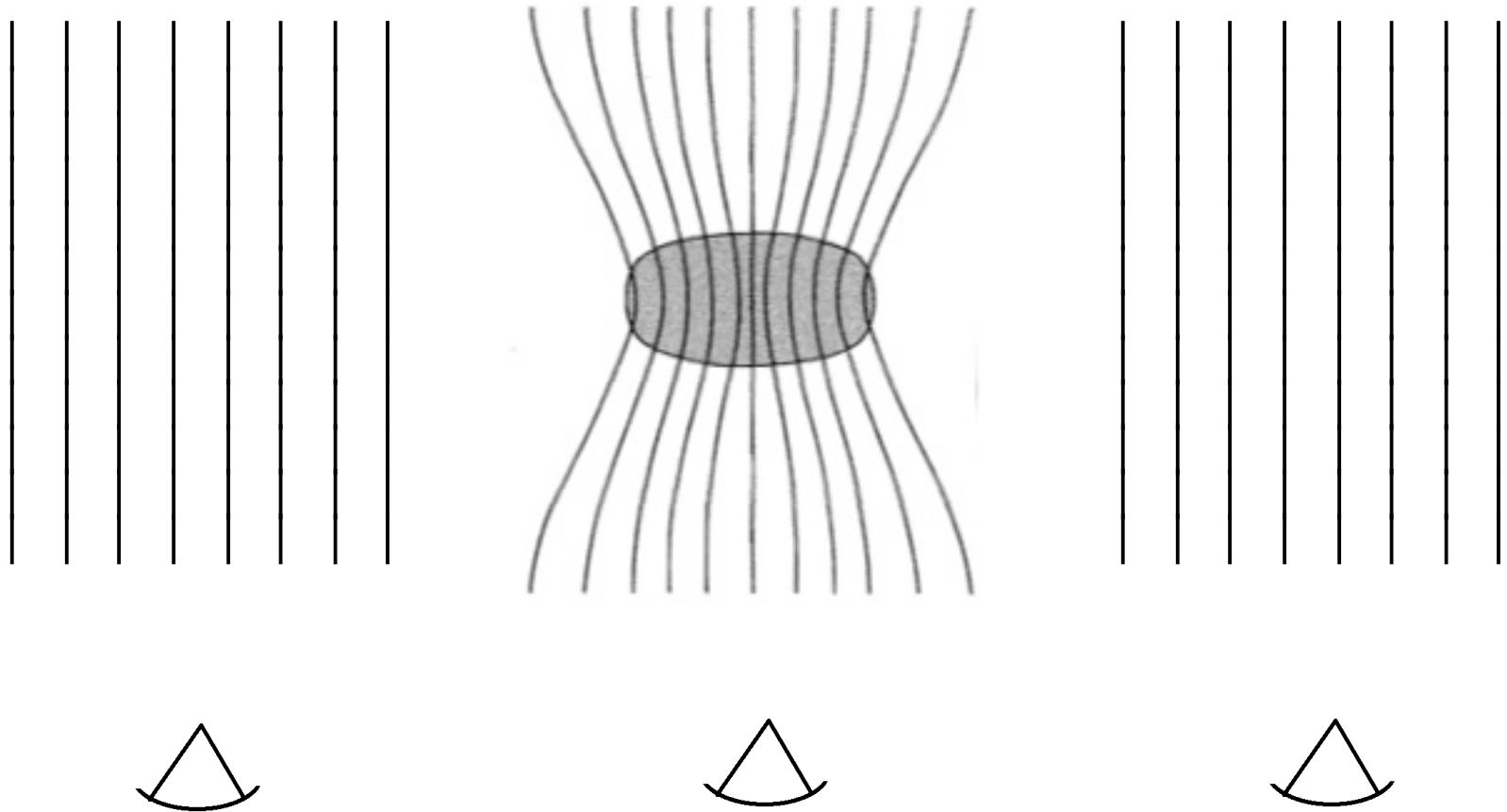
# Results of Bayesian Analysis



# Testing M/Φ Change from Envelope to Core



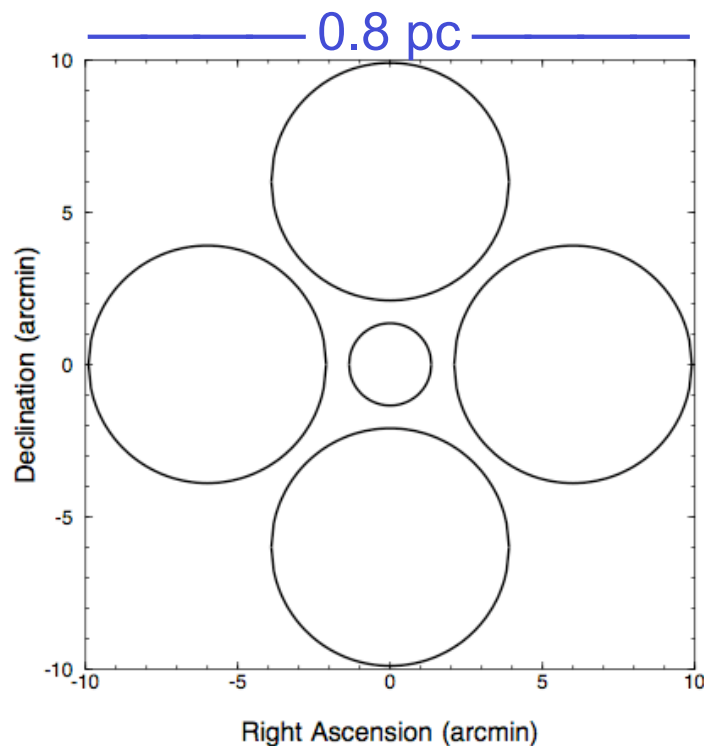
# Testing $M/\phi$ Change from Envelope to Core



# Testing M/Φ Change from Envelope to Core

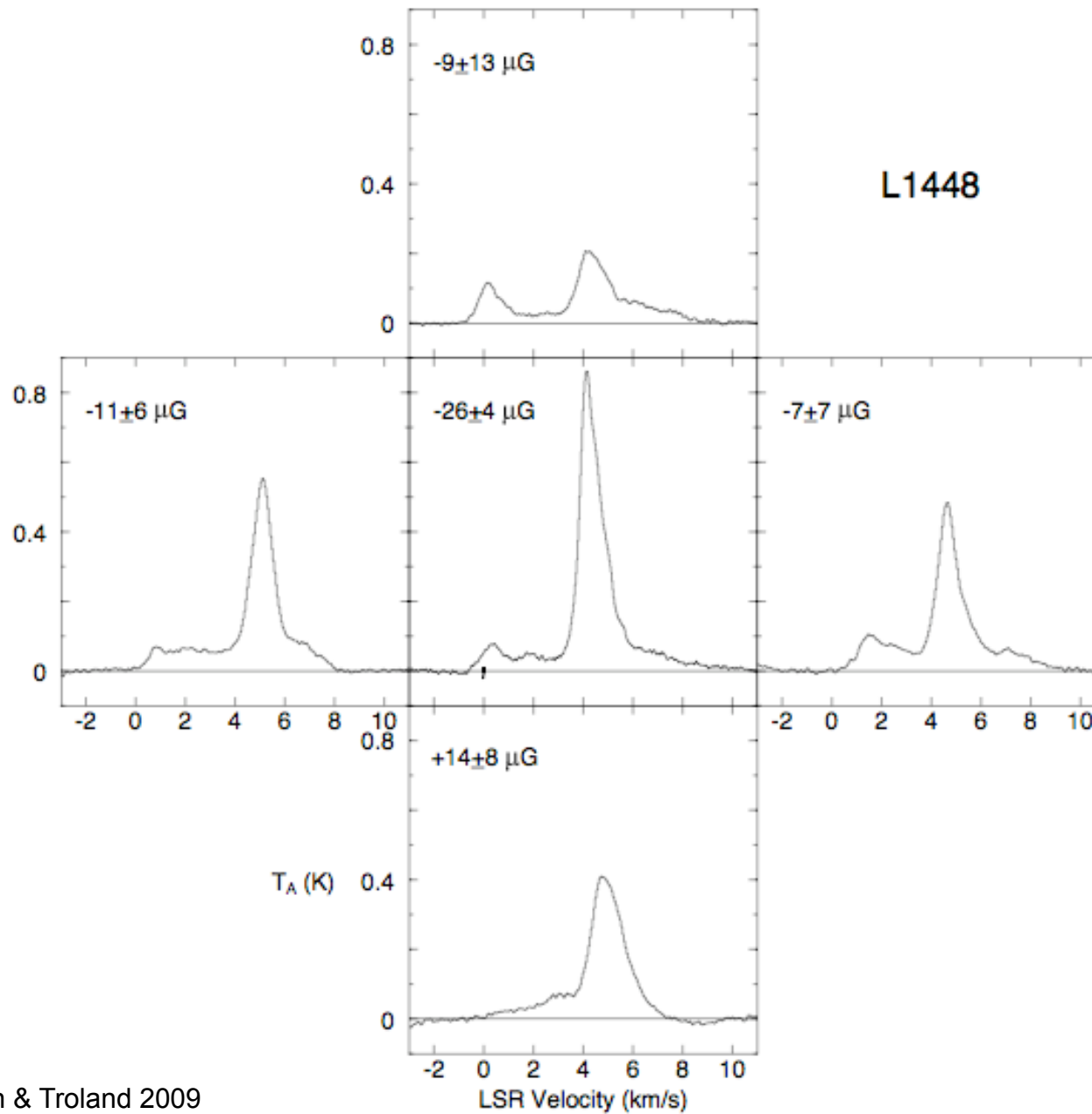
Measure differential M/Φ between core and envelope:

$$\frac{[M / \Phi]_{core}}{[M / \Phi]_{envelope}} = \frac{[T_{line} \Delta V / B_{los}]_{core}}{[T_{line} \Delta V / B_{los}]_{envelope}}$$



Telescope beam sizes were chosen to ideally sample core and envelope regions of published ambipolar diffusion models. Averaging the four large GBT beams “synthesizes” a toroidal beam, exactly what is needed to sample only the envelope region.

# Testing $M/\Phi$ Change from Envelope to Core



# Results

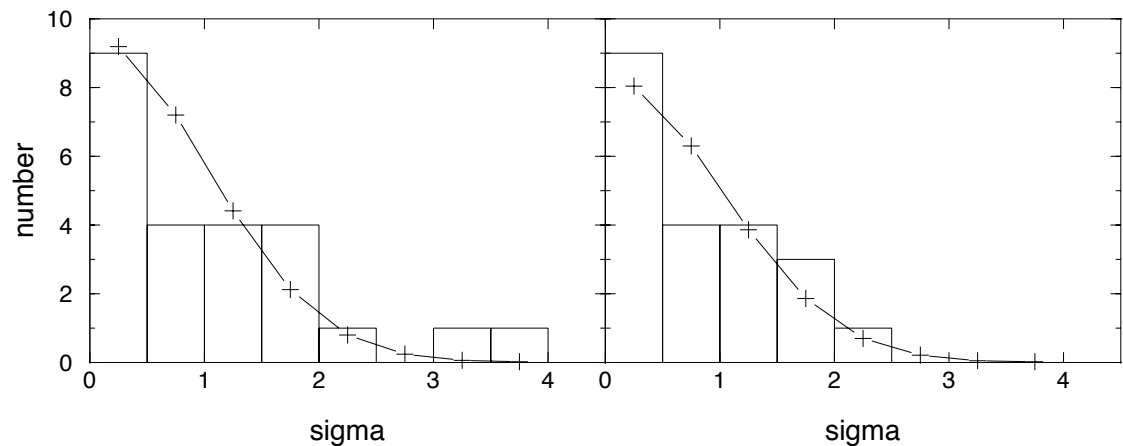
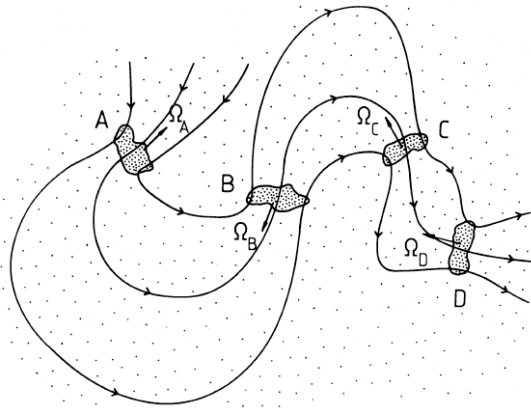
<u>Cloud:</u>	<u>L1448</u>	<u>B217-2</u>	<u>L1544</u>	<u>B1</u>
B(core):	$-26 \pm 4$	$+14 \pm 4$	$+11 \pm 2$	$-27 \pm 4$
B(envelope):	$-3 \pm 4$	$+2 \pm 5$	$+5 \pm 3$	$-7 \pm 4$
$T_{\text{line}} \Delta V$ (core):	1.21	0.60	1.17	2.20
$T_{\text{line}} \Delta V$ (envelope):	0.73	0.47	0.64	1.60
$\frac{M/\Phi(\text{core})}{M/\Phi(\text{envelope})}$ :	$0.21 \pm 0.30$	$0.19 \pm 0.46$	$0.89 \pm 0.59$	$0.37 \pm 0.18$
Probability of $> 1$ :	0.005	0.07	0.37	0.003

Published ambipolar diffusion models require ratio  $\sim 1/\lambda_{\text{initial}}$ , typically  $\sim 2$

SuperAlfvénic simulation result: mean  $\frac{M/\Phi(\text{core})}{M/\Phi(\text{envelope})} = 0.67$ , range is 0.08 to 1.6  
(Luntala, Padoan, Juvela, & Nordlund 2008)

# What about Mouschovias-Tassis Criticism?

- 1) Beams are too large.
- 2) Data show that  $B_{los}$  varies from one envelope position to another around each core. Hence, our assumption that  $\theta$ , the angle between the field and the line of sight, is approximately constant is inconsistent with our data.



- 3) Their analysis, which includes **both** the uncertainty introduced by the putative significant variation of  $B_{los}$  from one envelope position to another around each core in order to argue that the uncertainty in  $R$  is consistent with  $R > 1$ , **double counts** the measurement uncertainty.
- 4) Their analysis, which assumes that  $\theta$  is the same between core and envelope, is inconsistent with their suggestion (above) that  $\theta$  varies from envelope to core, producing the variation in  $B_{los}$  among envelope positions.



# Conclusions

1. Subcritical  $M/\Phi$  is *never* seen unambiguously in molecular cores.
2. Total strength of  $\mathbf{B}$  seems to range from near zero to a maximum value in molecular clouds; maximum values of  $B_{\text{tot}}$  imply  $\sim$  critical cores, smaller values of  $B_{\text{tot}}$  imply significantly supercritical cores.
3. Slope of  $B$  vs.  $n(\text{H})$  is about  $2/3$ , consistent with collapse with magnetic fields not dominate during a contraction/collapse phase.
4. Increase in  $M/\Phi$  from envelope to core required by published ambipolar diffusion models is not seen.
5. Nonetheless, magnetic fields are highly significant and probably crucial to understanding the physics of star formation; for example, in resolving the angular momentum problem, in fragmentation, etc. In at least some cases,  $M/\Phi$  is  $\sim$  critical in molecular clouds. However, observational evidence now favors the generally weak field, turbulent model over the model in which fields are strong in all cloud cores with ambipolar diffusion always governing core formation and evolution. But the picture is not simple – magnetic fields may not dominate core and hence star formation, but they *cannot* be ignored.