

Sternentstehung - Star Formation

Winter term 2024/2025

Henrik Beuther, Thomas Henning & Caroline Gieser

<i>15.10 Today: Introduction & Overview</i>	<i>(Beuther)</i>
<i>22.10 Physical processes I</i>	<i>(Beuther)</i>
<i>29.10 --</i>	
<i>05.11 Physical processes II</i>	<i>(Beuther)</i>
<i>12.11 Molecular clouds as birth places of stars</i>	<i>(Beuther)</i>
<i>19.11 Molecular clouds (cont.), Jeans Analysis</i>	<i>(Henning)</i>
<i>26.11 Collapse models I</i>	<i>(Beuther)</i>
03.12 Collapse models II	(Beuther)
10.12 Protostellar evolution	(Gieser)
17.12 Pre-main sequence evolution & outflows/jets	(Henning)
07.01 Accretion disks I	(Henning)
14.01 Accretion disks II	(Henning)
21.01 High-mass star formation, clusters and the IMF	(Gieser)
28.01 Extragalactic star formation	(Henning)
04.02 Planetarium@HdA, outlook, questions	(Beuther, Gieser, Henning)
11.02 Examination week, no star formation lecture	

Book: Stahler & Palla: The Formation of Stars, Wileys

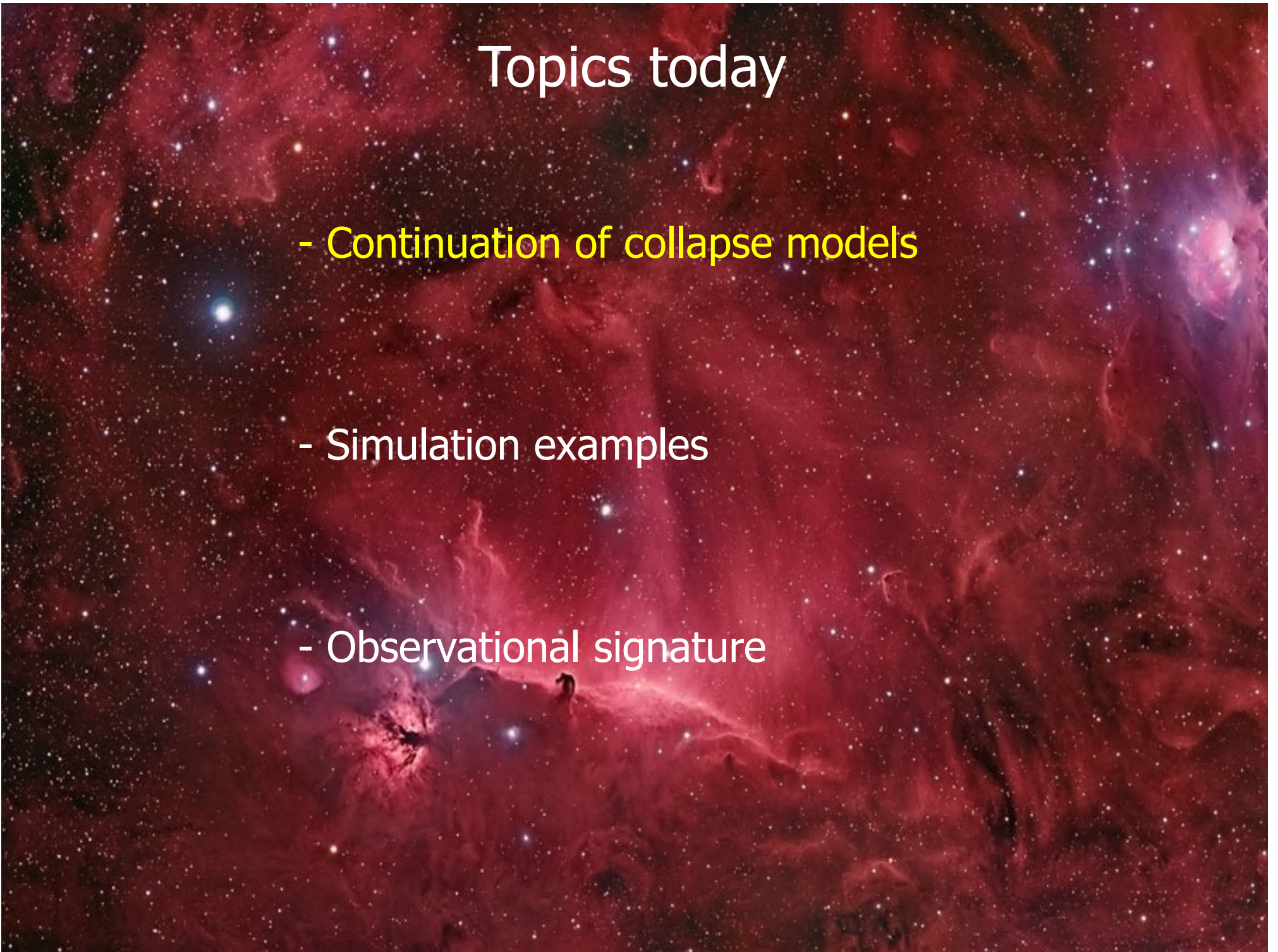
More Information and the current lecture files: http://www.mpia.de/homes/beuther/lecture_ws2425.html
beuther@mpia.de, henning@mpia.de, gieser@mpia.de

Last week

- Isothermal sphere, hydrostatic equilibrium, Bonnor-Ebert sphere
- Rotational support
- Magnetic support and ambipolar diffusion

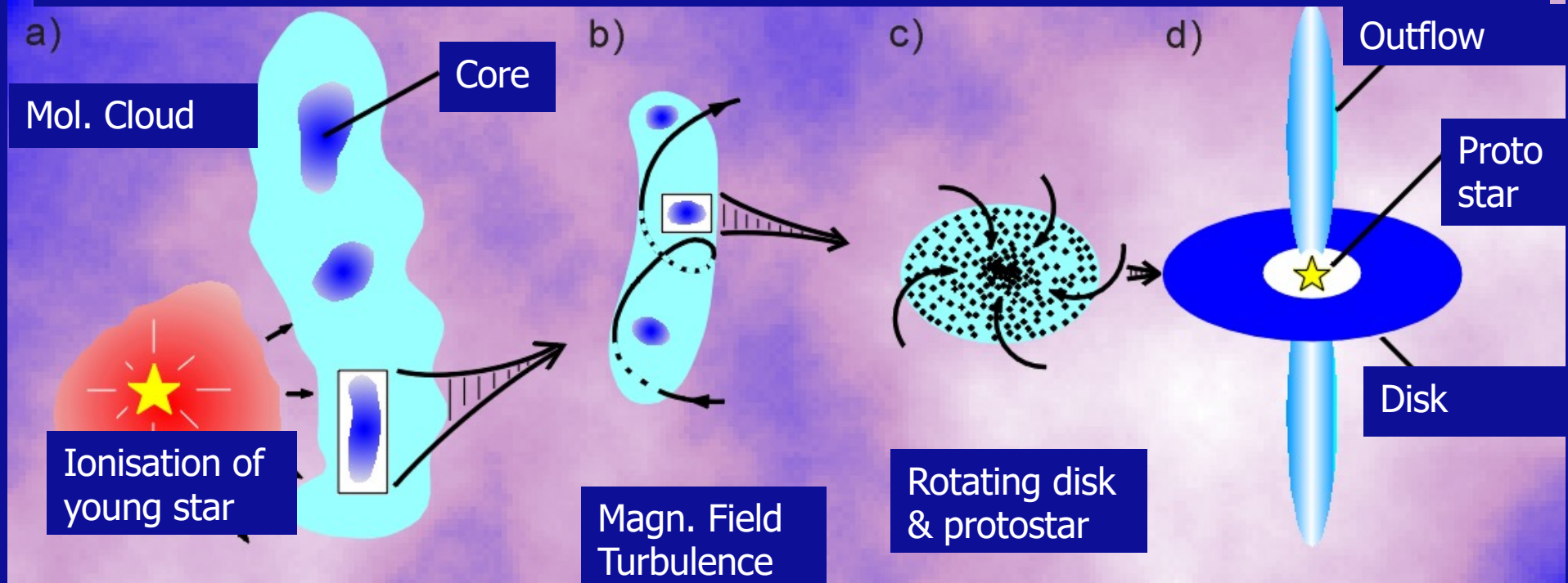
Topics today

- Continuation of collapse models
- Simulation examples
- Observational signature



Star formation paradigm

Phases of star formation



<https://www.mpifr-bonn.mpg.de/473576/starform>

From stability to collapse

Important equations:

Goal: M_r variable with time in set of differential equations:

Mass within radius r : $M_r = \int 4\pi r^2 \rho dr \rightarrow \partial M_r / \partial r = 4\pi r^2 \rho$

Continuity equation (spherical): $\partial \rho / \partial t = -1/r^2 \partial(r^2 \rho u) / \partial r$ u: velocity

Combine both equations $\rightarrow \partial M_r / \partial t = -4\pi r^2 \rho u$

Hydrostatic momentum eq.: $\partial u / \partial t + u \partial u / \partial r = -1/\rho \text{grad}(P) - \text{grad}(\Phi)$

With $P = \rho a_t^2$ for the ideal isothermal gas and $\text{grad}(\Phi) = -GM_r/r^2$

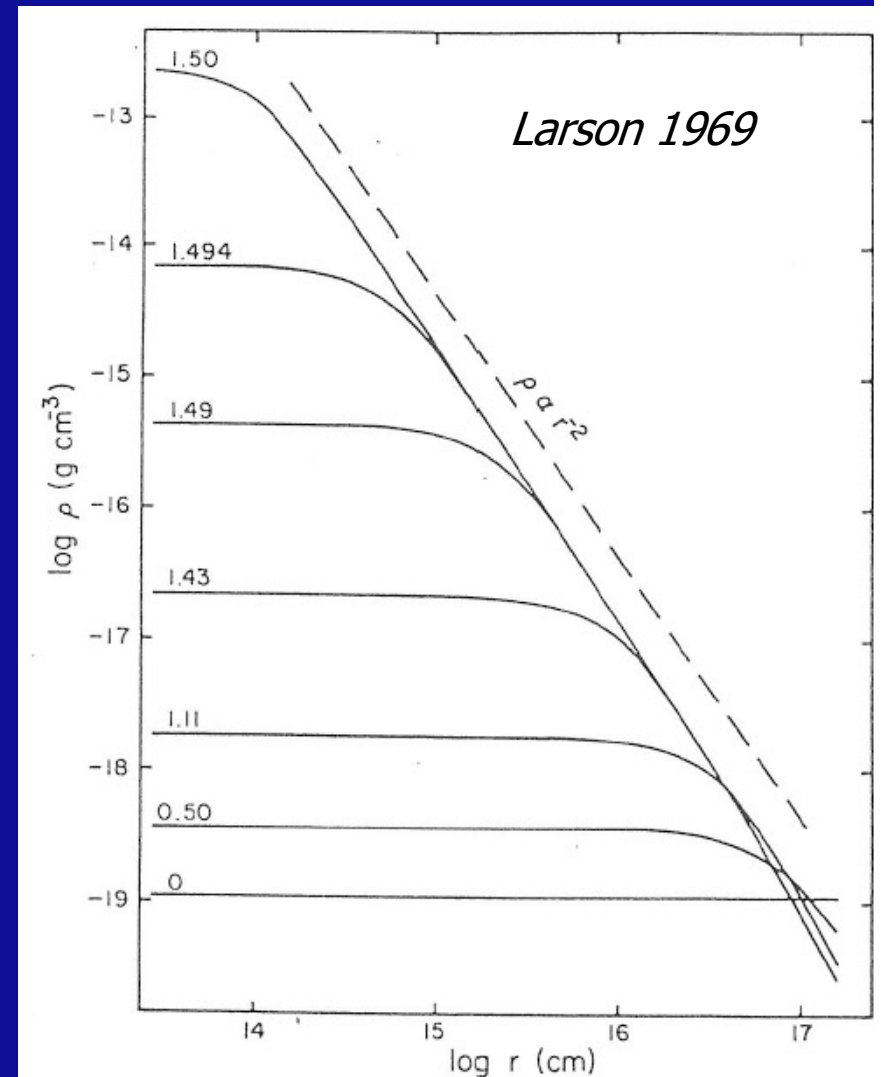
$$\rightarrow \partial u / \partial t + u \partial u / \partial r = -a_t^2 / \rho \partial \rho / \partial r - GM_r / r^2$$

Early 1D collapse simulations

- Results from early 1D calculations (Larson 1969)

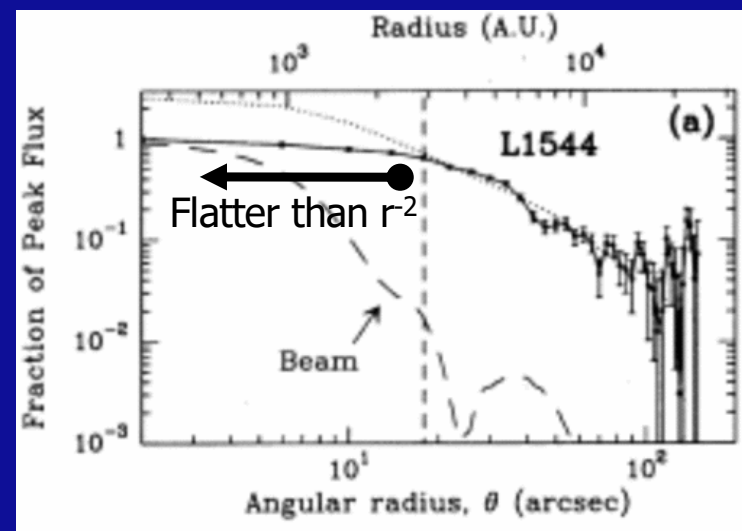
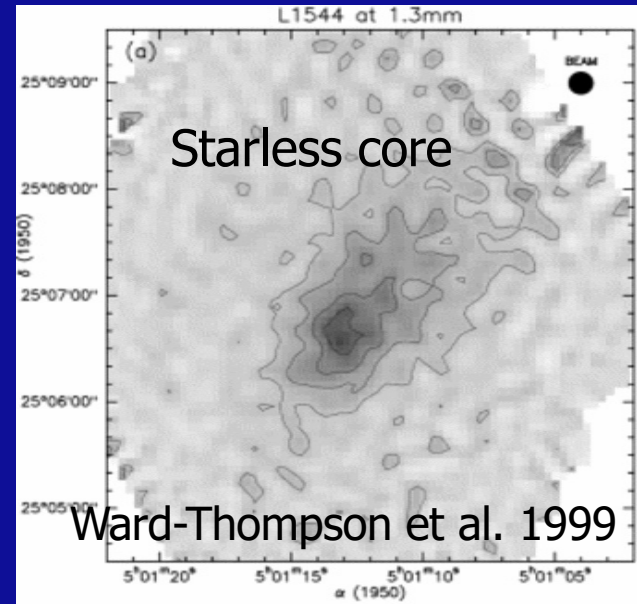
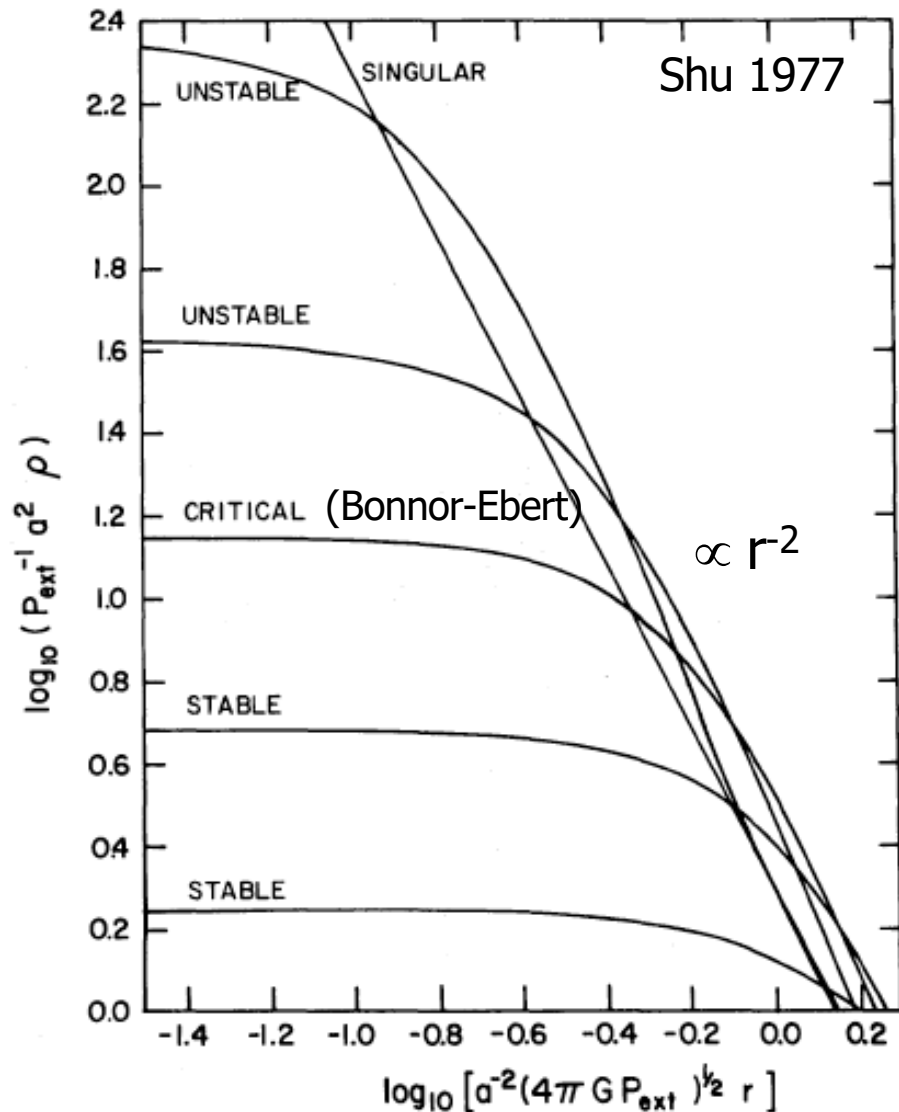
Initial conditions: $1M_{\text{sun}}$ core, $\rho(t=0) = 10^{-19}\text{g/cm}^3 \sim 10^5\text{cm}^{-3}$, $T(t=0)=10\text{K}$

- Nonhomologous evolution:
After about $1 t_{\text{ff}}$ (10^5 - 10^6 years), a central hydrostatic core and a free-falling inner envelope has evolved.
- Density profile in free-falling envelope
First order explanation:
Steady state flow: $\partial M_r / \partial t = -4\pi r^2 \rho u = \text{const}$
and $E_{\text{kin}} = E_{\text{grav}}$: $1/2 m u^2 = G m^2 / r$
 $\rightarrow u = (2Gm/r)^{1/2}$
 $\rightarrow 1/(4\pi r^2 \rho) = (2Gm/r)^{1/2}$
 $\rightarrow \rho \sim r^{3/2}$
- Outer static envelope like hydrostatic equilibrium $\rightarrow \rho \sim r^2$



Singular isothermal sphere (SIS)

Another “famous” paper in 1977 by Frank Shu, starts with singular isothermal sphere. Outer density profile again $\rho \sim r^{-2}$.



Accretion rate

For a singular isothermal sphere (SIS) one gets

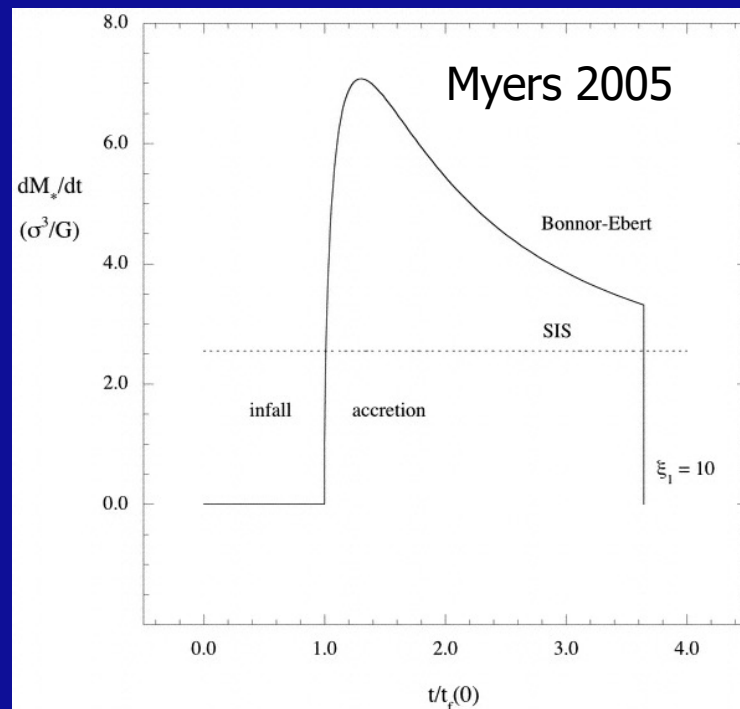
$$\text{Mass accretion rate: } \dot{M} = \partial M_r / \partial t = \lim_{r \rightarrow 0} -4\pi r^2 \rho u \sim a_t^3 / G$$

For a typical sound speed of 0.2 km/s at T=10K:

$$\dot{M} \sim 2 \times 10^{-6} \times (T/10\text{K}) M_{\text{sun}}/\text{yr}$$

→ Hence $1 M_{\text{sun}}$ star would form in 5×10^5 yr.

Using different initial conditions, e.g. Bonnor-Ebert spheres, one can get:

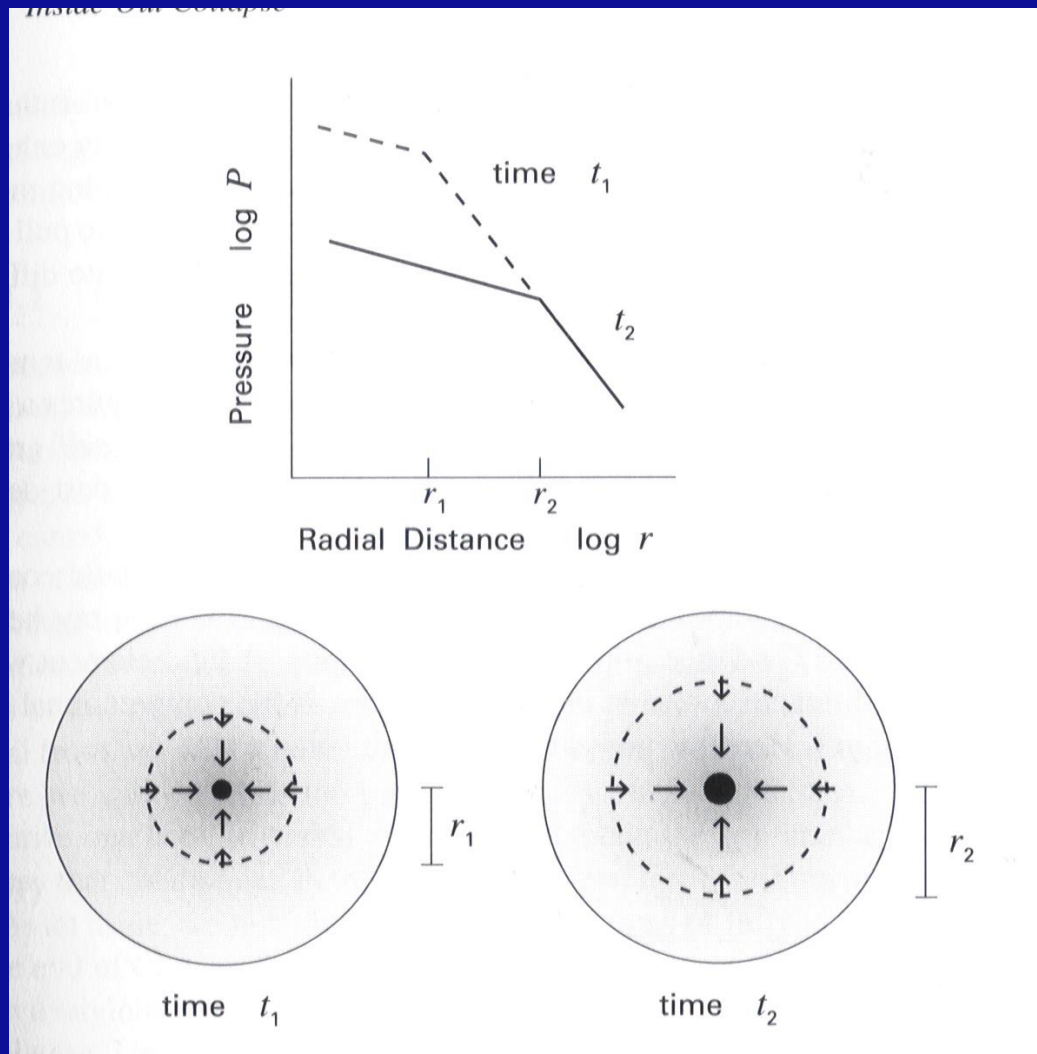


Initial free-fall phase
until protostar has formed.

Then collapse continues in
an inside-out mode but
with varying accretion rate.

Collapse of a core VII

- SIS scenario: inner free-falling gas causes an inner pressure decrease
- A rarefaction wave moves outward. Within rarefaction wave
 - Gas is free-falling because of missing pressure support.



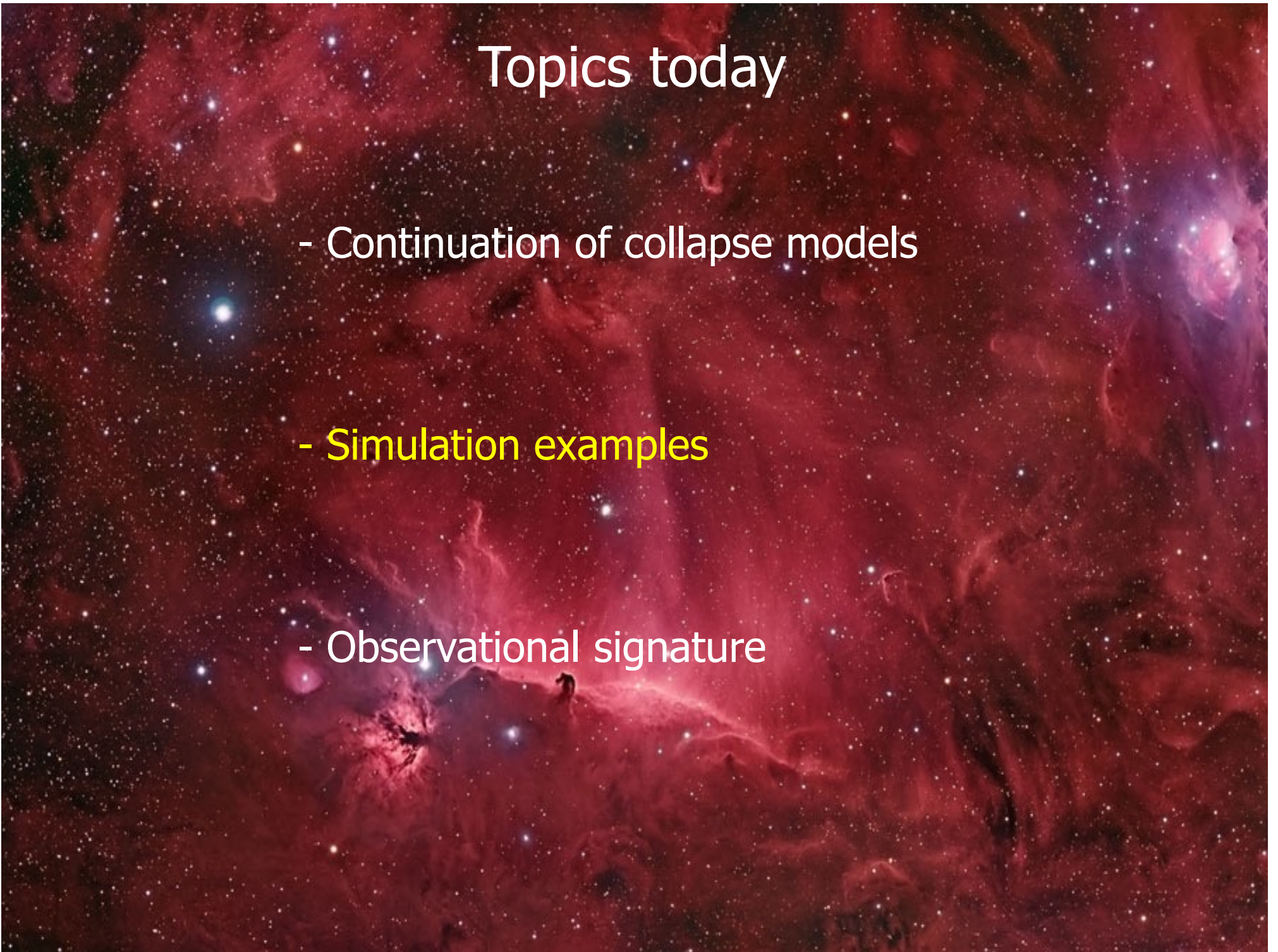
However, SIS special and unrealistic case.

More realistic simulations always show global collapse

- Usually no rarefaction waves and less pronounced inside-out collapse.

Topics today

- Continuation of collapse models
- Simulation examples
- Observational signature



Simulation example I



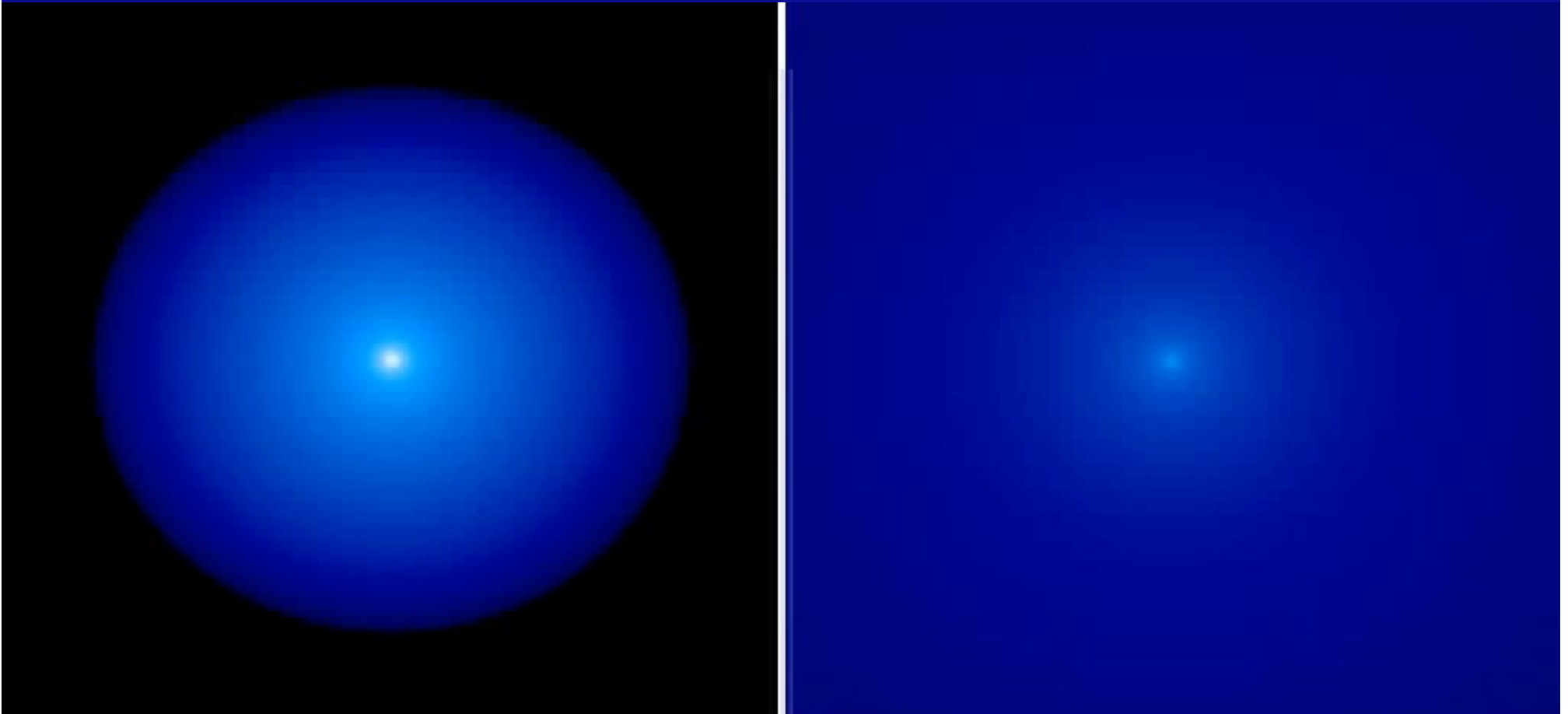
SPH simulation with
gravity and super-
sonic turbulence.

Initial conditions:

Uniform density
 $500M_{\text{sun}}$
0.8pc diameter
Initial $T=10\text{K}$

Bate et al. 2009

Simulation example II



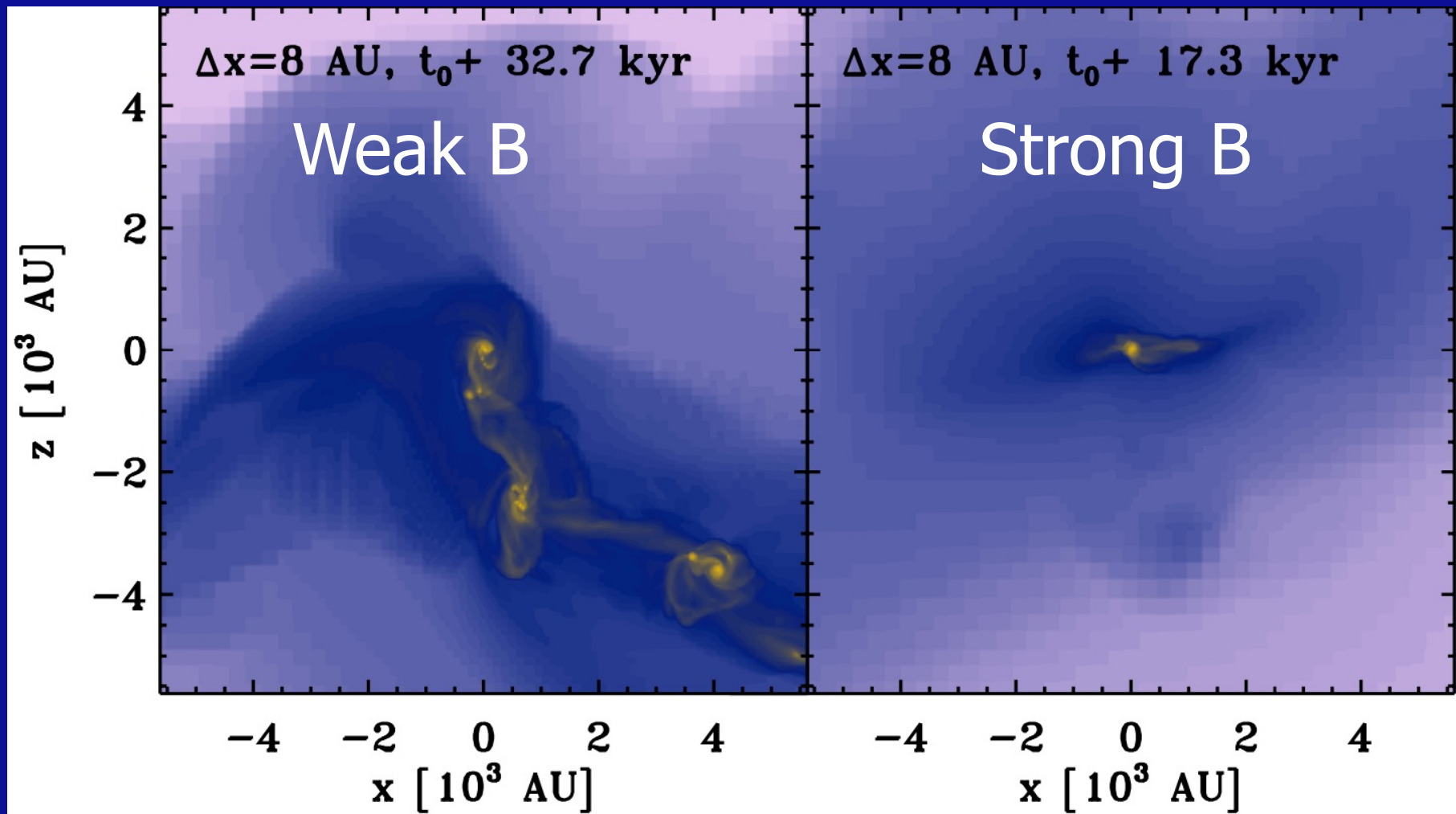
AMR grid-based simulation with gravity, super-sonic turbulence and radiative feedback.

Initial conditions: $100M_{\text{sun}}$, 0.8pc diameter

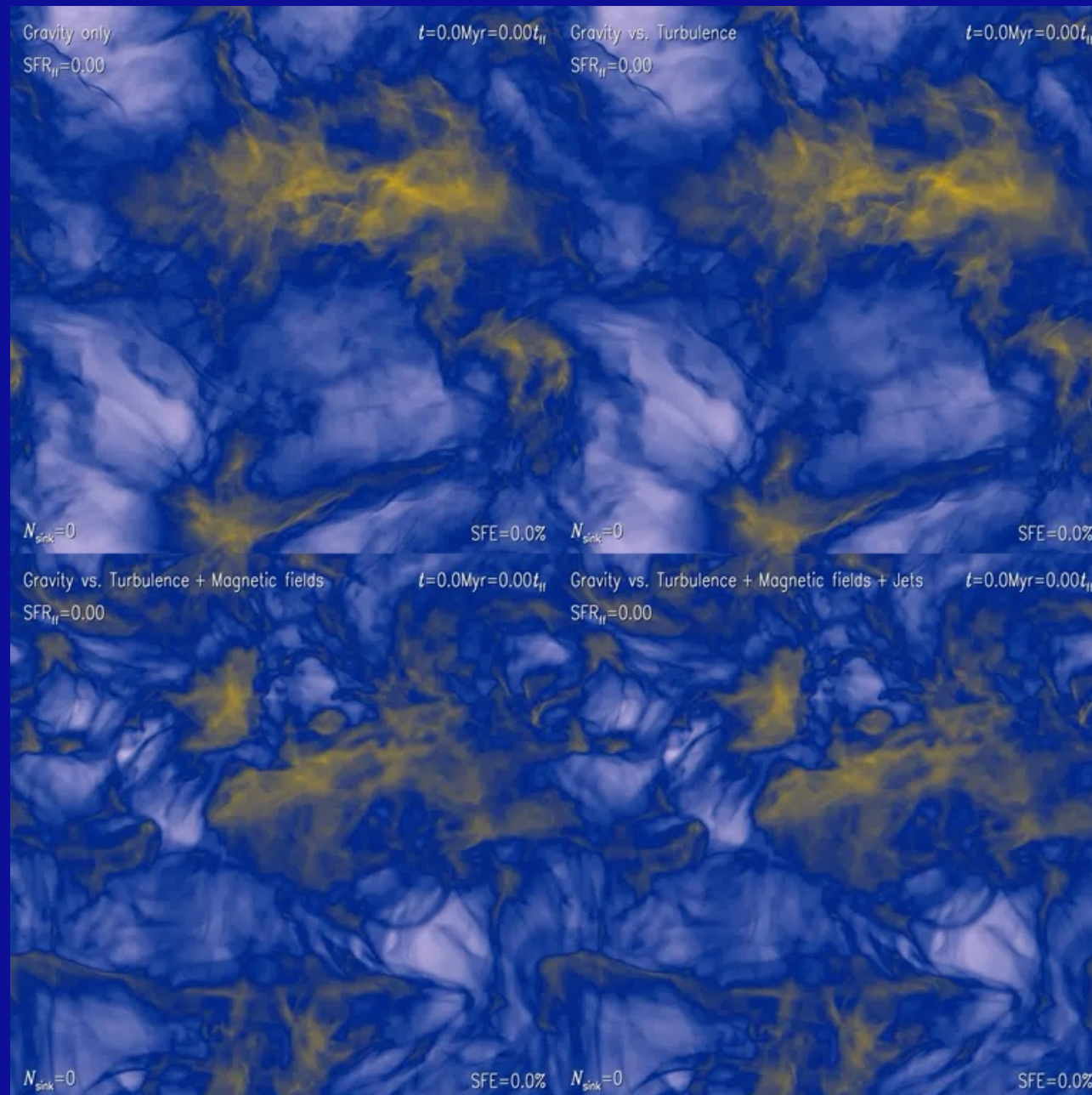
Krumholz et al. 2007

More simulations at: <https://www.mso.anu.edu.au/~krumholz/movies.html>

Simulation example III

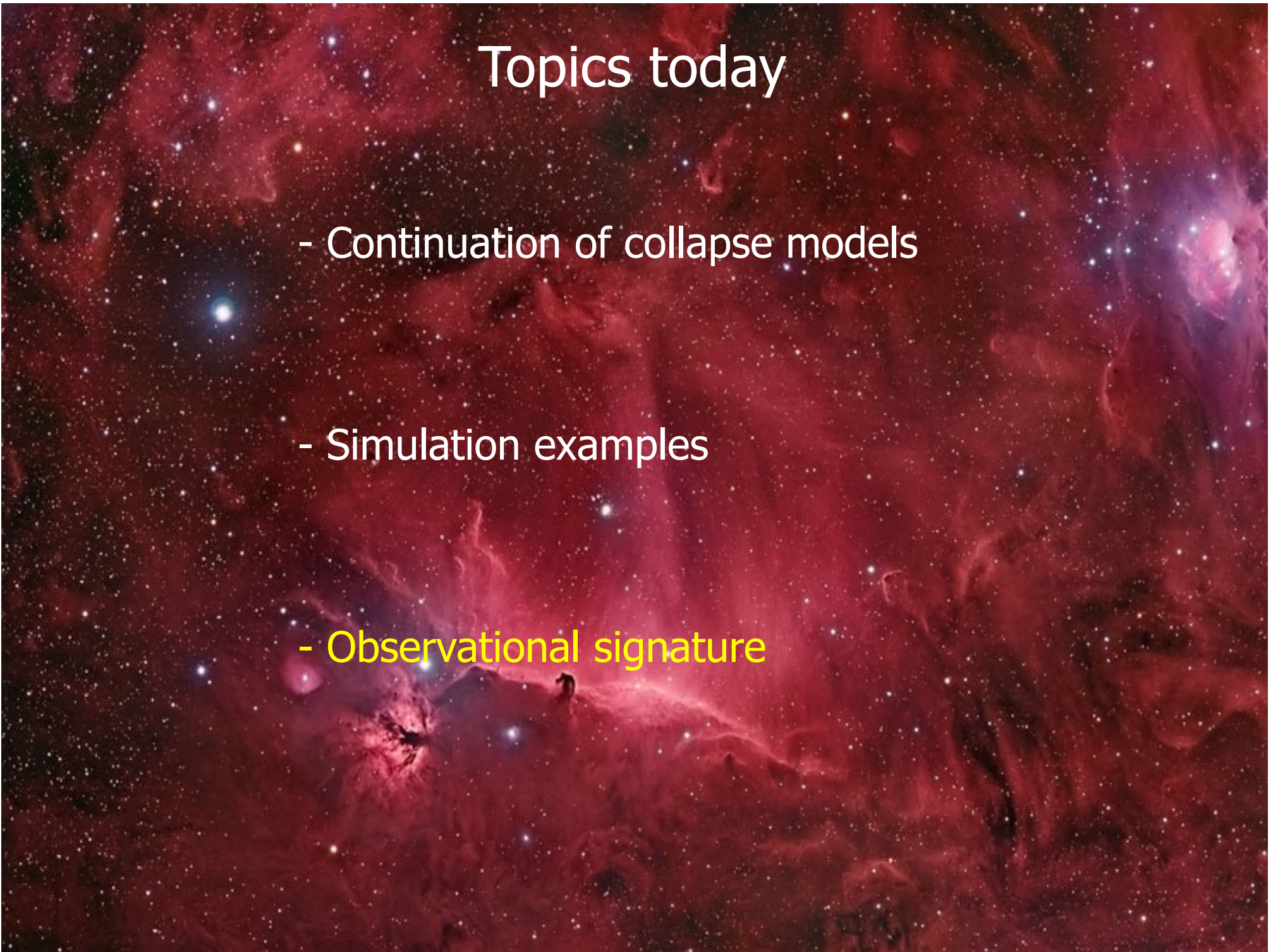


Simulation example IV

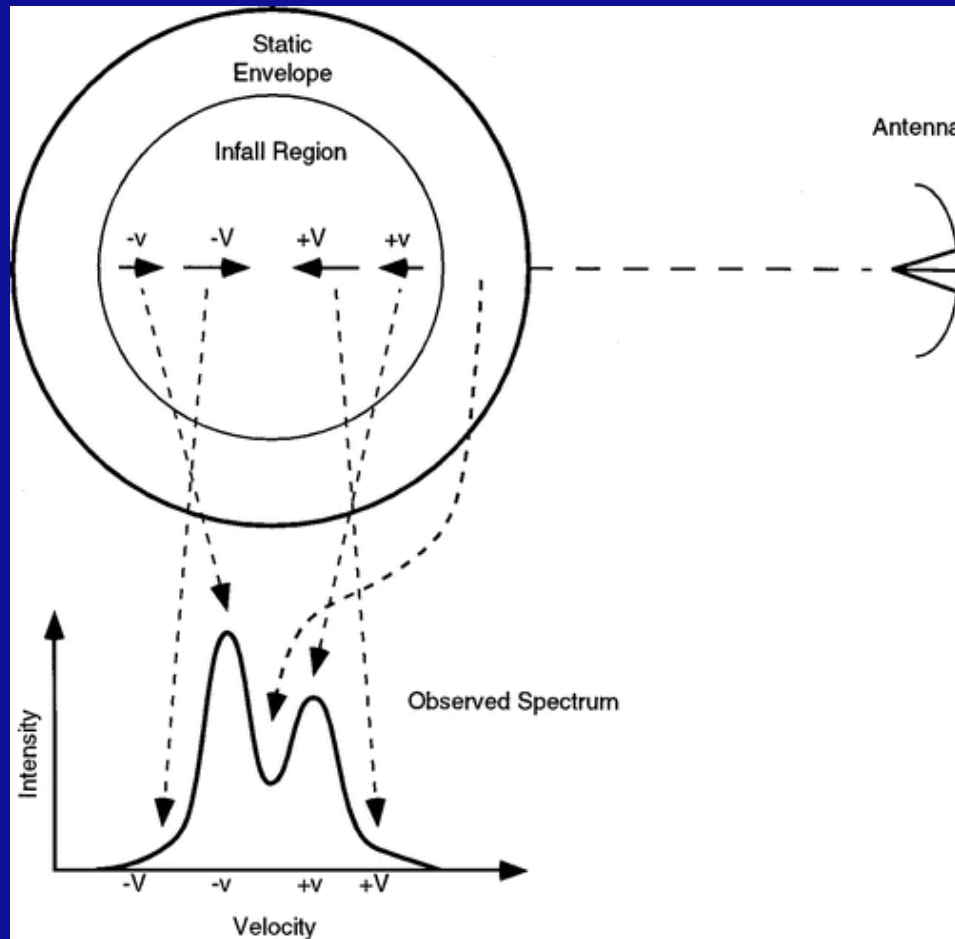


Topics today

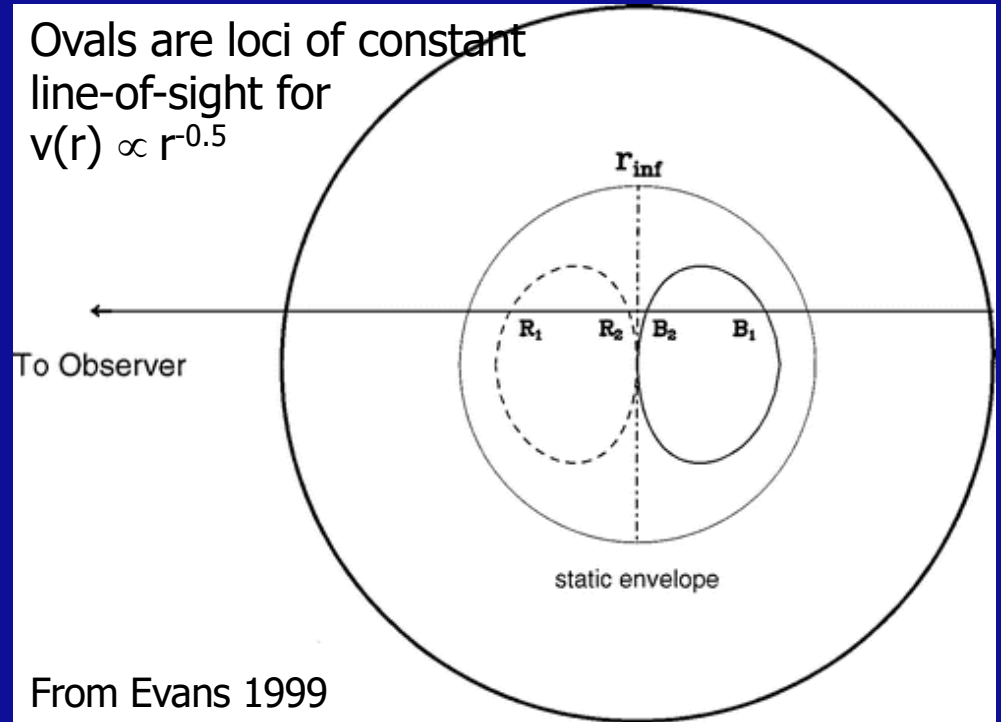
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Infall signatures I



Ovals are loci of constant line-of-sight for $v(r) \propto r^{-0.5}$



From Evans 1999

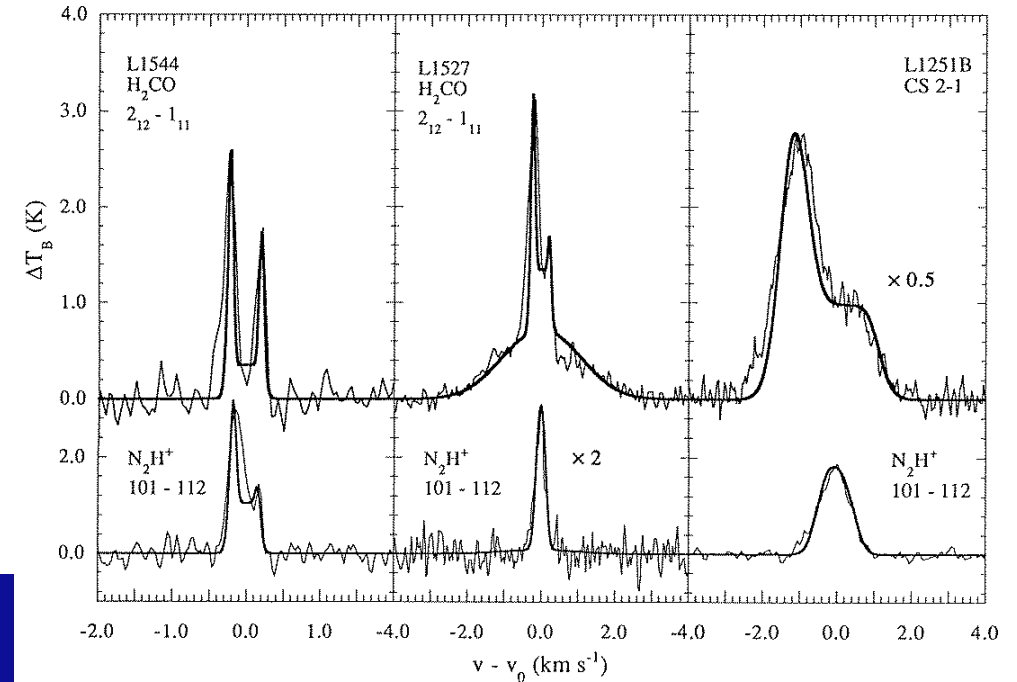
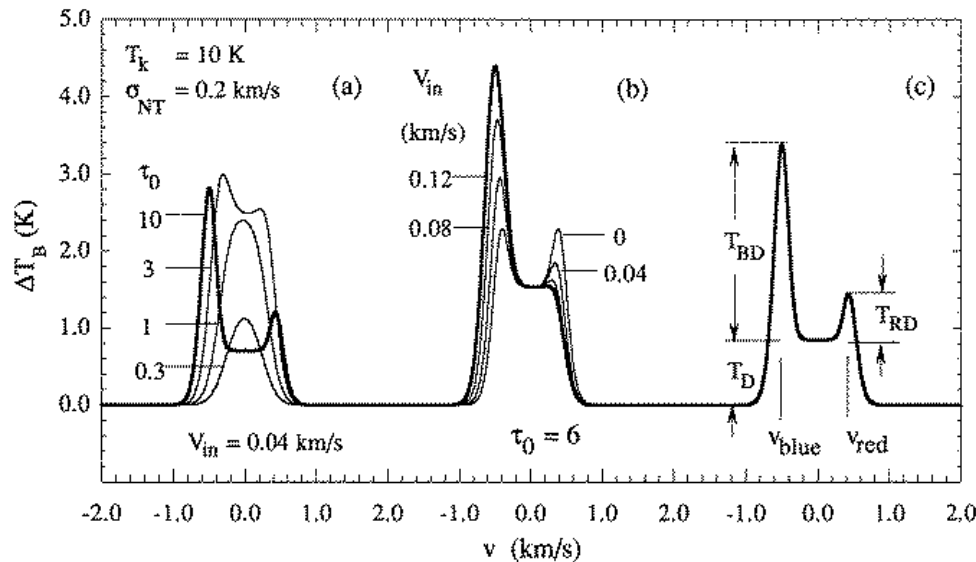
1. Rising T_{ex} along line of sight
2. Velocity gradient
3. Line optically thick
4. An additional optically thin line peaks at center

Infall signatures II

Models

Spectra and fits

(Myers et al. 1996)

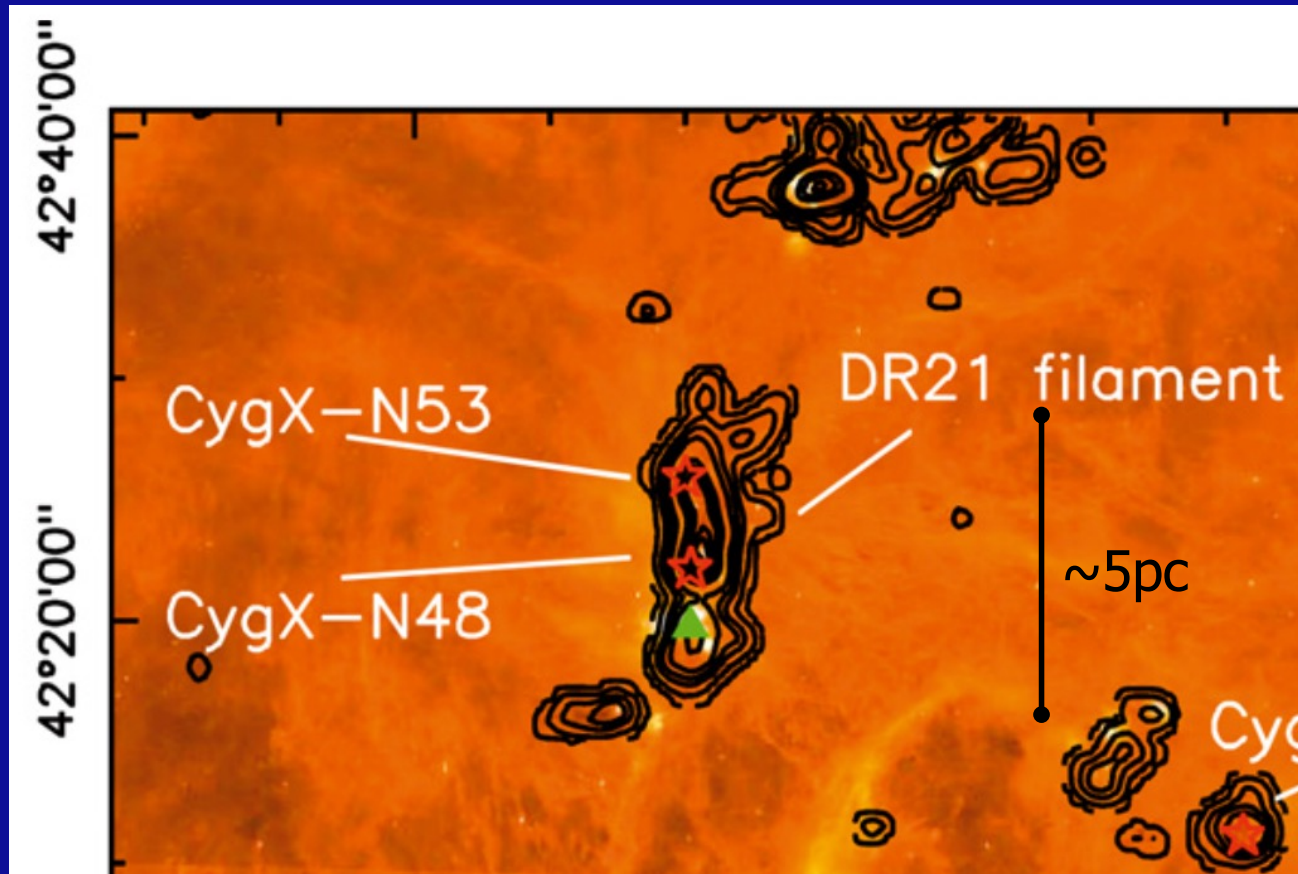


Model with two uniform regions along the line of sight with velocity dispersion σ and peak optical depth $\tau_0 \rightarrow$ infall velocity v_{in} :

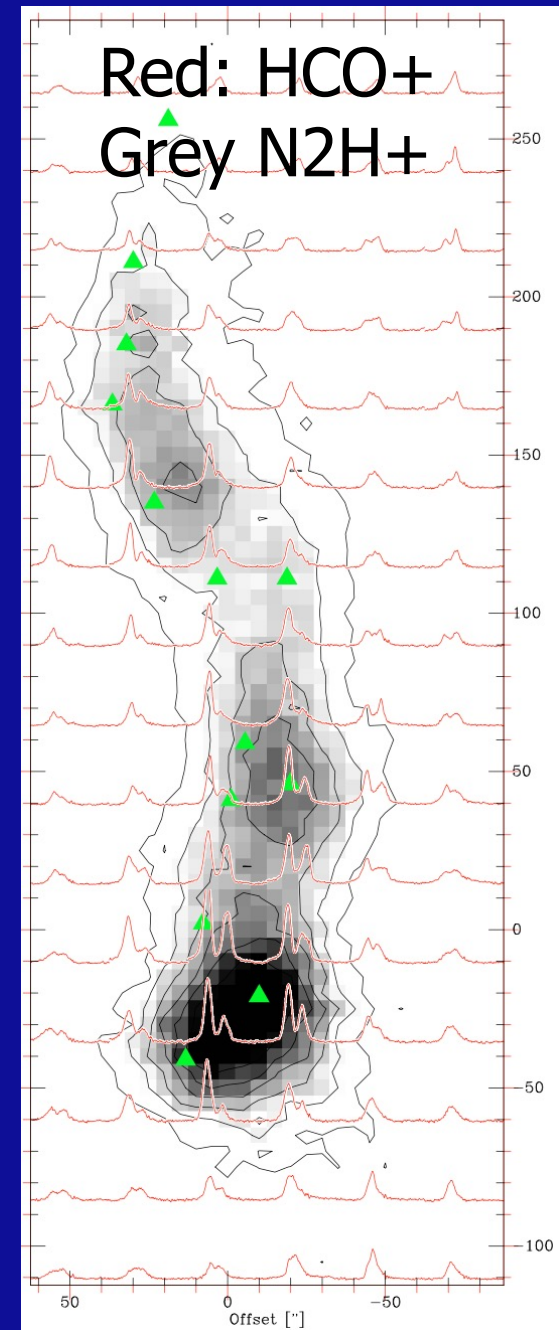
$$v_{in} \approx \sigma^2 / (v_{red} - v_{blue}) * \ln((1 + \exp(T_{BD}/T_D)) / (1 + \exp(T_{RD}/T_D)))$$

In low-mass regions v_{in} is usually of the order 0.1 km/s. In high-mass regions V_{in} can exceed 1 km/s and hence be supersonic.

Extended infall



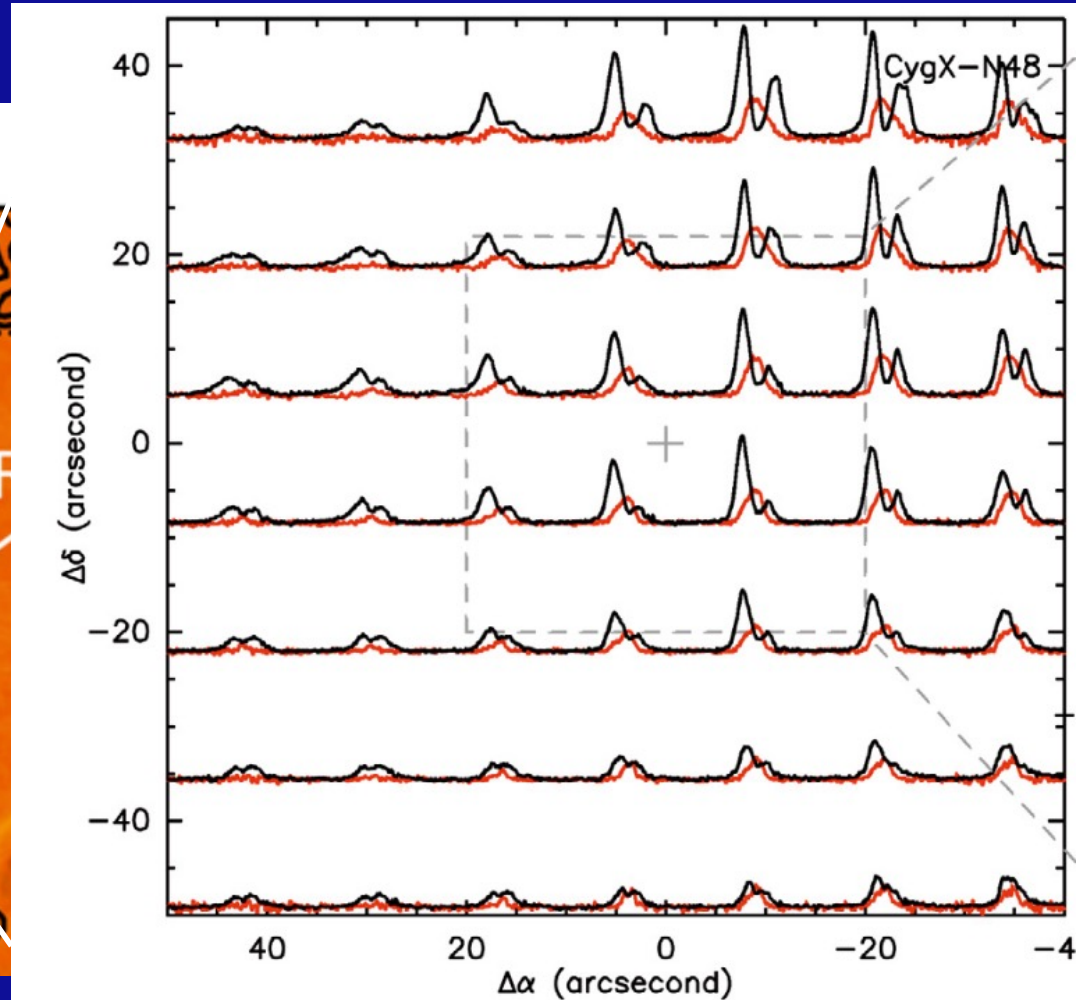
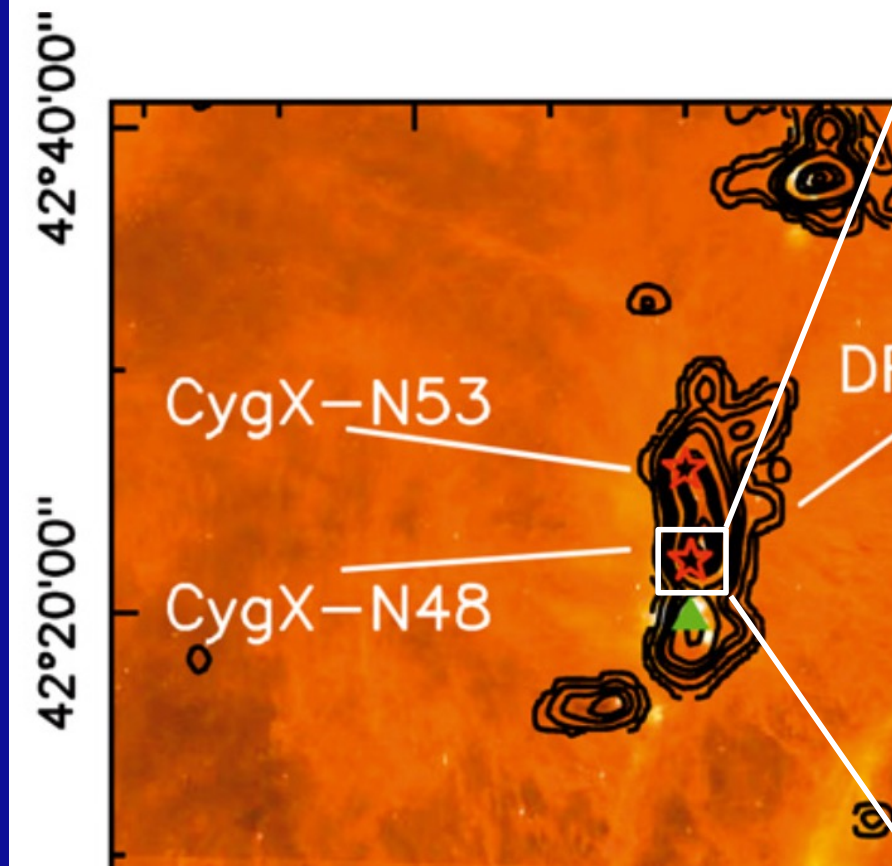
Csengeri et al. 2011



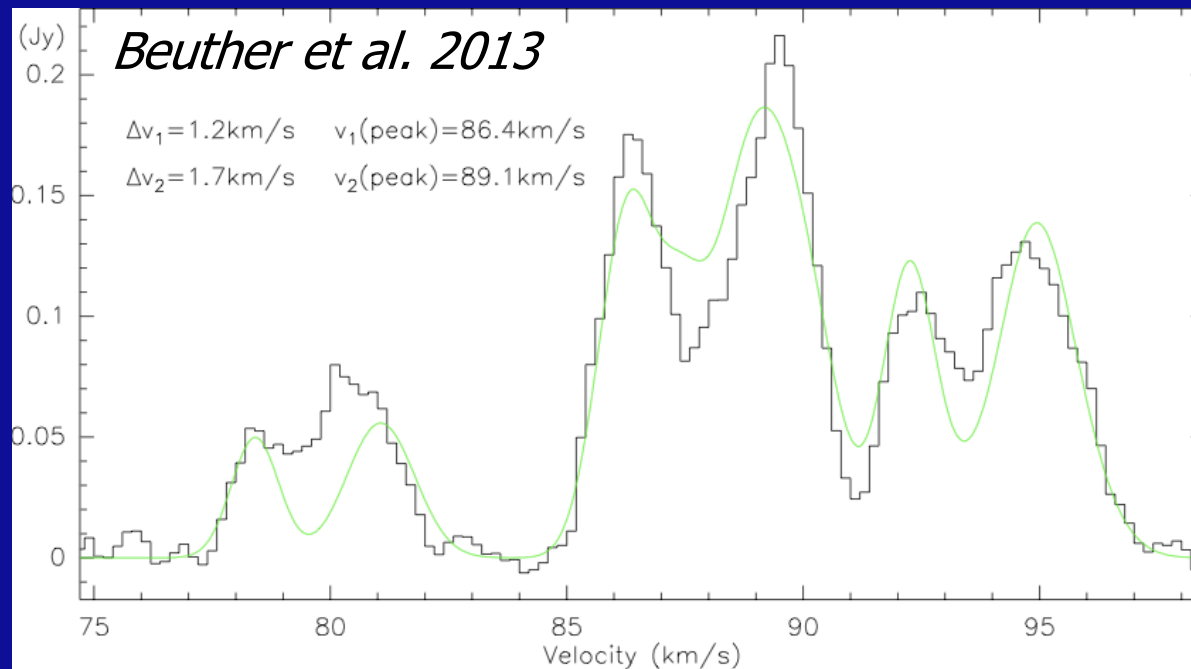
Schneider et al. 2010

Extended infall

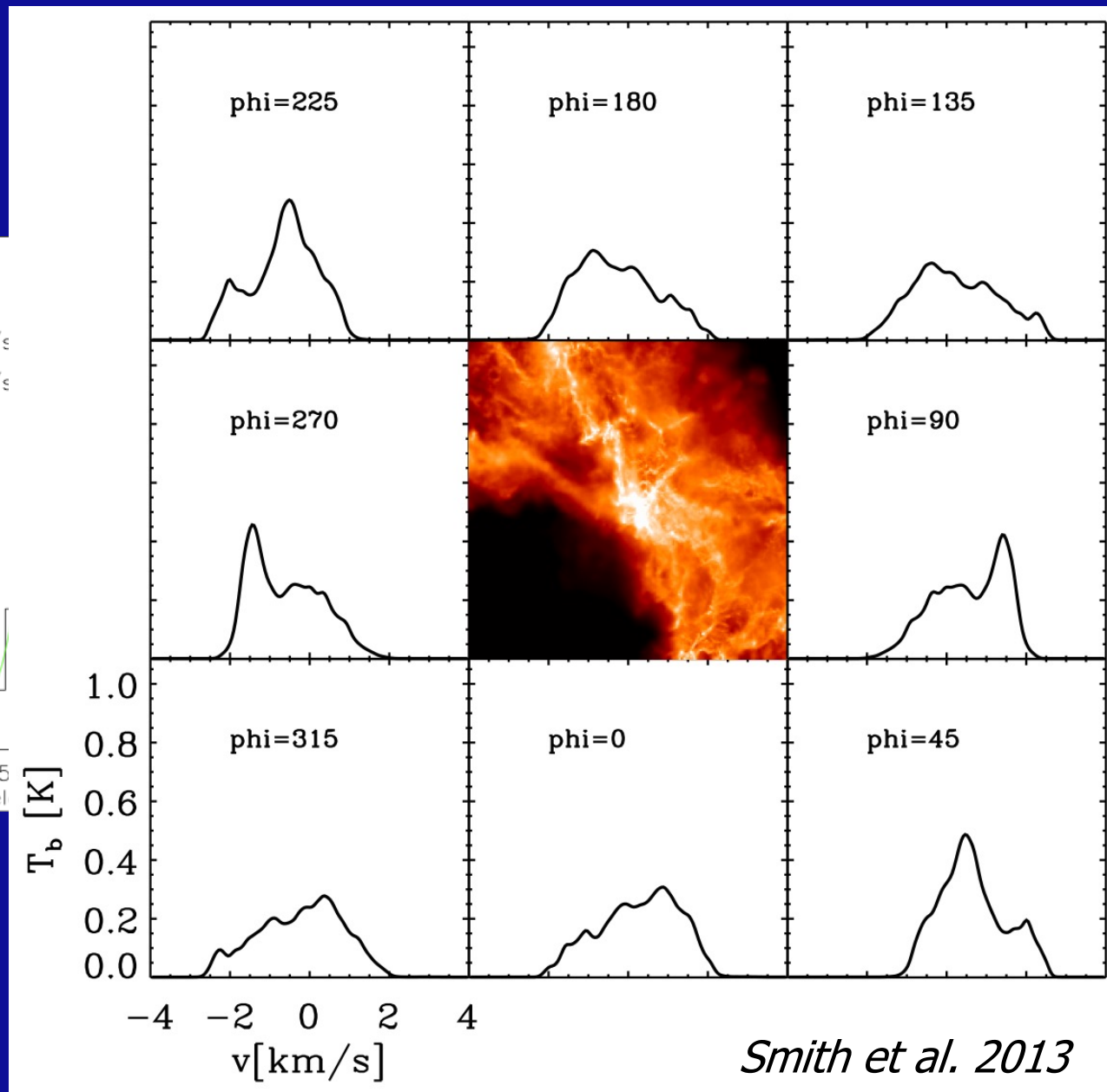
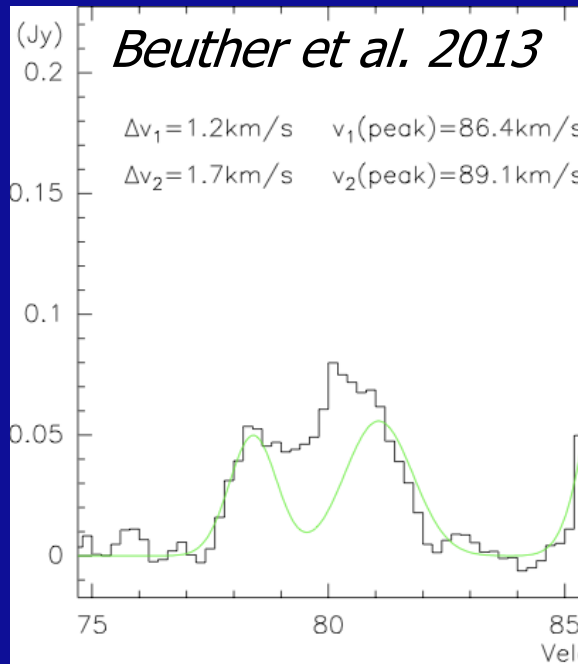
HCO⁺ & H¹³CO⁺



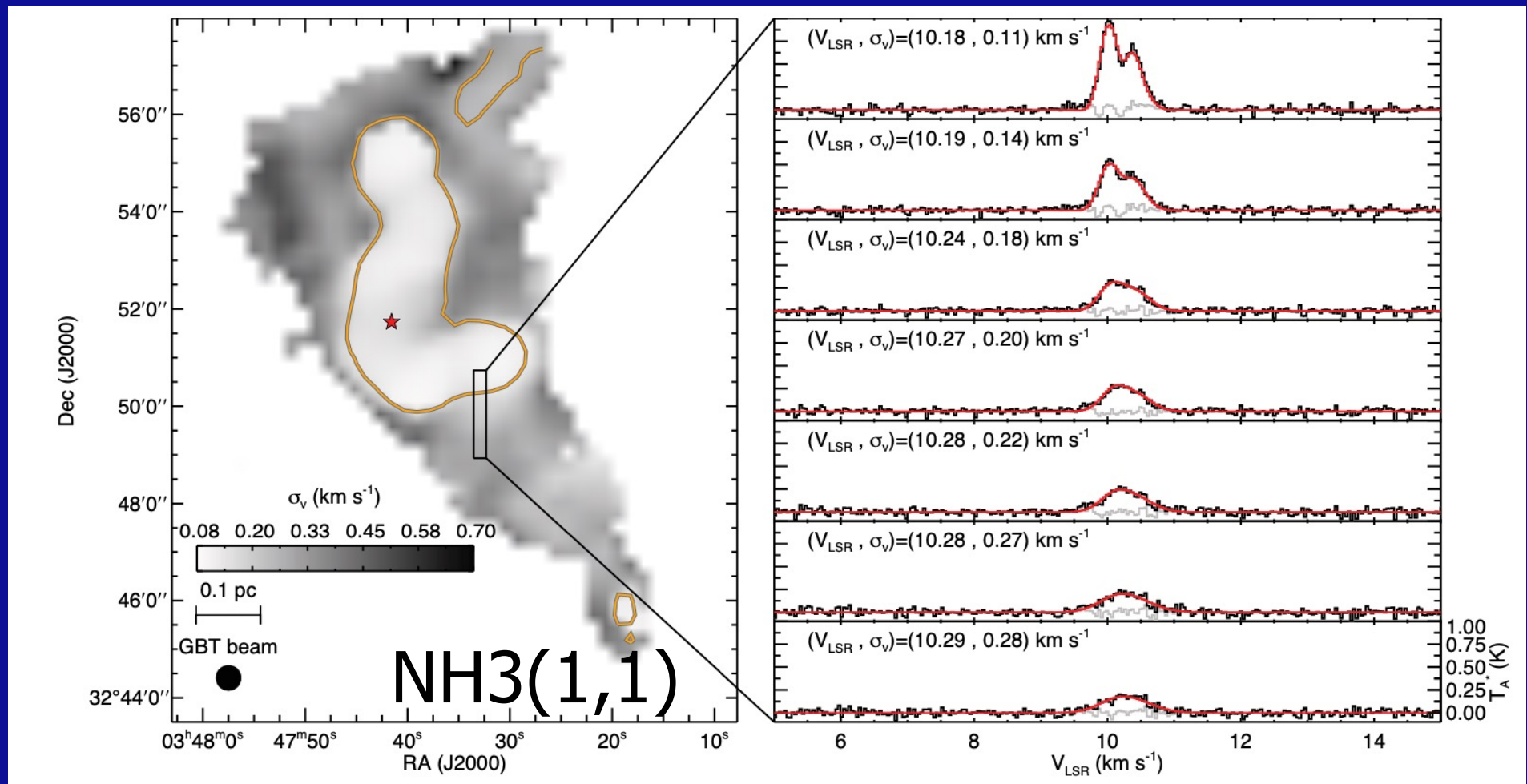
Infall signatures III



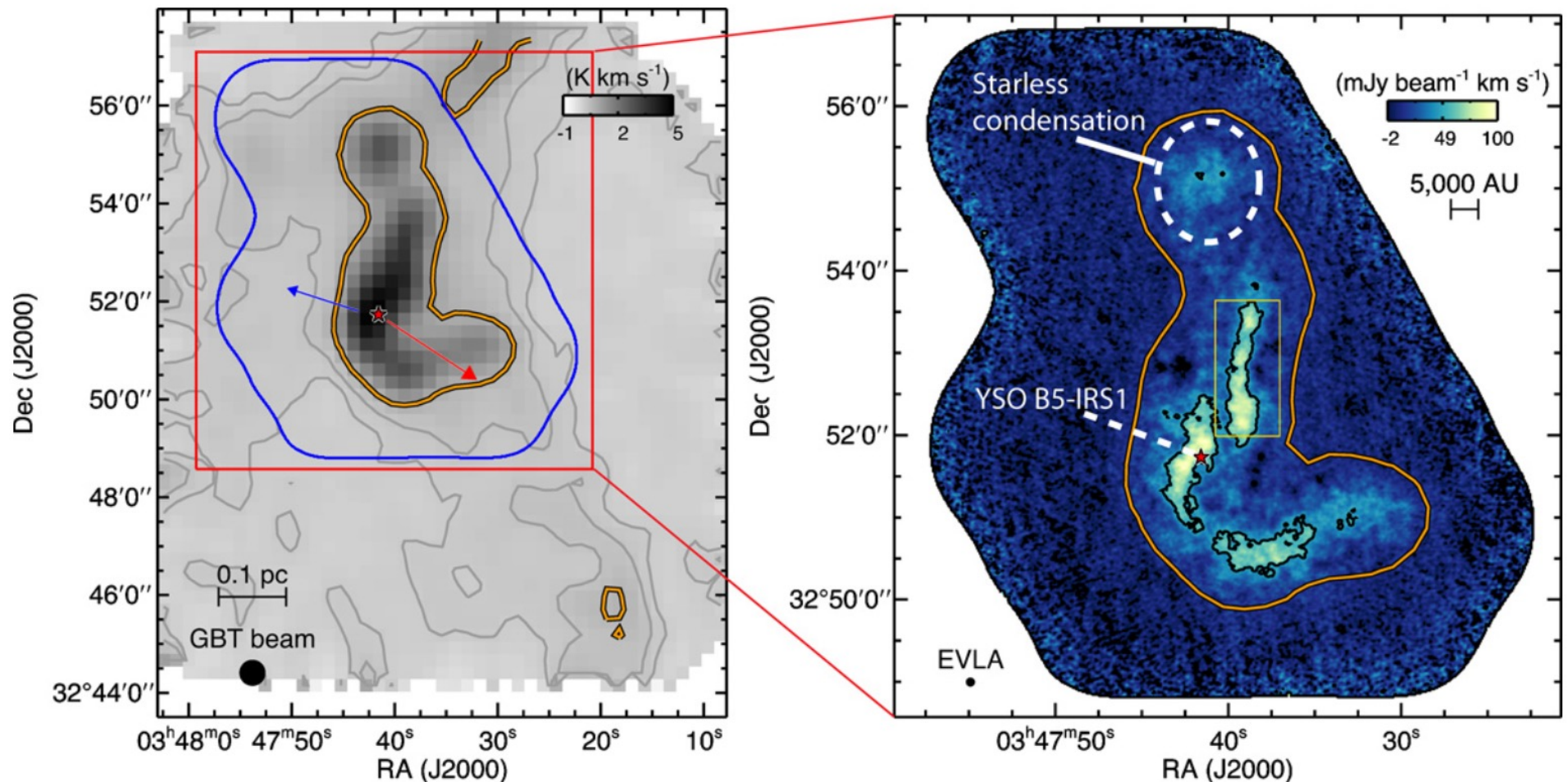
Infall signatures III



Transition to coherence

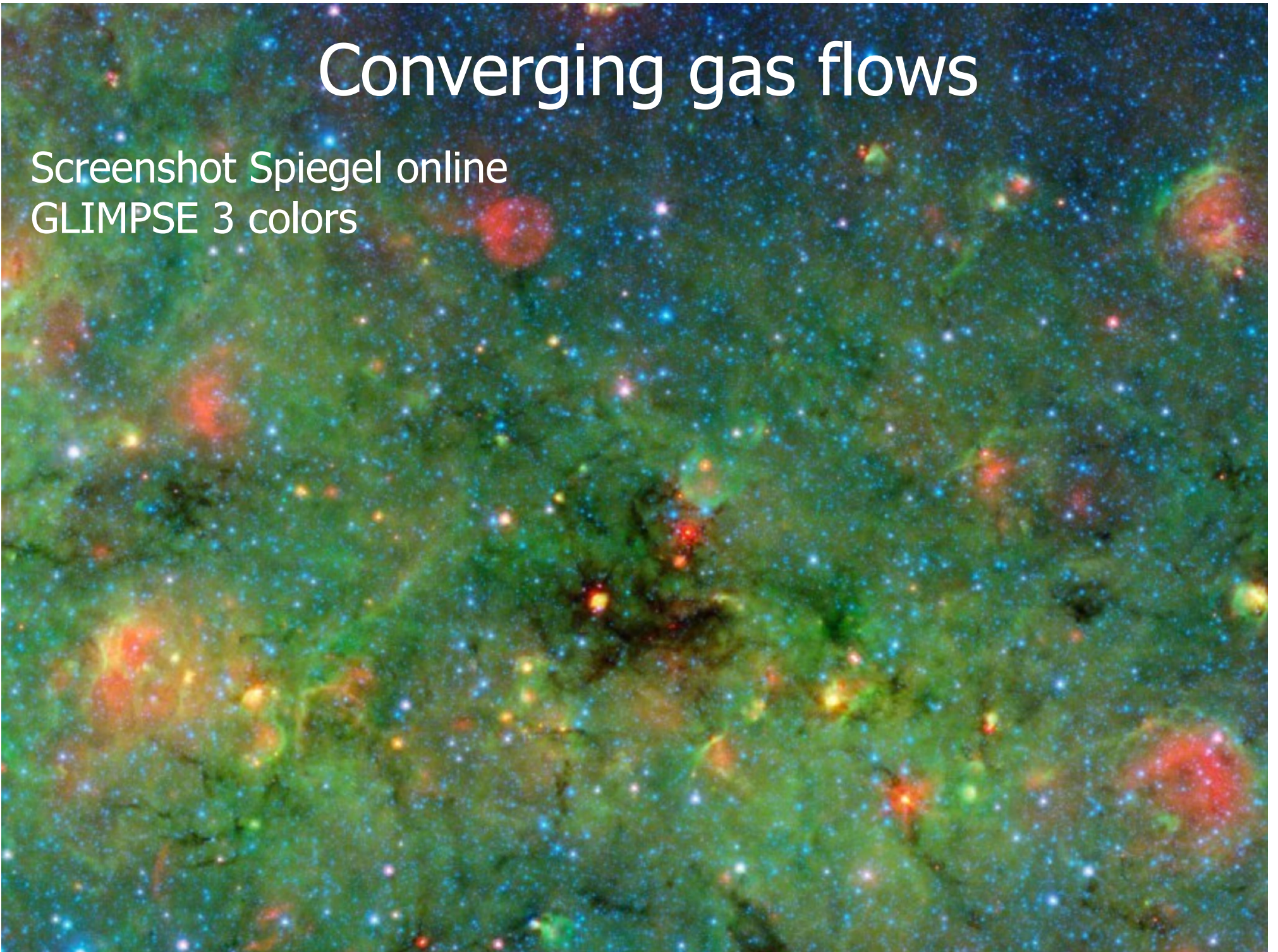


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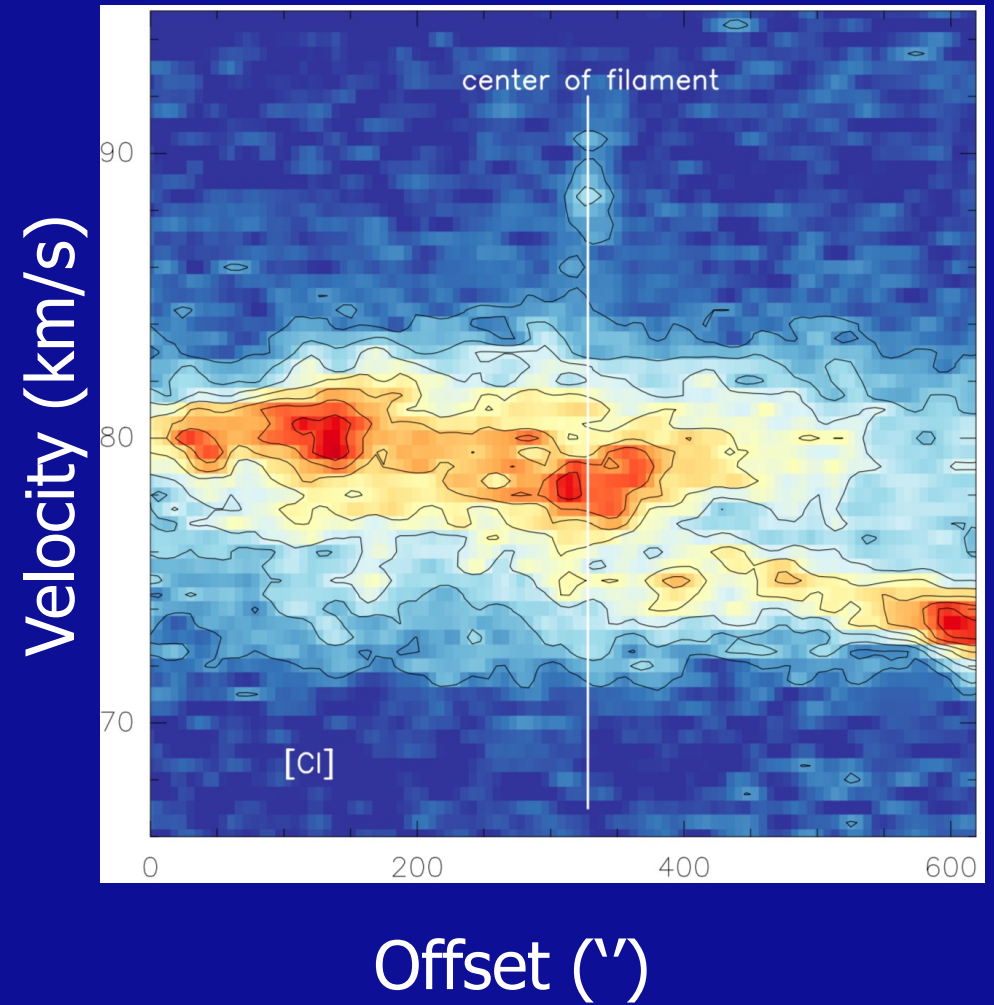
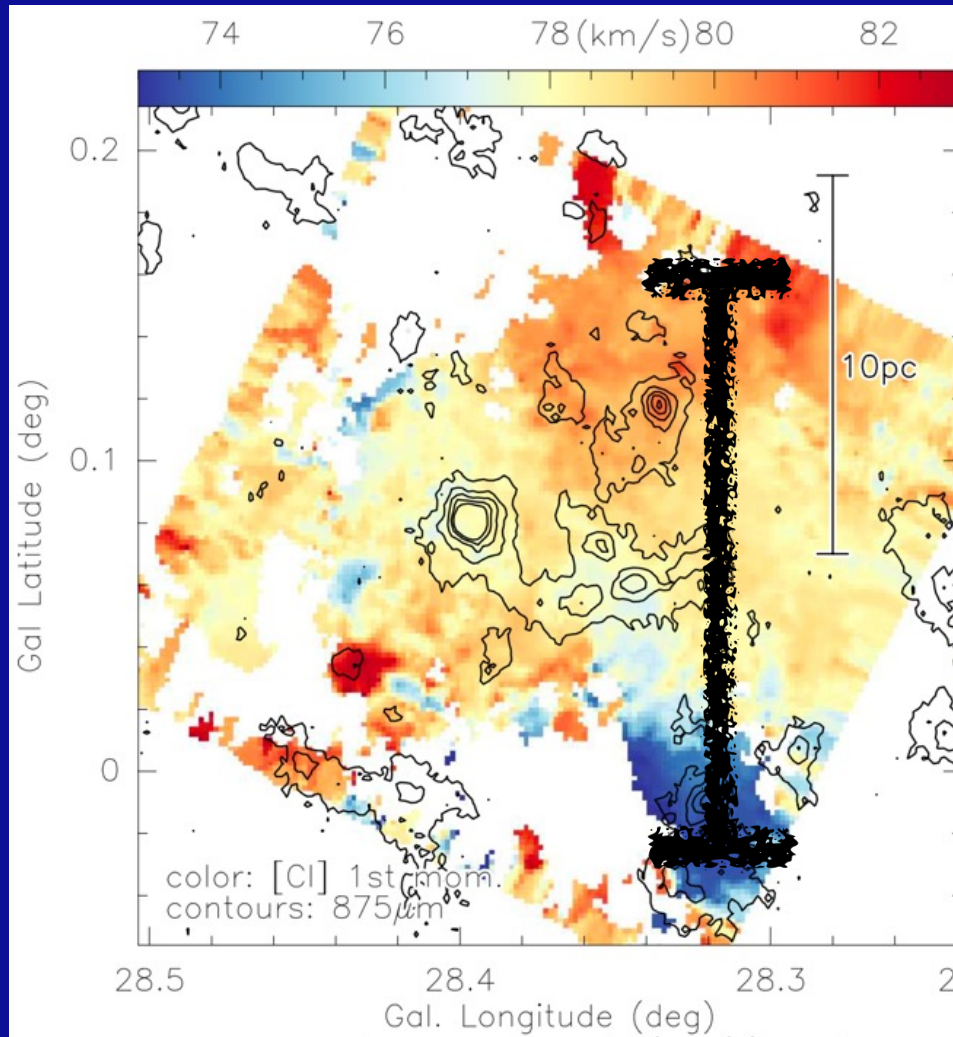


Converging gas flows

Screenshot Spiegel online
GLIMPSE 3 colors



Converging gas flows



Summary

- From stability to collapse, early models
- Simulations with different physical ingredients
- Observational signatures

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Heidelberg Joint Astronomical Colloquium Winter Semester 2024/25

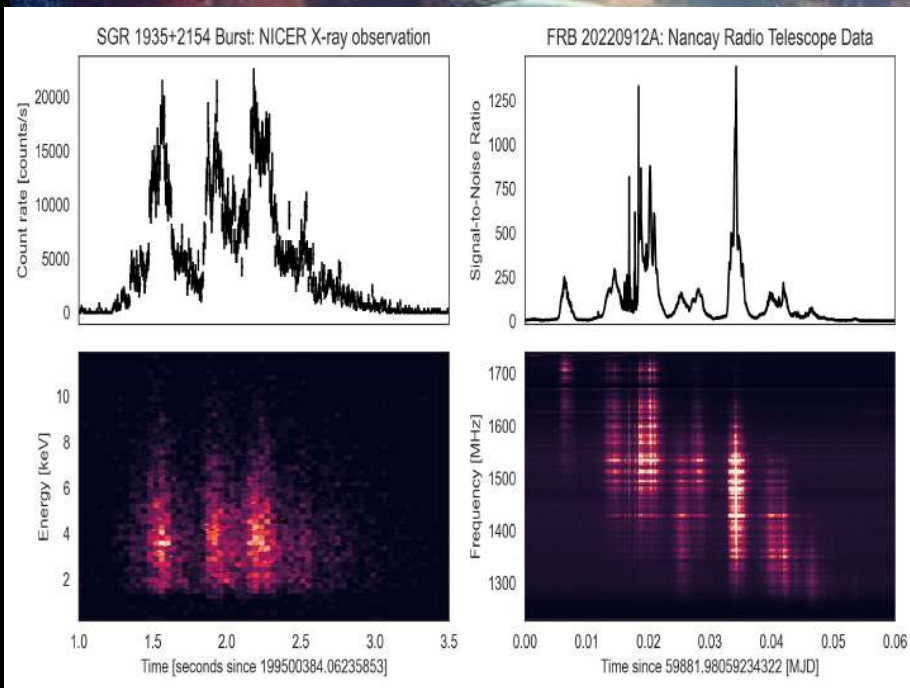
Tuesday December 3rd Main Lecture Theatre, Philosophenweg 12, 16:30 CEST

Daniela Huppenkothen

(University of Amsterdam)

Hacking the Universe:

**Leveraging Data Science
in High-Energy Astrophysics
and Beyond**



<https://www.physik.uni-heidelberg.de/hephysto/>

Host: Ivelina Momcheva (momcheva@mpia.de)

Image Credit: DALL-E 3