# Blandford-Znajek jets in galaxy formation simulations

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Extragalctic jets on all scales - launching, propagation, termination; 18th June 2021







#### Sub-grid modelling of jet launching in galaxy-scale simulations is necessary

The multi-scale nature of physical process often requires sub-grid modelling of micro-scale physics in galaxy scale simulations



McNamara & Nulsen (2007)

#### Jets are launched close to the BH horizon and terminate on kpc scales

# $Z_{\rm I} \sim 10^9 R_{\rm SZ}$

a 'perfect' example of a multi-scale problem!

# Simulations are vital for understanding AGN jet physics



Bourne & Sijacki (2021)





#### AGN jets can be launched by the Blandford-Znajek Mechanism







Tchekhovskoy et al. (2012)

#### jet power:

 $\dot{E}_{\rm BZ} = \epsilon_{\rm BZ}(a, \phi_{\rm BH}) \dot{M}_{\rm BH,0} c^2$ 

## 2. Our sub-grid, spin-driven, jet model

#### To calculate the jet power we need to accurately track the black hole spin

- Spherically symmetric Bondi won't work here!
- We use an analytic, sub-grid, thin accretion disc



Fiacconi et al. (2018)



A misaligned disc will warp

 This imposes mutual Bardeen-Petterson torques on the BH and disc

### The equations governing our accretion and feedback model

black hole evolution

$$\dot{M}_{\rm BH} = \frac{1 - \epsilon_{\rm r} - \epsilon_{\rm BZ}}{1 + \eta_{\rm J}} \dot{M} \qquad \dot{J}_{\rm BH} = \frac{(L_{\rm ISCO} - L_{\rm BZ})}{1 + \eta_{\rm J}} \dot{M} j_{\rm BH} - J_{\rm BH} \left[ \frac{\sin(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\sin(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times (j_{\rm BH} \times j_{\rm d}) + \frac{\cos(\pi/7)}{\tau_{\rm GM}} (j_{\rm BH} \times j_{\rm d})$$

$$\mathbf{\dot{B}}_{\mathrm{BH}} = \frac{1 - \epsilon_{\mathrm{r}} - \epsilon_{\mathrm{BZ}}}{1 + \eta_{\mathrm{J}}} \dot{M} \qquad \mathbf{\dot{J}}_{\mathrm{BH}} = \frac{(L_{\mathrm{ISCO}} - L_{\mathrm{BZ}})}{1 + \eta_{\mathrm{J}}} \dot{M} \mathbf{\dot{j}}_{\mathrm{BH}} - J_{\mathrm{BH}} \left[ \frac{\sin(\pi/7)}{\tau_{\mathrm{GM}}} (\mathbf{\dot{j}}_{\mathrm{BH}} \times \mathbf{\dot{j}}_{\mathrm{d}}) + \frac{\cos(\pi/7)}{\tau_{\mathrm{GM}}} (\mathbf{\dot{j}}_{\mathrm{BH}} \times (\mathbf{\dot{j}}_{\mathrm{BH}} \times \mathbf{\dot{j}}_{\mathrm{BH}}) \right]$$

$$\mathbf{\alpha} \text{-disc evolution}$$

$$\dot{\mathbf{M}}_{\mathrm{d}} = \dot{\mathbf{M}}_{\mathrm{in}} - \dot{\mathbf{M}} \qquad \mathbf{\dot{J}}_{\mathrm{d}} = \dot{\mathbf{M}}_{\mathrm{in}} \mathbf{L}_{\mathrm{in}} - \dot{\mathbf{M}} L_{\mathrm{ISCO}} \mathbf{\dot{j}}_{\mathrm{BH}} + J_{\mathrm{BH}} \left[ \frac{\sin(\pi/7)}{\tau_{\mathrm{GM}}} (\mathbf{\dot{j}}_{\mathrm{BH}} \times \mathbf{\dot{j}}_{\mathrm{d}}) + \frac{\cos(\pi/7)}{\tau_{\mathrm{GM}}} (\mathbf{\dot{j}}_{\mathrm{BH}} \times (\mathbf{\dot{j}}_{\mathrm{BH}} \times (\mathbf{\dot{j}}_{\mathrm{BH}} \times \mathbf{\dot{j}}_{\mathrm{BH}}) \right]$$



(2021) Talbot et. al.

$$\dot{E}_{\rm J} = \frac{\epsilon_{\rm BZ}}{1+\eta_{\rm J}} \dot{M}c^2$$

 $\dot{M}_{\rm J}$  =

jet launching

$$=\frac{\eta_{\rm J}}{1+\eta_{\rm J}}\dot{M}$$

jet direction  $\| \boldsymbol{j}_{BH} \|$ 



#### A more accessible summary of The equations governing our accretion and feedback model

#### Mass evolution:

Black hole	Disc	Black hole	Disc
+ Accretion from disc	- Accretion onto the BH	Accretion from disc	Accretion onto the BH
- Launching of the jet	+ Inflow from surroundings	Launching of the jet	Inflow from surroundings
		Bardeen-Petterson torques	Bardeen-Petterson torque

#### Angular momentum evolution:





# 3. Model validation









log<sub>10</sub>(*T* [K])

6

7

5

400 pc

66.5°

(2021) Talbot et. al.

- The morphology of jets whose power and direction are determined self-consistently differs from those of jets with fixed power and direction
- Jets launched into the circumnuclear disc drive turbulent, multi-phase, quasi-bipolar outflows
- Misaligned black holes undergo significant Bardeen-Petterson torquing
- These jets are torqued out of the circumnuclear disc, driving outflowing shells of disc material that collide and shock









#### The outflow properties are very sensitive to:

- Black hole spin magnitude
- Black hole spin direction
- Gas availability
- Properties of the ambient medium





(2021) Talbot et. al., in prep.







- Gas accretion before the jet turns on is
   coherent and axisymmetric
- After the jet turns on it is bursty and more chaotic
- Backflows draw in gas from the disc to feed the black hole
- The jet power (i.e. black hole spin) is naturally self-regulated by the accretion flow
   gas inflows are surpassed for longer









 $10^{-}$ 













- coalesce
- merger



Curtis & Sijacki (2016)

- Investigate how efficient gas fuelling impacts the mass accretion rate through the  $\alpha$ -discs and the resulting jet powers
- Investigate how the flow patterns in the vicinity of the black holes depend on the mass ratio, black hole spins, gas fractions....
- ... and how these flows respond to the jet launching
- Provide predictions for the X-ray emission, counterpart to the merger







Curtis & Sijacki (2016)

![](_page_15_Picture_8.jpeg)

# Summary

- We have developed a new, self-consistent sub-grid model for black hole accretion through a (warped)  $\alpha$ -disc and feedback in the form of a kinetic Blandford-Znajek jet.
- We verified our model by carrying out idealised simulations of the central regions of a typical Seyfert galaxy
- We found that the outflow morphologies are highly dependent on the jet power and direction and so self-consistent determination of these quantities is crucial!
- We're now applying our jet model to merger scenarios and, ultimately, we aim to provide constraints on the link between electromagnetic observations and GW signals that would result if the AGN coalesce

![](_page_16_Picture_9.jpeg)

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